

# Reactor Design for $\text{TiO}_2$ & $\text{SiO}_2$

- a. Basics: How chemistry can affect particle size
- b. Computational Fluid-Particle Dynamics (CPFD)
- c. Scale-up of novel flame reactors

**Prof. Sotiris E. Pratsinis**

**Particle Technology Lab., Inst. of Process Eng'g  
Department of Mechanical and Process Engineering  
ETH Zürich, Switzerland, [www.ptl.ethz.ch](http://www.ptl.ethz.ch)**

**Sponsored by the  
Swiss/U.S. National Science Foundation & Degussa**

# Applications

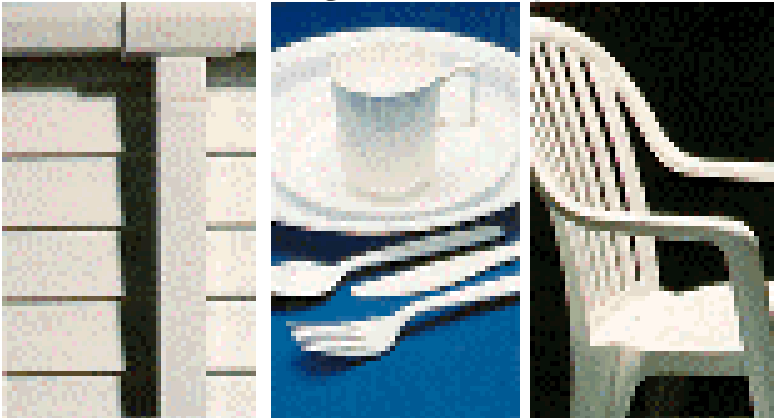
Paints



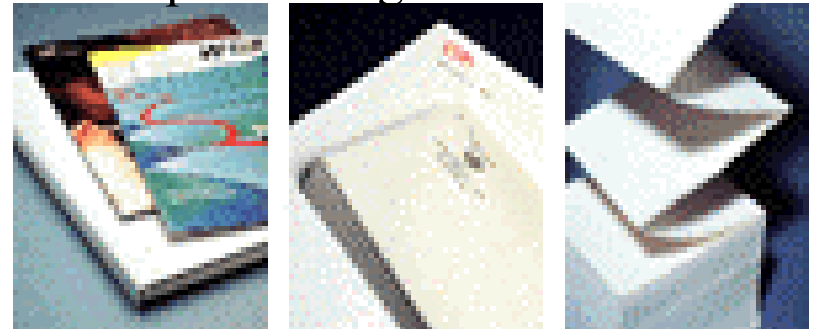
Niche Fields:  
Catalysts, Sensors,  
Photocatalysts,  
Cosmetics etc.

## TiO<sub>2</sub> (titania)

Plastics coatings

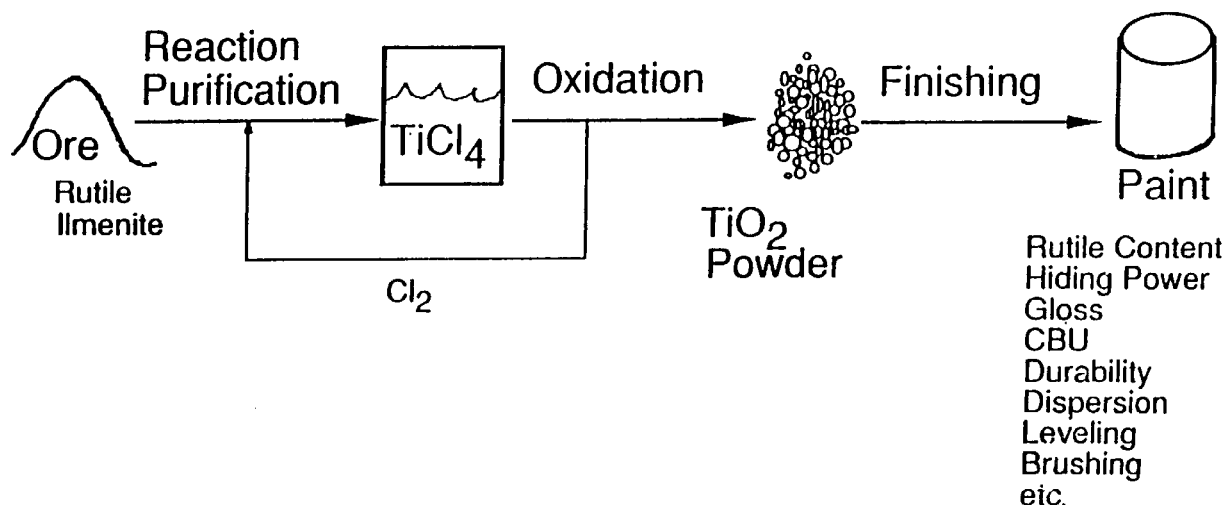


Paper coatings



# Production of Titania Powders

## PRODUCTION OF TITANIA PIGMENTS BY THE CHLORIDE PROCESS

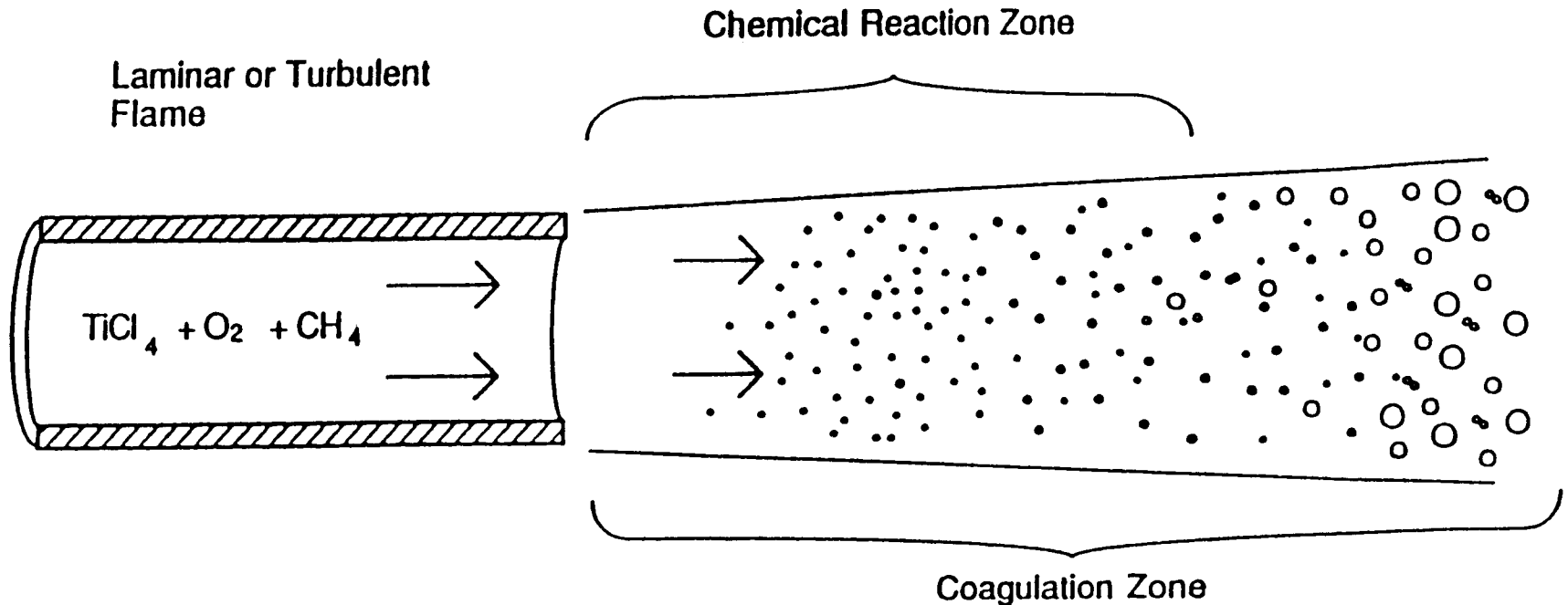


### 1 Facts

After characterization of the product of your competitor it is clear that he puts in the market a better product than yours. There are rumors that he may reduce his price also and this might threaten your market share. Furthermore, some of your colleagues in your chemistry research laboratory say that with “small” modifications you can make a series of new products.

## 2 Goal

To better understand the existing large flame reactor producing titania, silica or carbon black powder at high production rate (25 ton/h) so you can readily modify it or quickly build a new one to meet market demands.





### 3 Outlook

Examining historic records in the company proves to be a hard task on understanding how process variables affect the product. You see, every year small changes were made in the process by different people over the years. As a result, original designs and systematic experiments have little relevance with the current unit. In other words a huge reactor has been built through a series of trial and error procedures.

Today the reactor works very well but over a narrow region of conditions giving a narrow range of products.

The production engineers are reluctant to let you make any experiments on the production reactors. After all, the sales office has sold the production already for the next 9 months. They may think also that you are a “new” engineer fresh out of school who has no idea of the “real world”.

Experiments in the production reactor are “off limits” as any mistake can lead to large amounts of product outside specifications (imagine if it takes a couple of hours to realize that your particles are 15% bigger than that the required size you have 50 tons of titania or silica that you cannot sell or dispose. You are stack with it!).

## 4 Action

Basic studies need to focus on understanding the effect of process variables (precursor concentration, process temperature and residence time) on the product characteristics (primary and aggregate size distribution, crystallinity, morphology):

1. Temperature and residence time distribution in the production reactor.
2. Aggregate particle formation and growth

## 4.1 Chemistry

Literature review on reaction rates and particle formation.  
Assume that you are dealing with titania production by oxidation:



As the density of  $\text{TiO}_2$  is  $4 \text{ g/cm}^3$  the solids volume fraction is  $\phi = (80/4)/44800 = 4.46 \times 10^{-4}$ . This means that the particles may not affect the transport properties of the gas so the particle dynamics can be decoupled from the fluid dynamics and studied separately. **Is this always true?**

## 4.2 Selection of apparatus

Experiments can be done in a flame reactor. However this should be done with care as in flames the temperature changes rapidly and the residence time distribution does not easily scale as it is coupled to the temperature distribution.

For basic studies esp. when reaction rates are sought, a hot-wall reactor can be used also where the process variables can be easily separated. In addition the correspondence between flame and hot-wall reactors has been established in the literature.

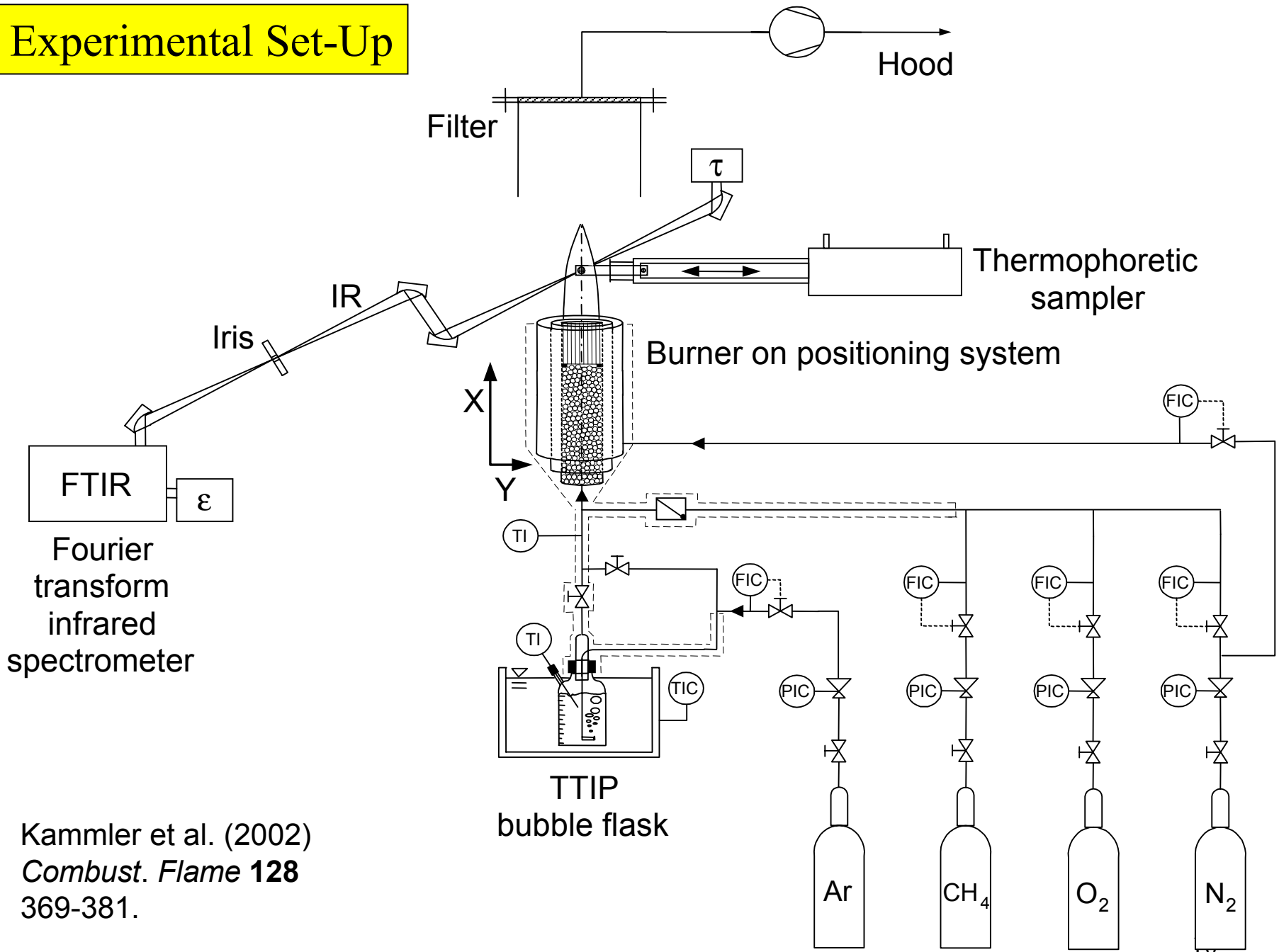
Basic models for particle dynamics with population balance equations should be tested with data from either reactors. These models then can be interfaced with fluid and temperature and velocity profiles of the laboratory or production reactor and build a process simulator.

## 4.3 Simulator for Particle Formation and Growth

A simulator accounting for the detailed particle dynamics in the production reactor must be developed to achieve:

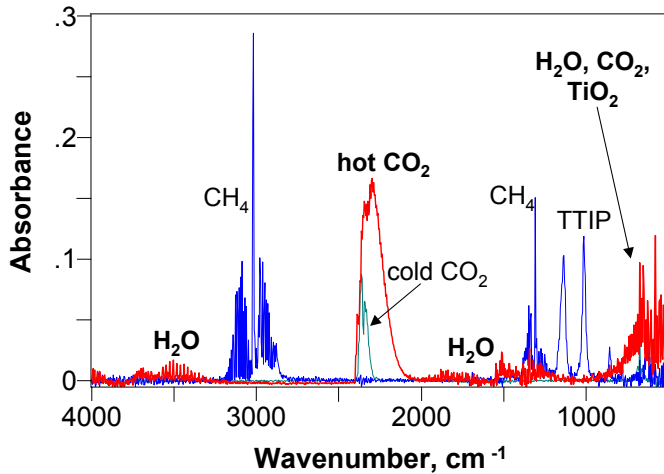
- a) **Better process control for existing products**  
(which process variables most effectively determine product powder characteristics and lead to better process yields that would translate into money and energy savings).
- b) **Acceleration of scale up for manufacture of new products**  
(a much better starting point for selection of process conditions rather than relying on empiricism and trial and error).
- c) **Reduction of the down time of existing production lines**  
(process conditions prone to particle deposition on reactor walls can be identified).
- d) **Education tool for personnel**  
(training of new scientists and engineers for research and development as well as reactor operators at reaction sites contributing to safety and environmental compliance).

# Experimental Set-Up



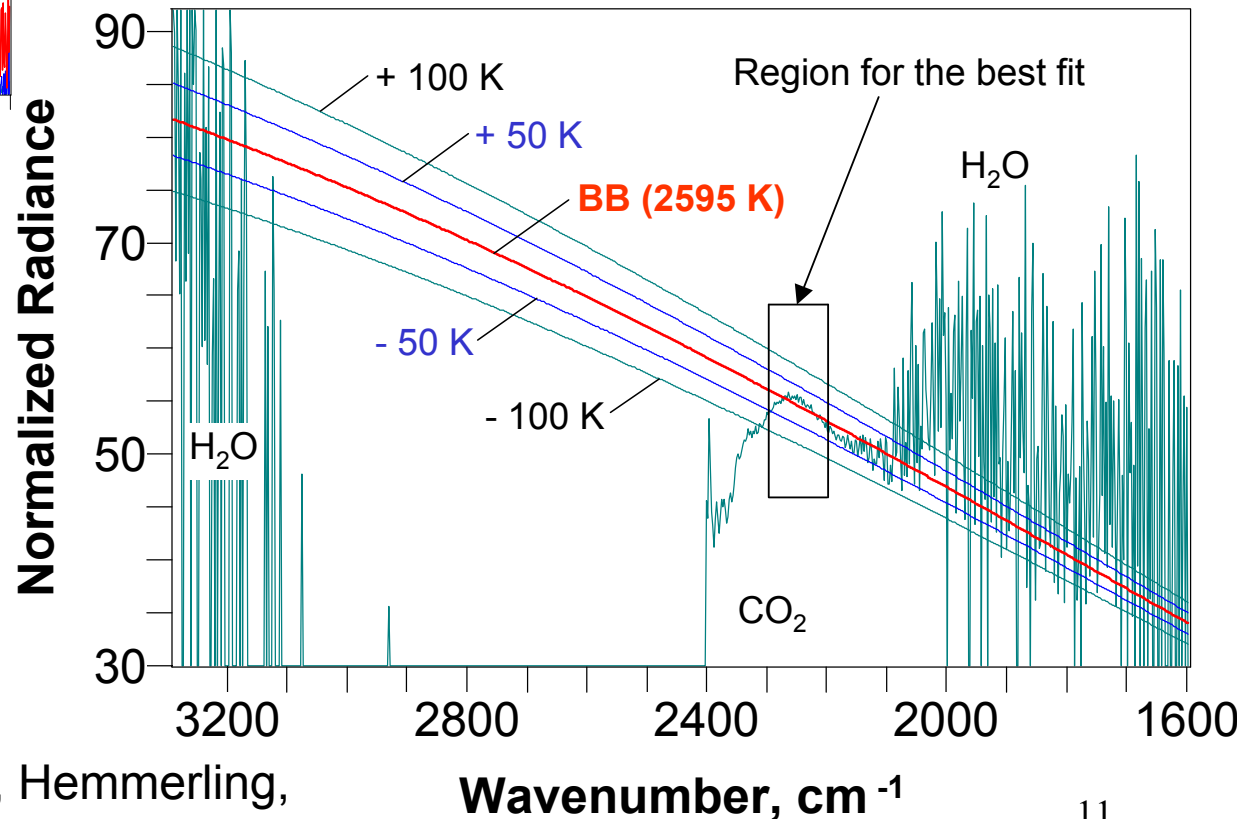
Kammler et al. (2002)  
*Combust. Flame* **128**  
369-381.

# Determination of flame temperature and species conversion by *in situ* FTIR



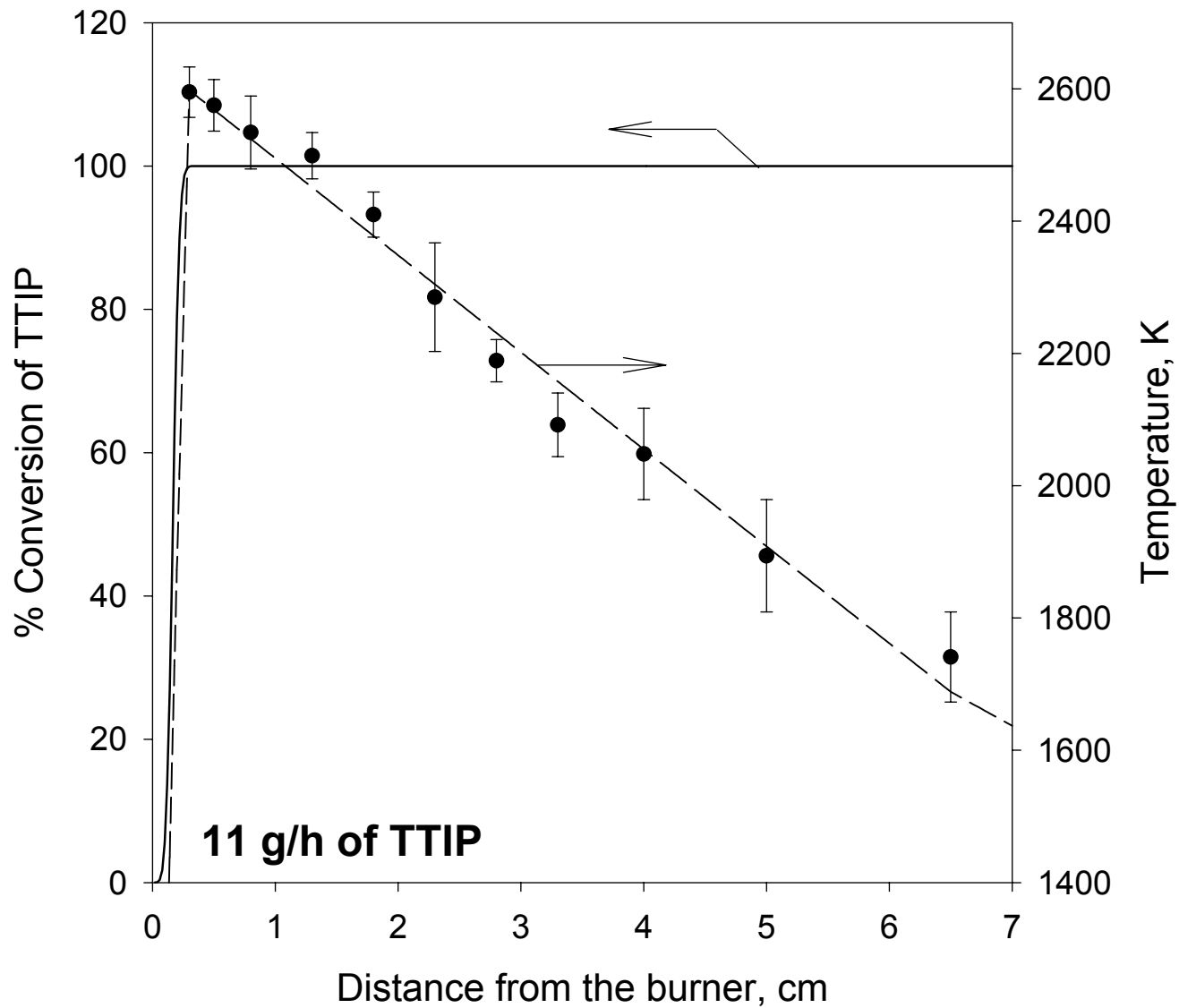
$$\text{Normalized Radiance} = \frac{\text{Radiance } (\nu, T)}{1 - \text{Transmittance } (\nu)}$$

Best, Chien, Carangelo, Solomon, Danchak, Ilovivi, *Combust. Flame* **85** (1991).



Kammler, Pratsinis, Morrison, Hemmerling, *Combust. Flame* **128** (2002).

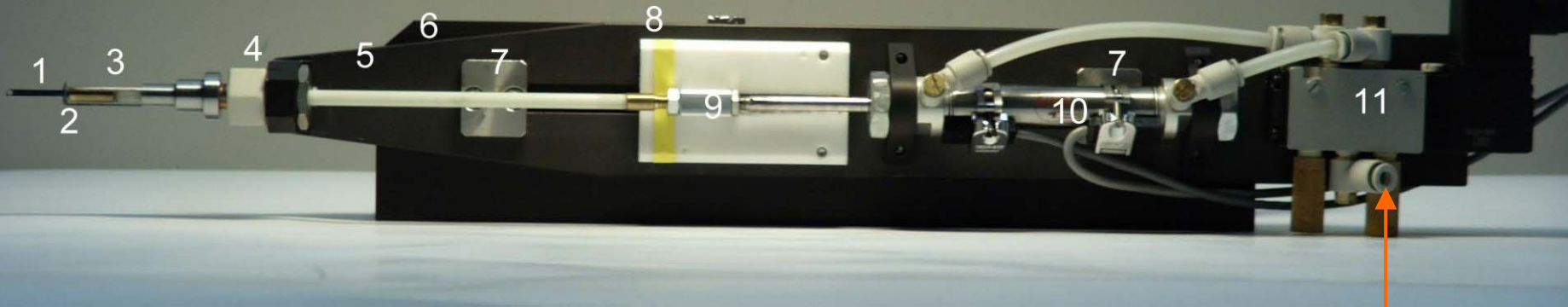
# Temperature Profile and Precursor Conversion



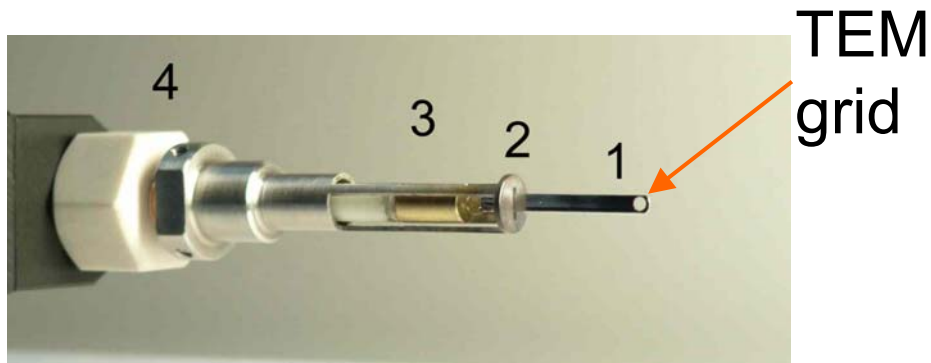


# Thermophoretic particle sampler

(original design by Dobbins and Megaridis, 1987)



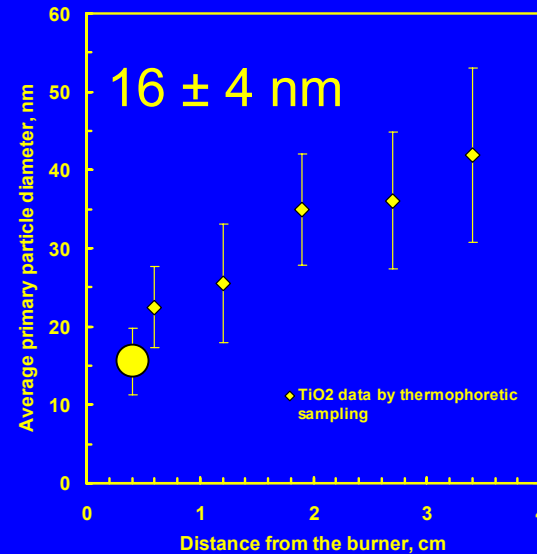
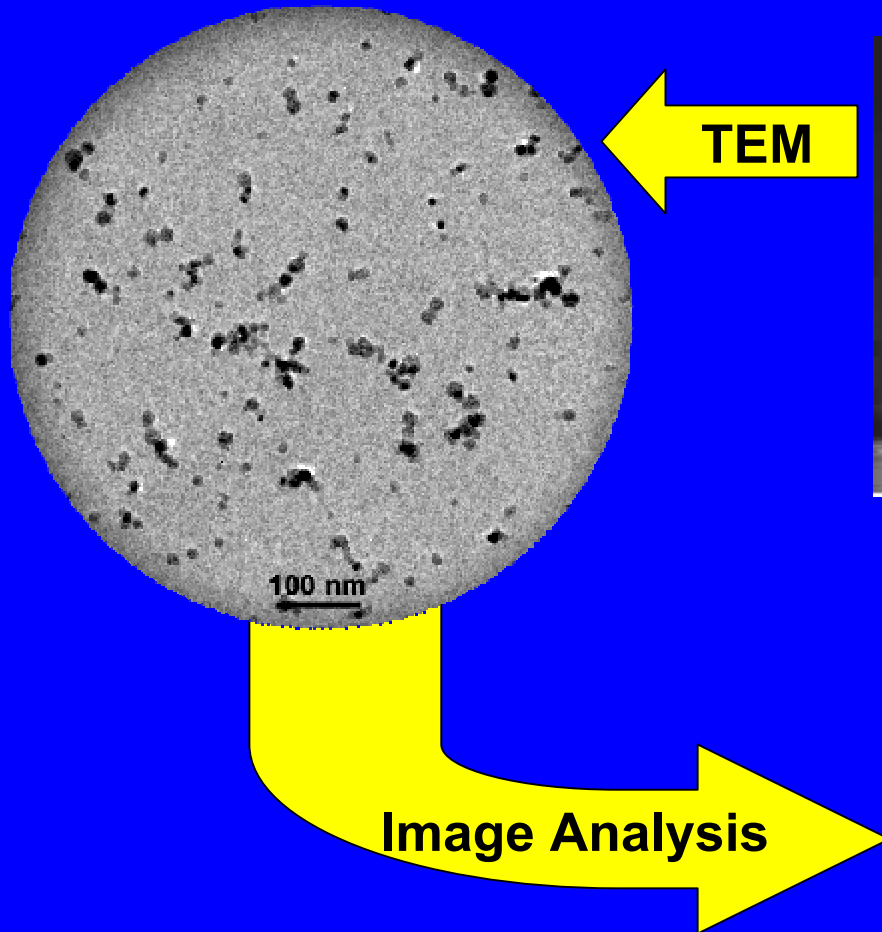
5 bar N<sub>2</sub> pressure



$t_{res} = 50 \text{ ms}$

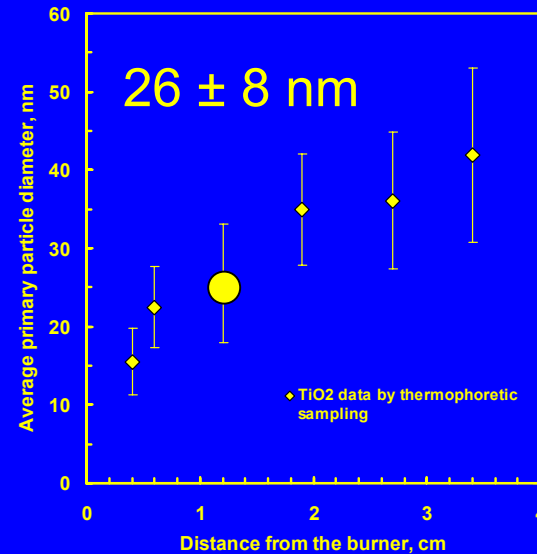
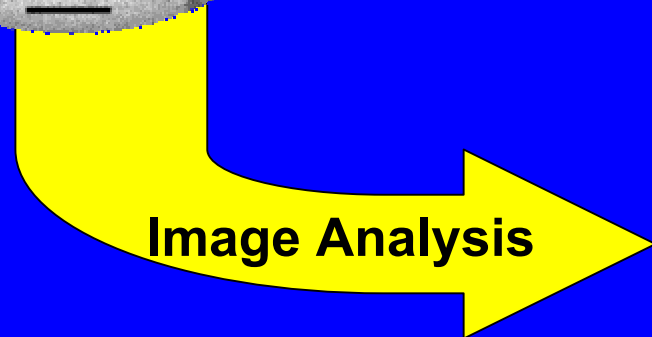
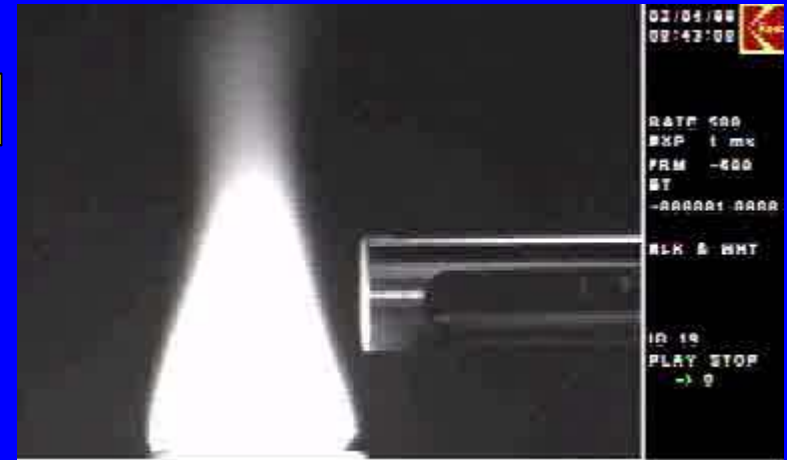
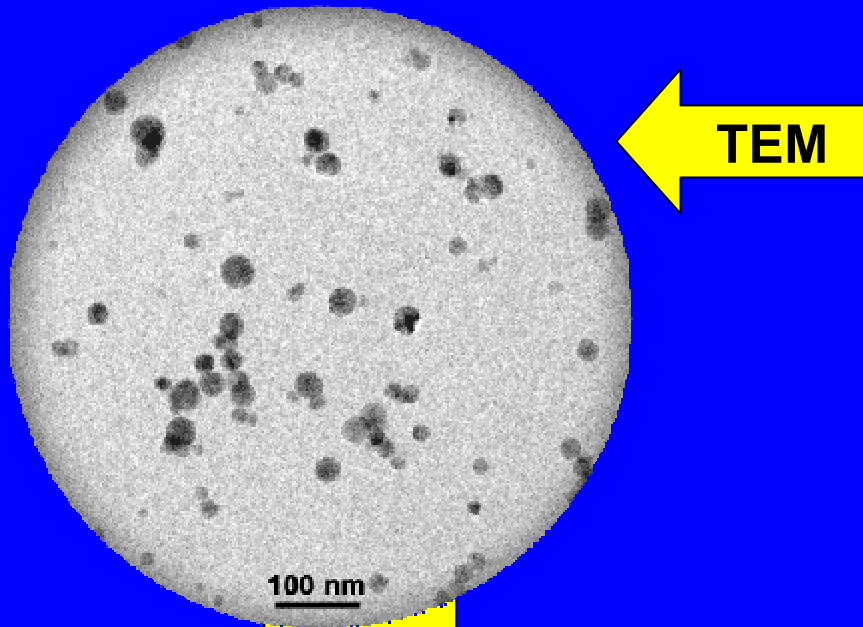
# Synthesis of Nanoparticles in Flame Aerosol Reactors

## Thermophoretic Sampling (Height: 0.3 cm)



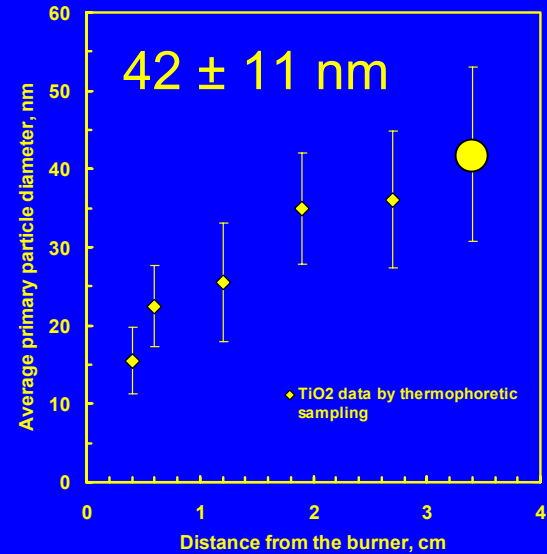
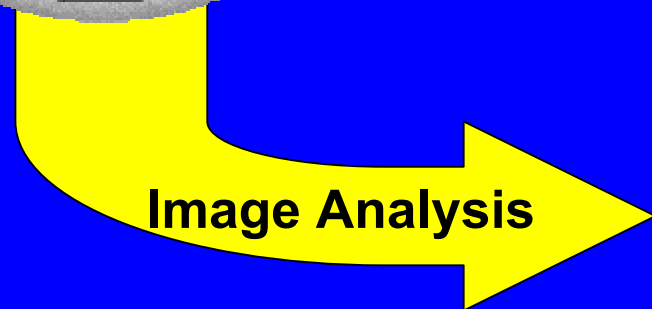
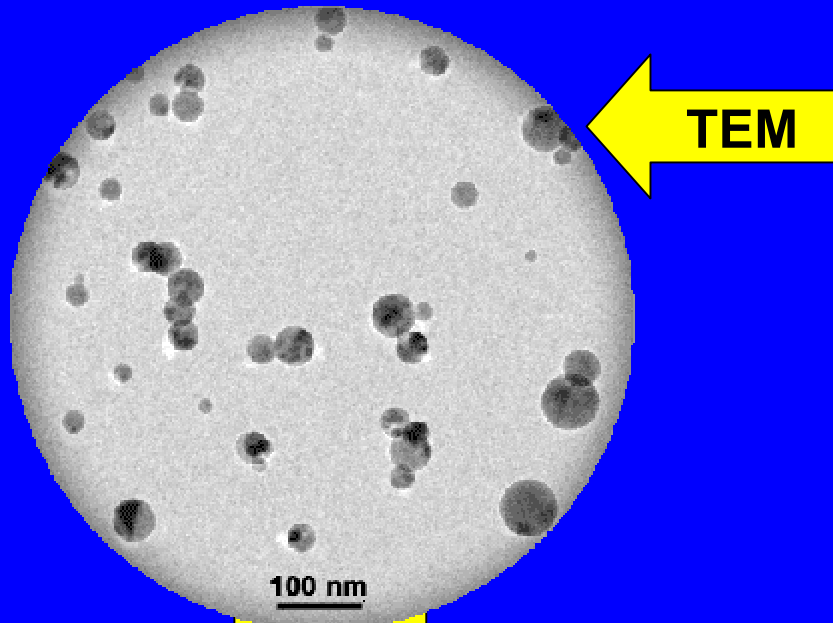
# Synthesis of Nanoparticles in Flame Aerosol Reactors

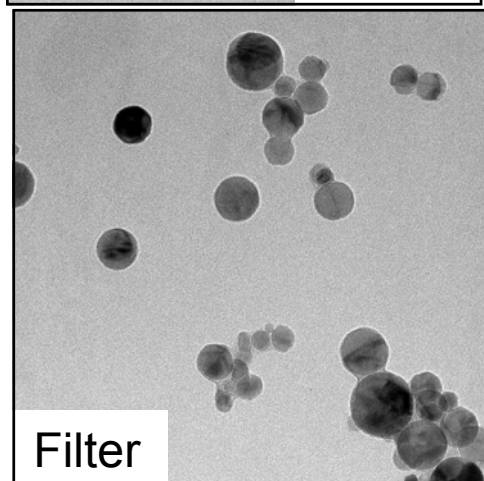
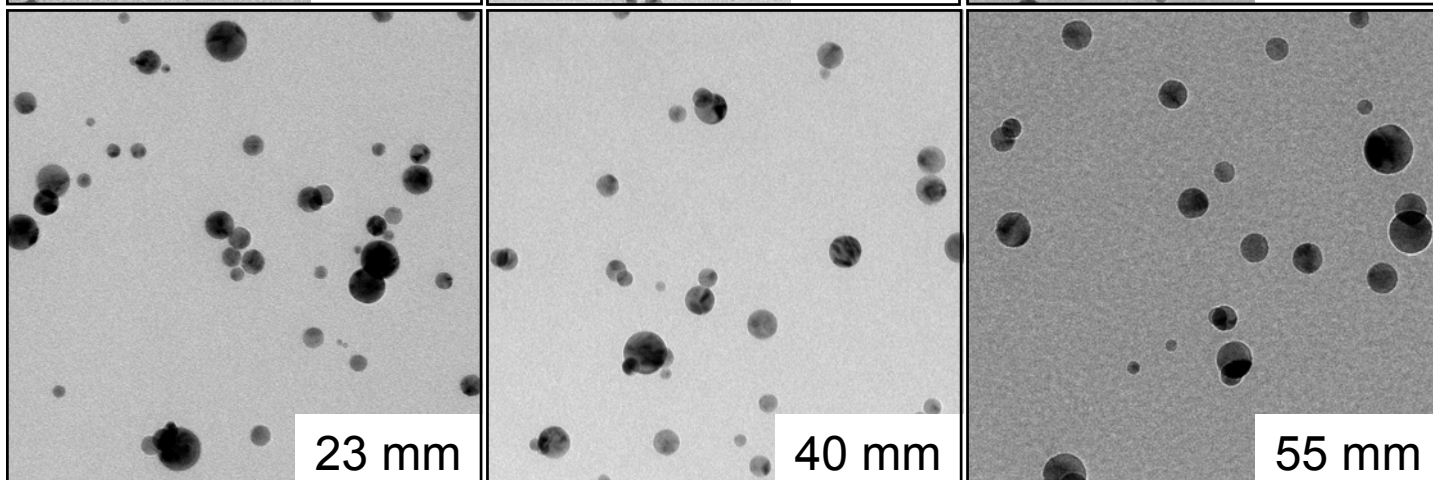
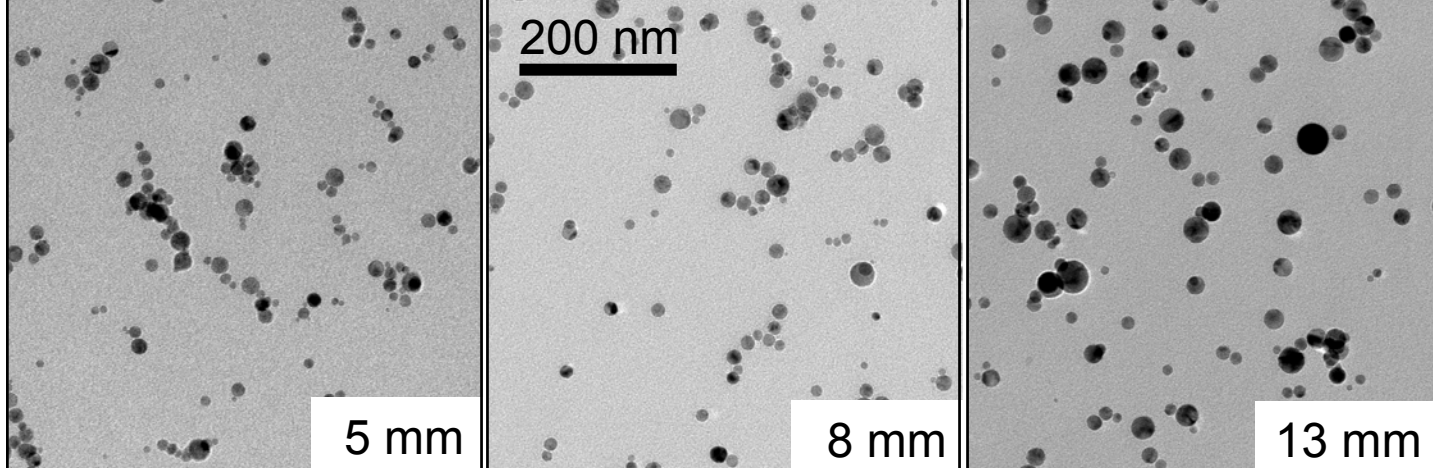
## Thermophoretic Sampling (Height: 1.1 cm)



# Synthesis of Nanoparticles in Flame Aerosol Reactors

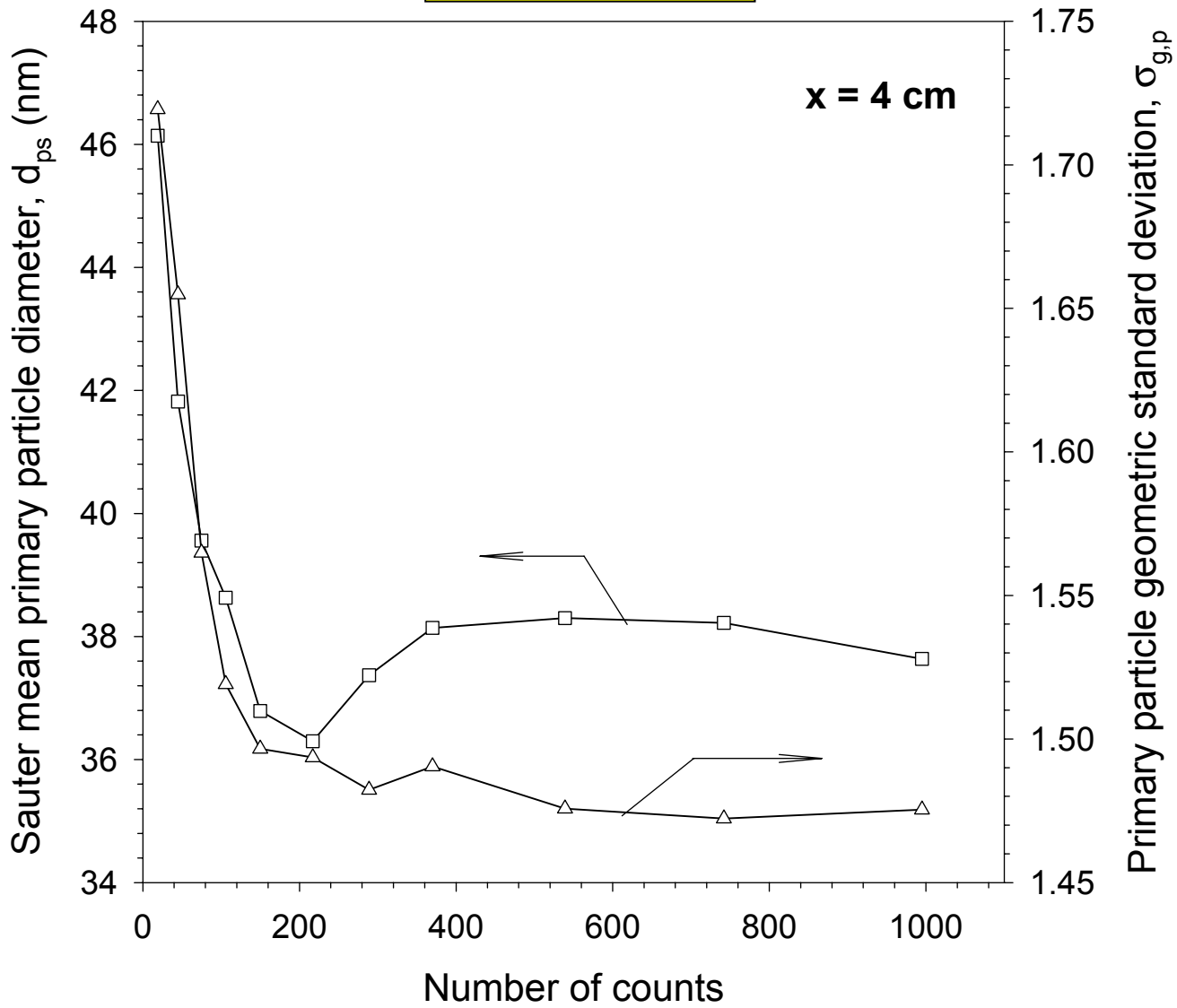
## Thermophoretic Sampling (Height: 3.3 cm)



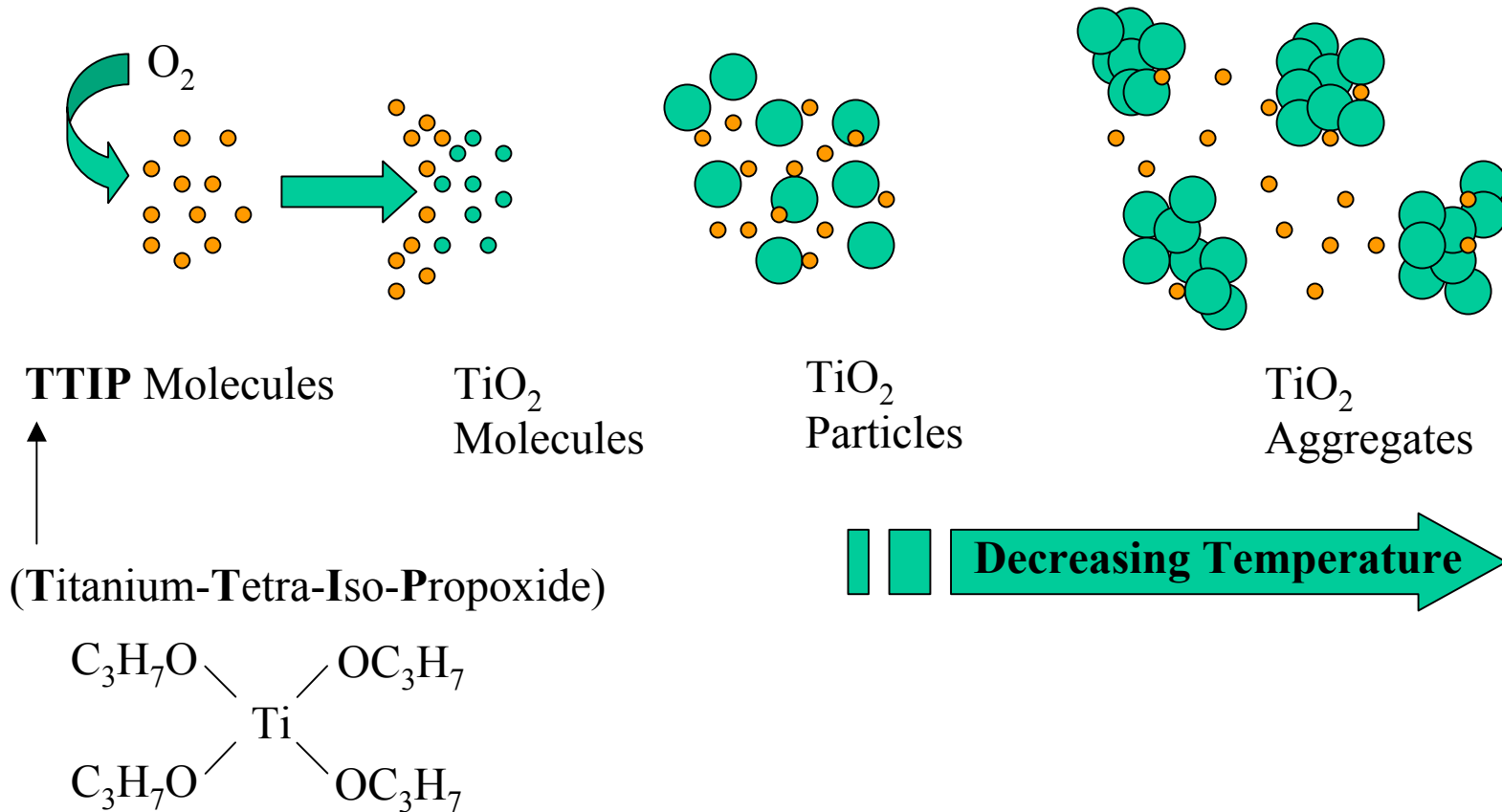


Kammler et al. (2001) *Chem. Eng. Technol.* **24** (6) 583-596

# Particle Counts



# Particle Formation and Growth by Gas Phase Chemical Reaction, Coagulation, Sintering and Surface Growth



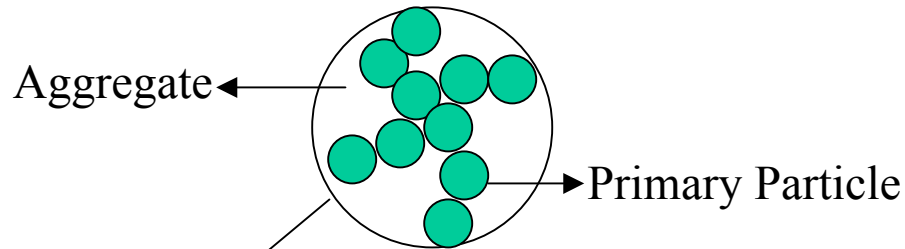
## General Population Balance Equation (in the volume space coordinate)

$$\begin{aligned}
 \frac{\partial n(v, t)}{\partial t} = & -\frac{\partial}{\partial v} [g(v)n(v, t)] + S\delta(v - v_0) + && \text{Growth \& Nucleation} \\
 & + \frac{1}{2} \int_0^v \beta(v', v - v') n(v', t) n(v - v', t) dv' && \text{Birth by Collisions} \\
 & - n(v, t) \int_0^\infty \beta(v, v') n(v', t) dv' && \text{Death by Collisions}
 \end{aligned}$$

S. Tsantilis, H.K. Kammler and Pratsinis, S.E. *Chem. Eng. Sci.*, **57**, 2139-56 (2002).



# Brownian Coagulation of Aggregates (Kruis et al., 1993)



Collision Diameter

Primary Particle Diameter

$$d_{c,i} = d_{p,i} \left( \frac{v_i}{v_{p,i}} \right) \frac{1}{D_f}$$

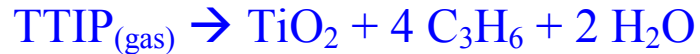
$$d_{p,i} = \frac{6v_i}{\alpha_i}$$

Fuchs Coagulation Coefficient

$$\beta_{i,j} = 2\pi \left( D_i + D_j \right) \left( d_{c,i} + d_{c,j} \right) \left[ \frac{d_{c,i} + d_{c,j}}{d_{c,i} + d_{c,j} + 2g_{i,j}} + \frac{8 \left( D_i + D_j \right)}{c_{i,j} \left( d_{c,i} + d_{c,j} \right)} \right]^{-1}$$

## Reactions and Reaction Rates

*Thermal Decomposition (TD)* of Titanium-Tetra-Iso-Propoxide (TTIP) (Okuyama et al., 1990)



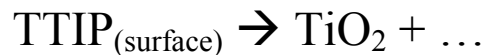
$$k \text{ (1/s)} = 3.96 \cdot 10^5 \cdot \exp(-70.5 \text{kJ/mol}/(\text{R} \cdot \text{T}))$$

*Hydrolysis (H)* of Titanium-Tetra-Iso-Propoxide (TTIP) (Kashima and Sugiyama, 1990)



$$k \text{ (1/s)} = 3 \cdot 10^{15} \cdot \exp(-8.43 \text{kJ/mol}/(\text{R} \cdot \text{T}))$$

*Surface Reaction (SG)* of Titanium-Tetra-Iso-Propoxide (TTIP) (Battiston et al., 1997, 1999)



$$k^{\text{film}} \text{ (cm/s)} = 3 \cdot 10^{11} \cdot \exp(-126 \text{kJ/mol}/(\text{R} \cdot \text{T}))$$

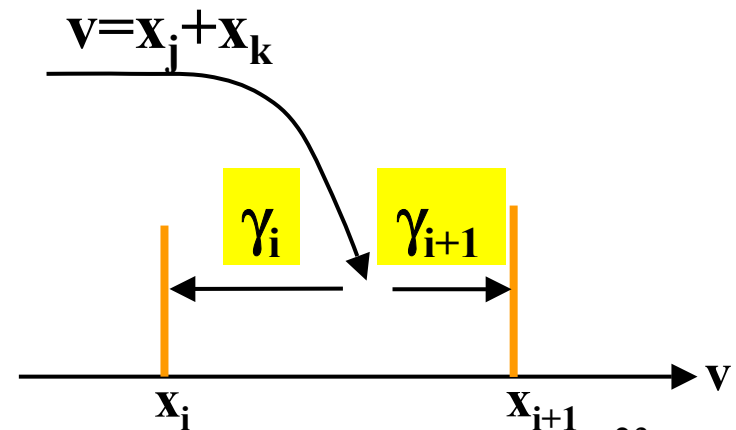
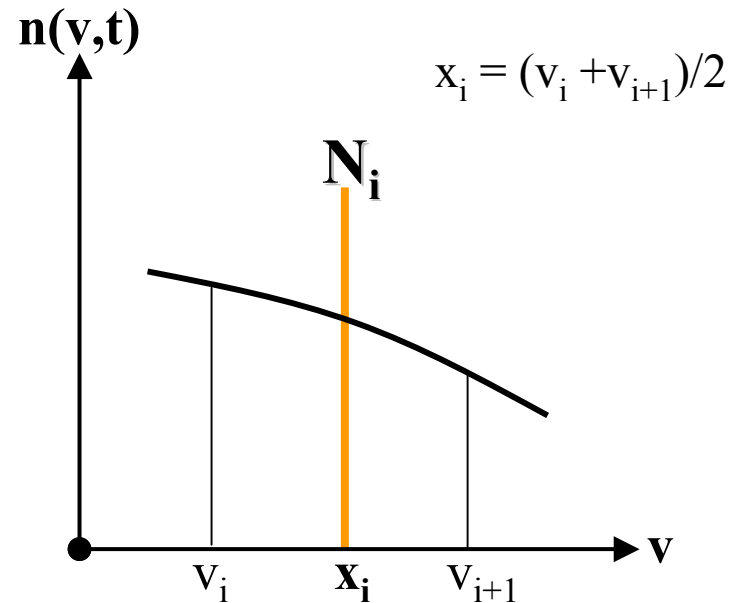
# Sectional Method of Kumar and Ramkrishna (1996)

Population in  $i$ -th size interval is represented by a *pivot*  $x_i$

$$n(v, t) = \sum_{i=1}^M N_i(t) \delta(v - x_i)$$

Incoming particles are assigned to adjacent pivots preserving two or more moments.

$$\left\langle \begin{aligned} \gamma_i(v, x_i) f_1(x_i) + \gamma_{i+1}(v, x_{i+1}) f_1(x_{i+1}) &= f_1(v) \\ \gamma_i(v, x_i) f_2(x_i) + \gamma_{i+1}(v, x_{i+1}) f_2(x_{i+1}) &= f_2(v) \end{aligned} \right\rangle$$



# "Moving" Sectional Model for Coagulation, Surface Growth and Sintering

S. Tsantilis, H.K. Kammler and Pratsinis, S.E. *Chem. Eng. Sci.*, **57**, 2139-56 (2002).

*Particle Number Concentration*-----

$$\frac{dN_i}{dt} = \frac{dN_i}{dt} \Big|_{\text{nuc}} + \frac{dN_i}{dt} \Big|_{\text{coag}}$$

$$\frac{dN_i}{dt} \Big|_{\text{coag}} = \sum_{\substack{i \geq j \geq k \\ x_{i-1} \leq x_j + x_k \leq x_{i+1}}} \left(1 - \frac{1}{2} \delta_{j,k}\right) \beta_{j,k} (N_j N_k) \gamma - \sum_{k=1}^M \beta_{i,k} N_i N_k$$

$$\frac{dN_i}{dt} \Big|_{\text{nuc}} = (k_g C) \eta_i \quad \eta_i = \begin{cases} 1 & v_m \in [v_i, v_{i+1}] \\ 0 & v_m \notin [v_i, v_{i+1}] \end{cases} \quad \frac{dC}{dt} = -k \cdot C$$

*Particle Area Concentration*-----

$$\frac{dA_i}{dt} = \frac{dA_i}{dt} \Big|_{\text{coag}} + \frac{dA_i}{dt} \Big|_{\text{sint}} + \frac{dA_i}{dt} \Big|_{\text{surf}} + \frac{dA_i}{dt} \Big|_{\text{nuc}}$$

$$\frac{dA_i}{dt} \Big|_{\text{coag}} = \sum_{\substack{i \geq j \geq k \\ x_{i-1} \leq x_j + x_k \leq x_{i+1}}} \left(1 - \frac{1}{2} \delta_{j,k}\right) \beta_{j,k} (N_j A_k + N_k A_j) \gamma - A_i \sum_{k=1}^M \beta_{i,k} N_k$$

$$\frac{dA_i}{dt} \Big|_{\text{sint}} = -\frac{1}{\tau_{s,i}} (A_i - N_i \alpha_{i,s}) \quad \frac{dA_i}{dt} \Big|_{\text{surf}} = 4\pi N_i n_{p,i} k_s d_{p,i} C v_m \quad \frac{dA_i}{dt} \Big|_{\text{nuc}} = (k_g C) \alpha_m \eta_i$$

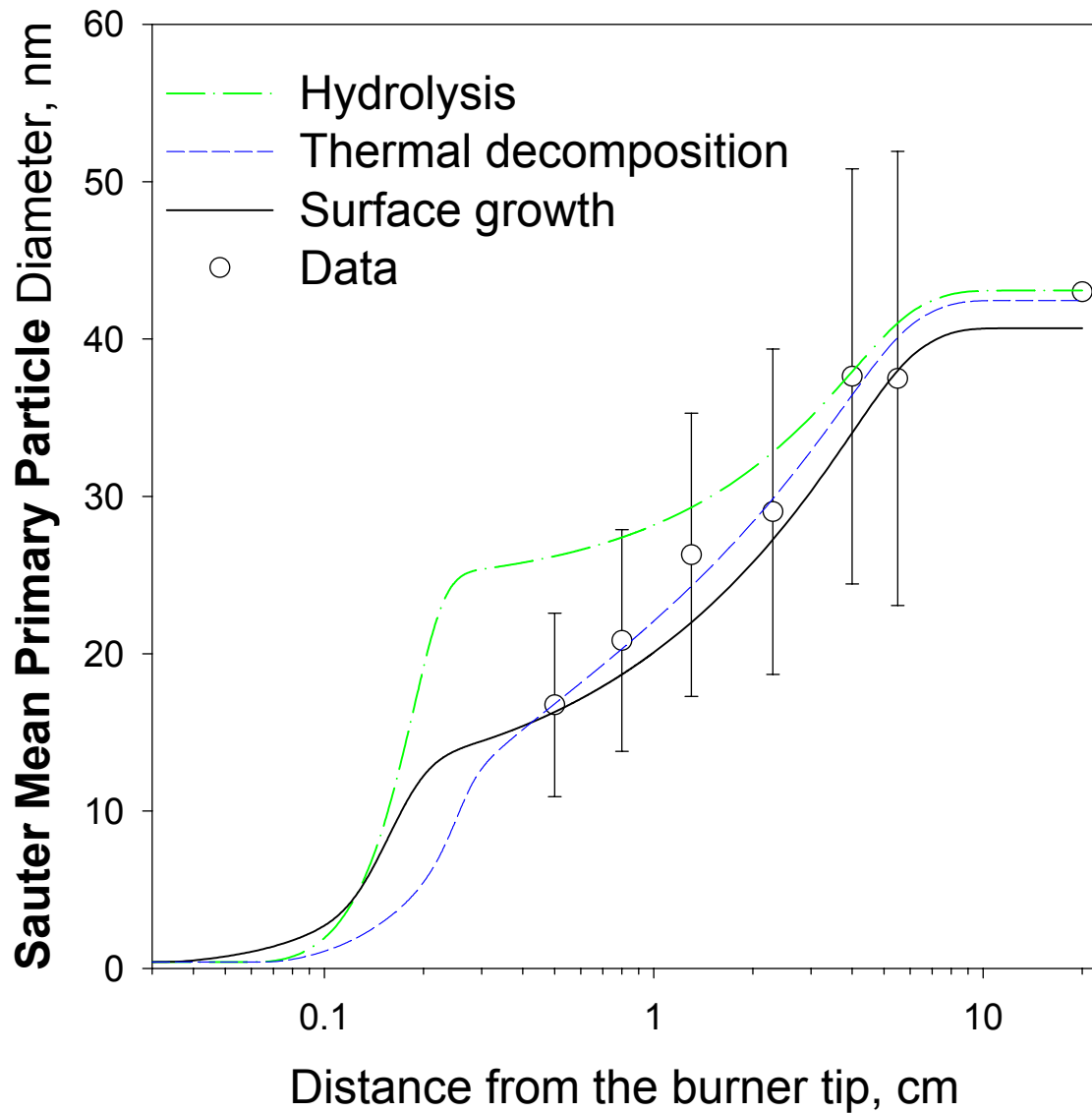
*Particle Volume at the representative point (pivot)*-----

$$\frac{dx_i}{dt} = \frac{dx_i}{dt} \Big|_{\text{nuc}} + \frac{dx_i}{dt} \Big|_{\text{surf}}$$

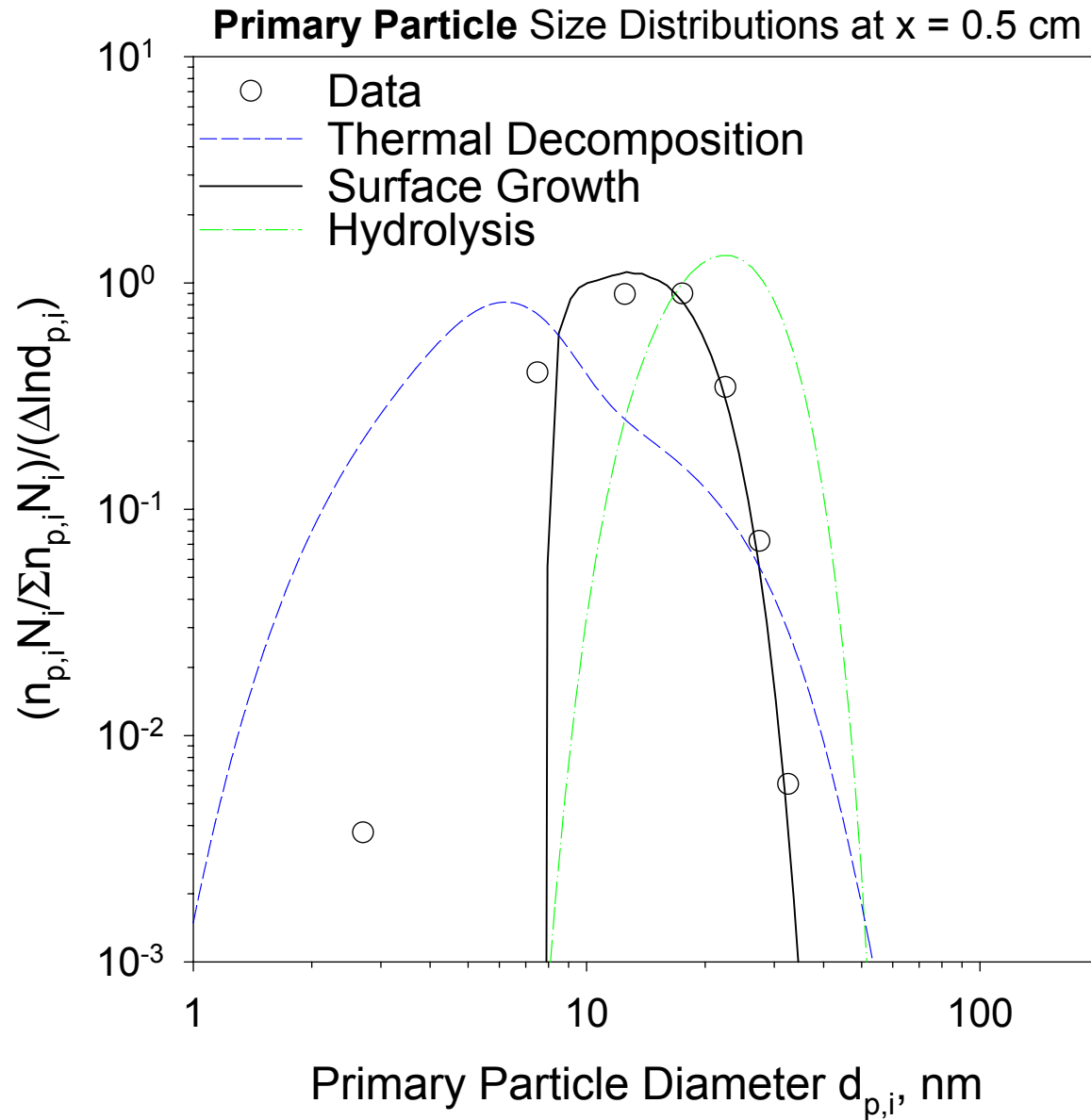
$$\frac{dx_i}{dt} \Big|_{\text{surf}} = \frac{k_s C A_i v_m}{N_i}$$

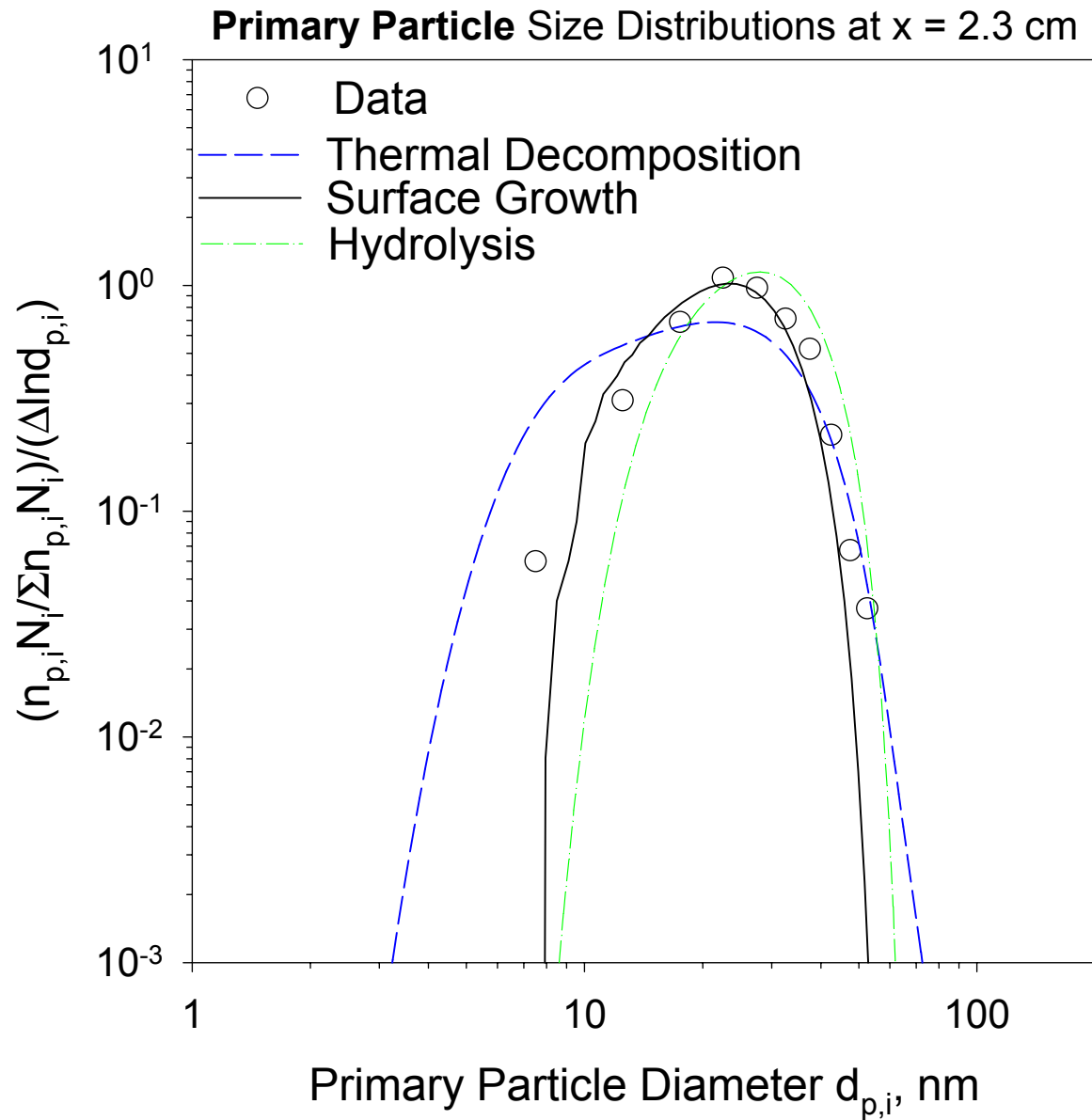
$$\frac{dx_i}{dt} \Big|_{\text{nuc}} = \frac{1}{N_i} (v_m - x_i) (k_g C) \eta_i$$

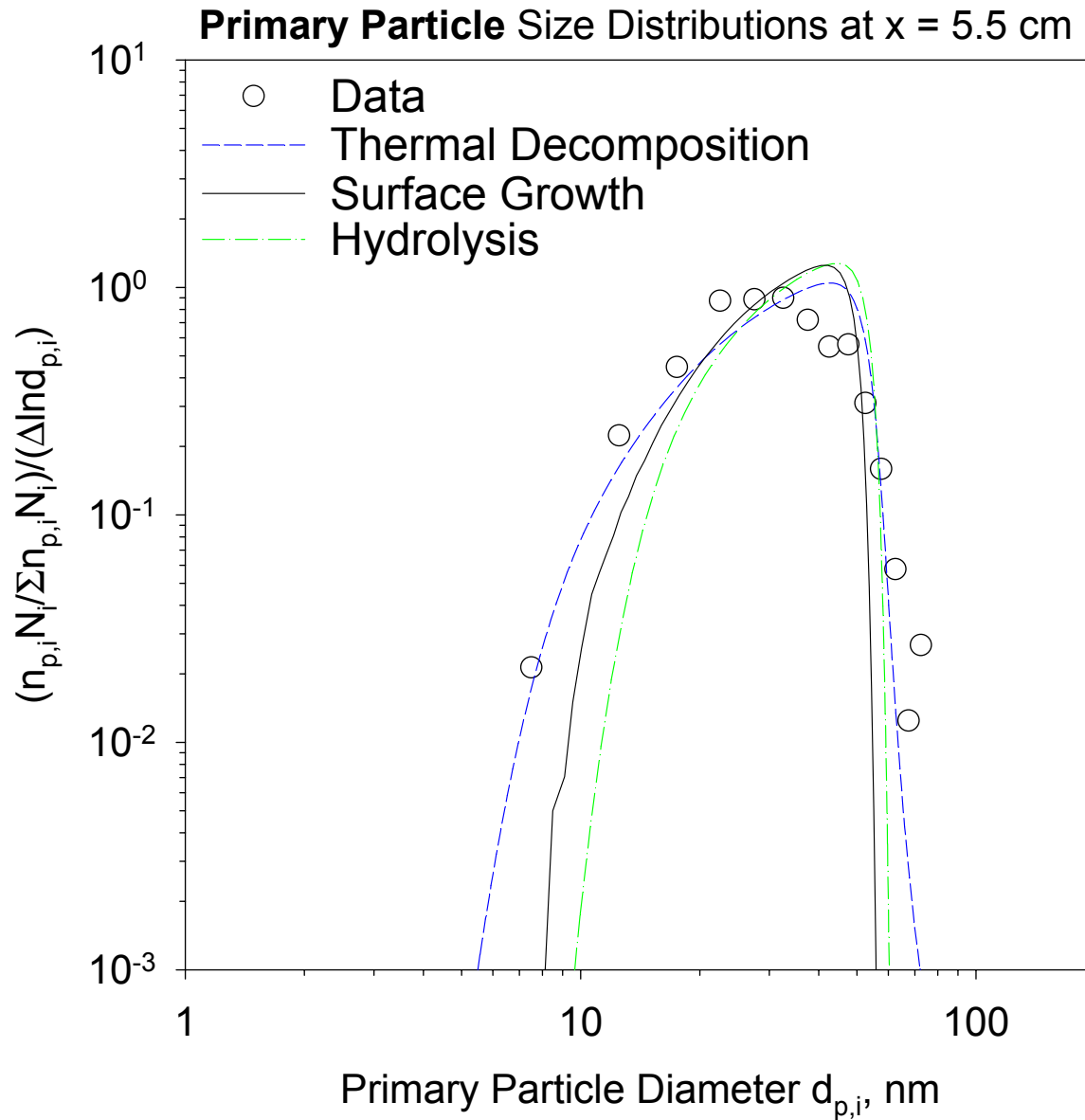
# Simulation Results and Comparison with Experimental Data



# Simulation Results and Comparison with Experimental Data









## **Monodisperse model for coagulation, sintering and surface growth**

S. Tsantilis, H.K. Kammler and Pratsinis, S.E. *Chem. Eng. Sci.*, **57**, 2139-56 (2002).

Precursor Concentration

$$\frac{dC}{dt} = kC = (k_g + k_s A)C$$

Total Number Concentration

$$\frac{dN}{dt} = -\frac{1}{2}\beta N^2 + k_g C$$

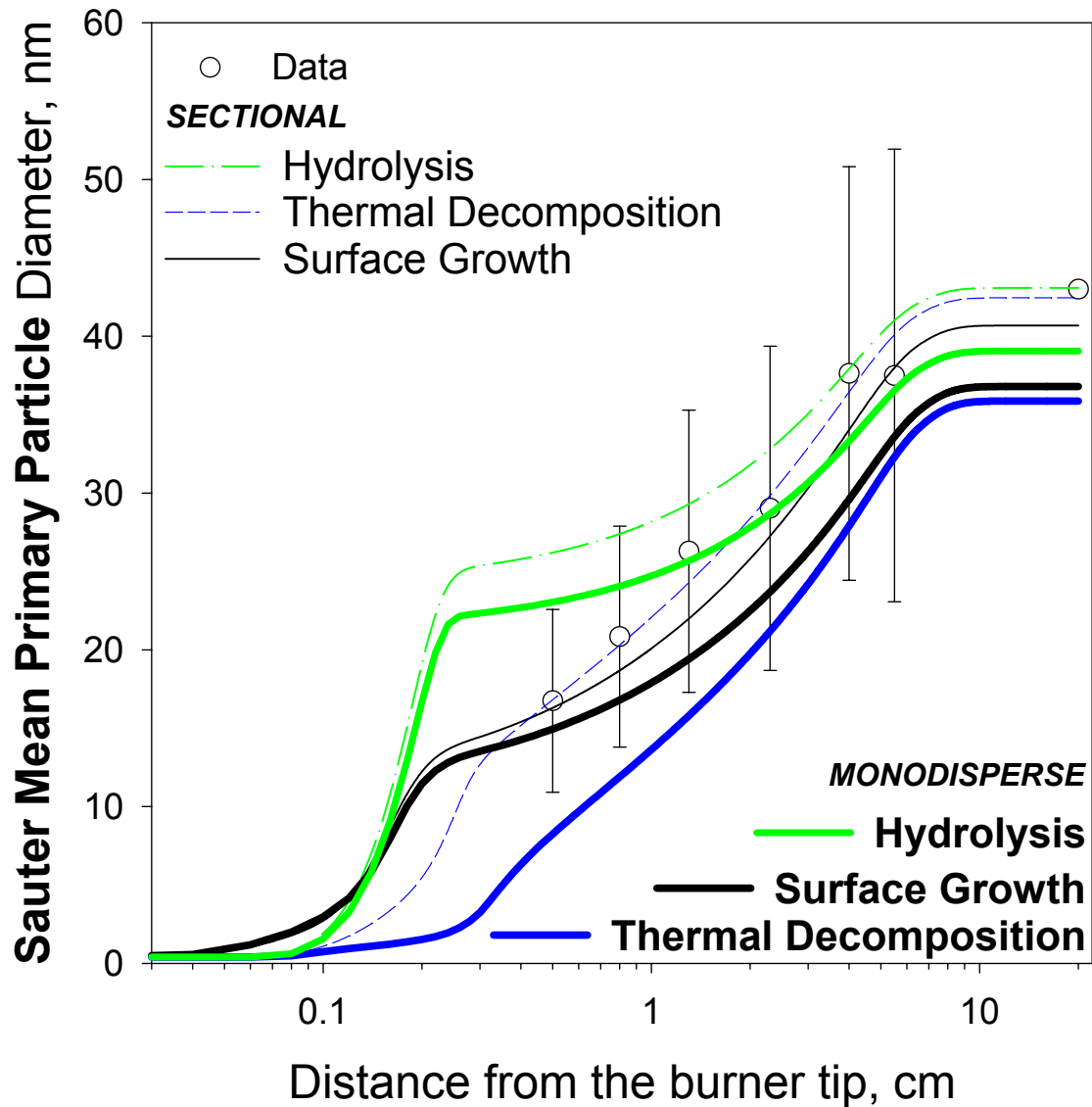
Total Surface Area Concentration

$$\frac{dA}{dt} = k_g C \alpha_m - \frac{1}{\tau_s} (A - N \cdot \alpha_s) + 4\pi N n_p d_p (k_s C) v_m$$

Total Volume Concentration

$$\frac{dV}{dt} = kC v_m$$

# Sectional versus Monodisperse Simulation Results



## Conclusions 1



Chemistry determines size characteristics of nanoparticles made in flames in contrast to the dominance of self-preserving theory for larger ones.



Surface reaction dominates early particle formation and growth.



Molecular dynamics can contribute greatly to nanoparticle formation



Monodisperse predictions are close to sectional calculations (20% w.r.t. dp).

# Reactor Design by Computational Fluid & Particle Dynamics

**Prof. Sotiris E. Pratsinis**  
**Particle Technology Laboratory**  
**Department of Mechanical and Process Engineering,**  
**ETH Zürich, Switzerland**  
**[www.ptl.ethz.ch](http://www.ptl.ethz.ch)**

## Sintering rate of particle area $a$

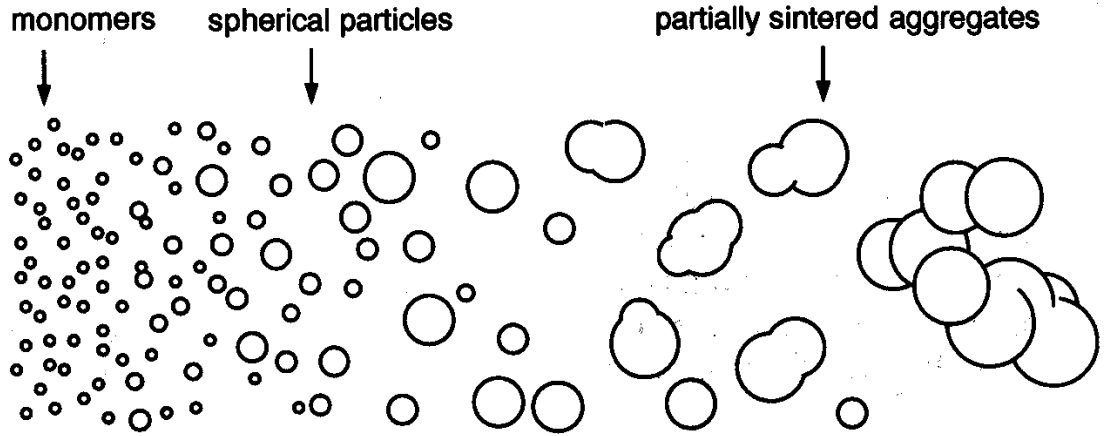
$$\frac{da}{dt} = -\frac{1}{\tau} (a - a_s)$$

Koch, Friedlander, *J. Colloid Interface Sci.* **140**, 419 (1990)

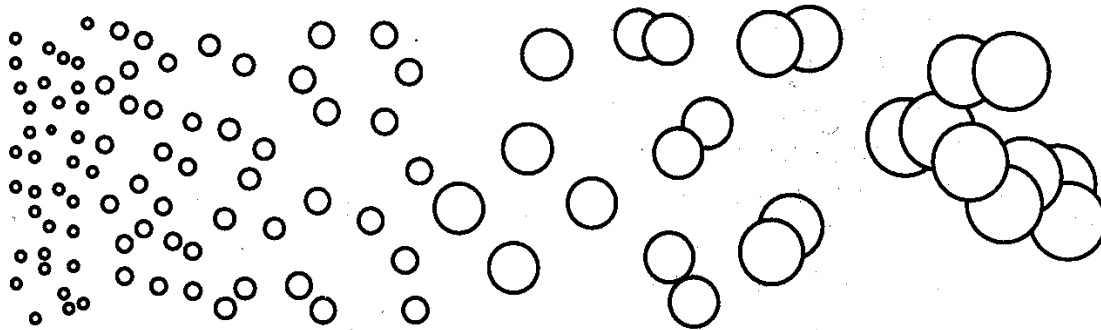
Chemical Reaction  
Primary particle growth by collision and full coalescence  
e.g.



Formation of irregular aggregates by coagulation and partial sintering during gas cooling and primary particle growth



**Experimental system**



**Model system**

## Simple model

$$\frac{dN}{dt} = -\frac{1}{2} \beta N^2$$

$$\frac{da}{dt} = -\frac{1}{N} \frac{dN}{dt} a - \frac{1}{\tau} (a - a_s)$$

$$d_c = d_p (v / v_p)^{1/D_f}$$



## Einbinden der Populationsbilanzen

Kollision:

$$\frac{dN}{dt} = -\frac{1}{2} \cdot \beta \cdot N^2 \quad \longrightarrow \quad \frac{\partial(\rho_g u_k N)}{\partial x_k} = -\left[ \frac{1}{2} \cdot \beta \cdot \rho_g^2 \cdot N \right] \cdot N + I$$

Sintern:

$$\frac{da}{dt} = -\frac{1}{N} \cdot \frac{dN}{dt} \cdot a - \frac{1}{\tau} \cdot (a - a_s) \quad \longrightarrow \quad \frac{\partial(\rho_g u_k A)}{\partial x_k} = -\left[ \frac{\rho_g}{\tau} \right] \cdot A + \frac{\rho_g}{\tau} \cdot A_s + I \cdot a_o$$



## Beispiele

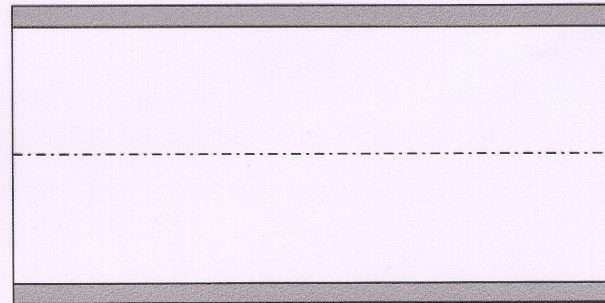
### Vorgemischt

$T_g = 800 \text{ K}$

$\text{TiCl}_4, \text{Ar}, \text{O}_2$



$T_w = 1673 \text{ K}$



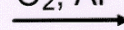
### Diffusion

$T_g = 800 \text{ K}$

$\text{TiCl}_4, \text{Ar}$



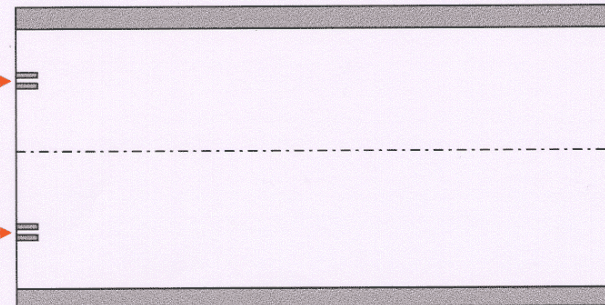
$\text{O}_2, \text{Ar}$



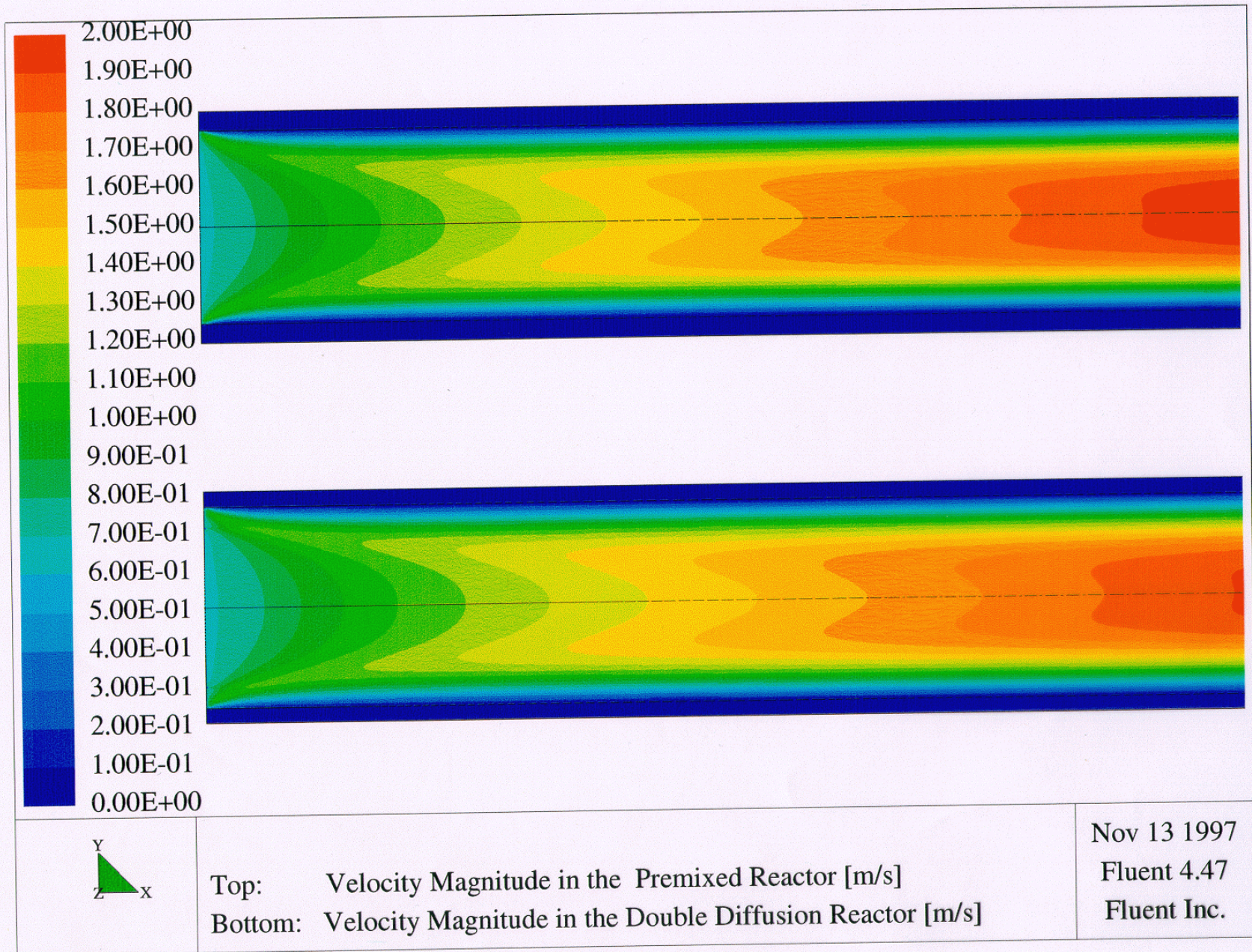
$\text{TiCl}_4, \text{Ar}$



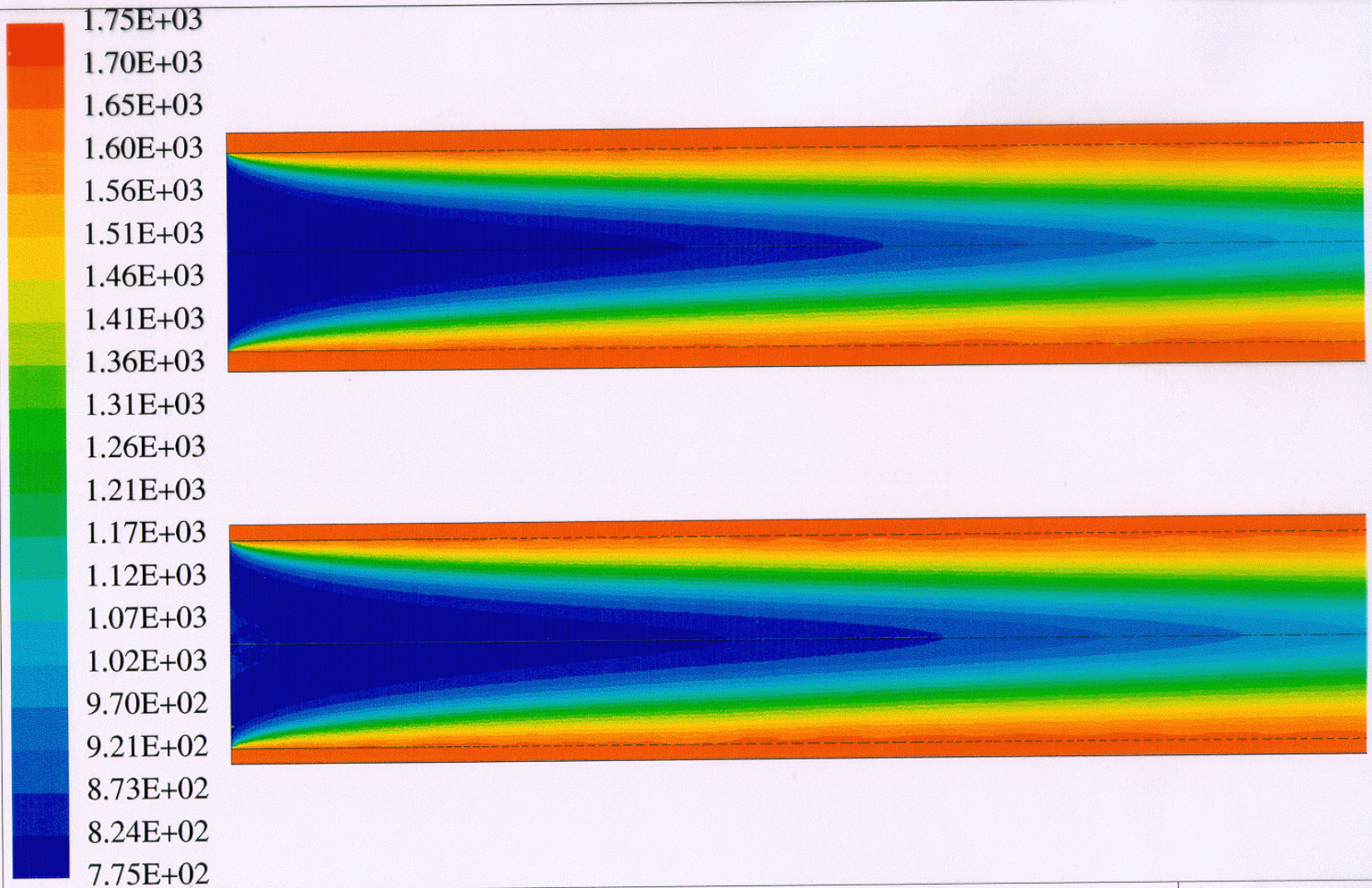
$T_w = 1673 \text{ K}$







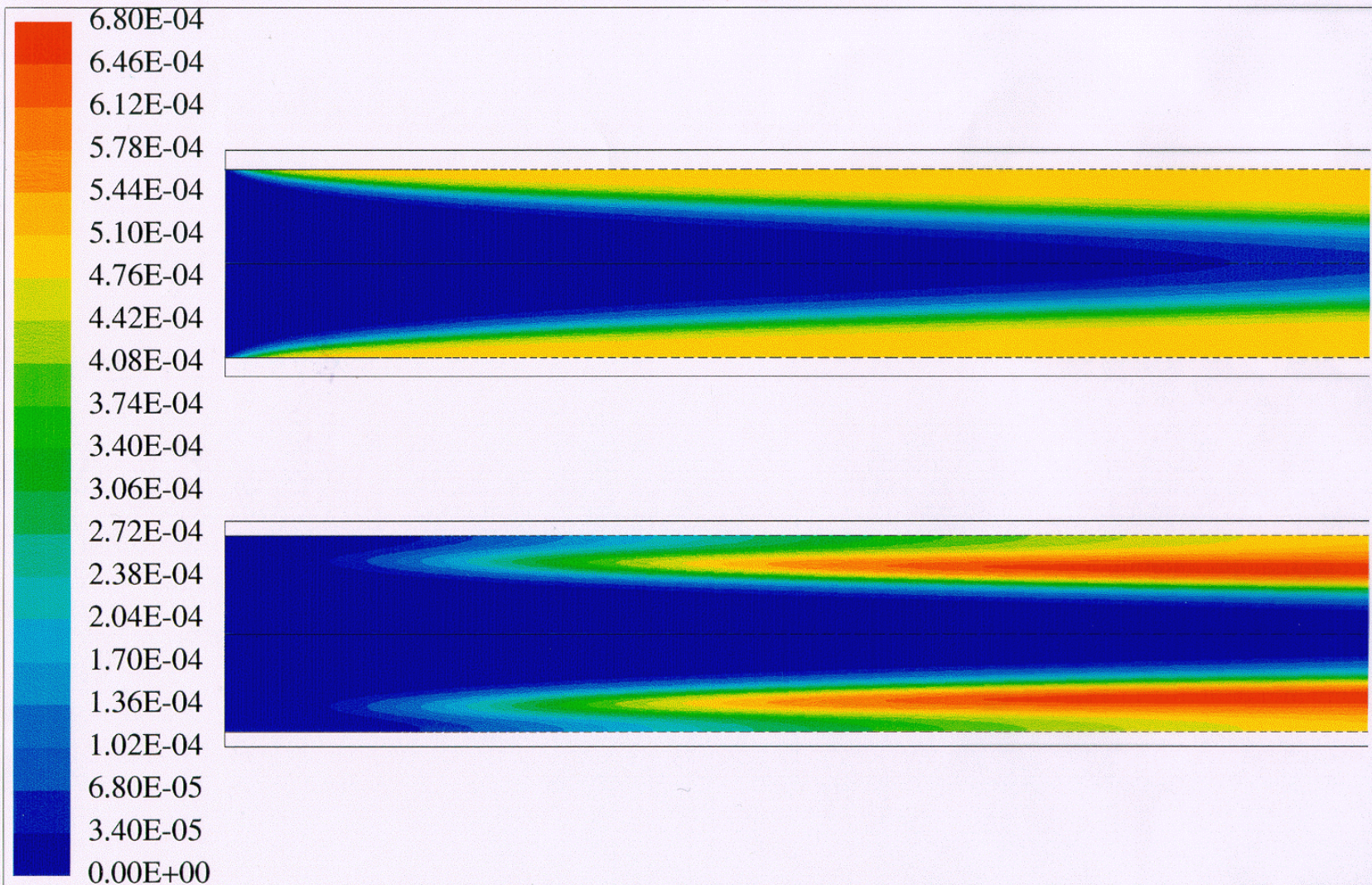




Top: Temperature in the Premixed Reactor [K]  
 Bottom: Temperature in the Double Diffusion Reactor [K]

Nov 13 1997  
 Fluent 4.47  
 Fluent Inc.

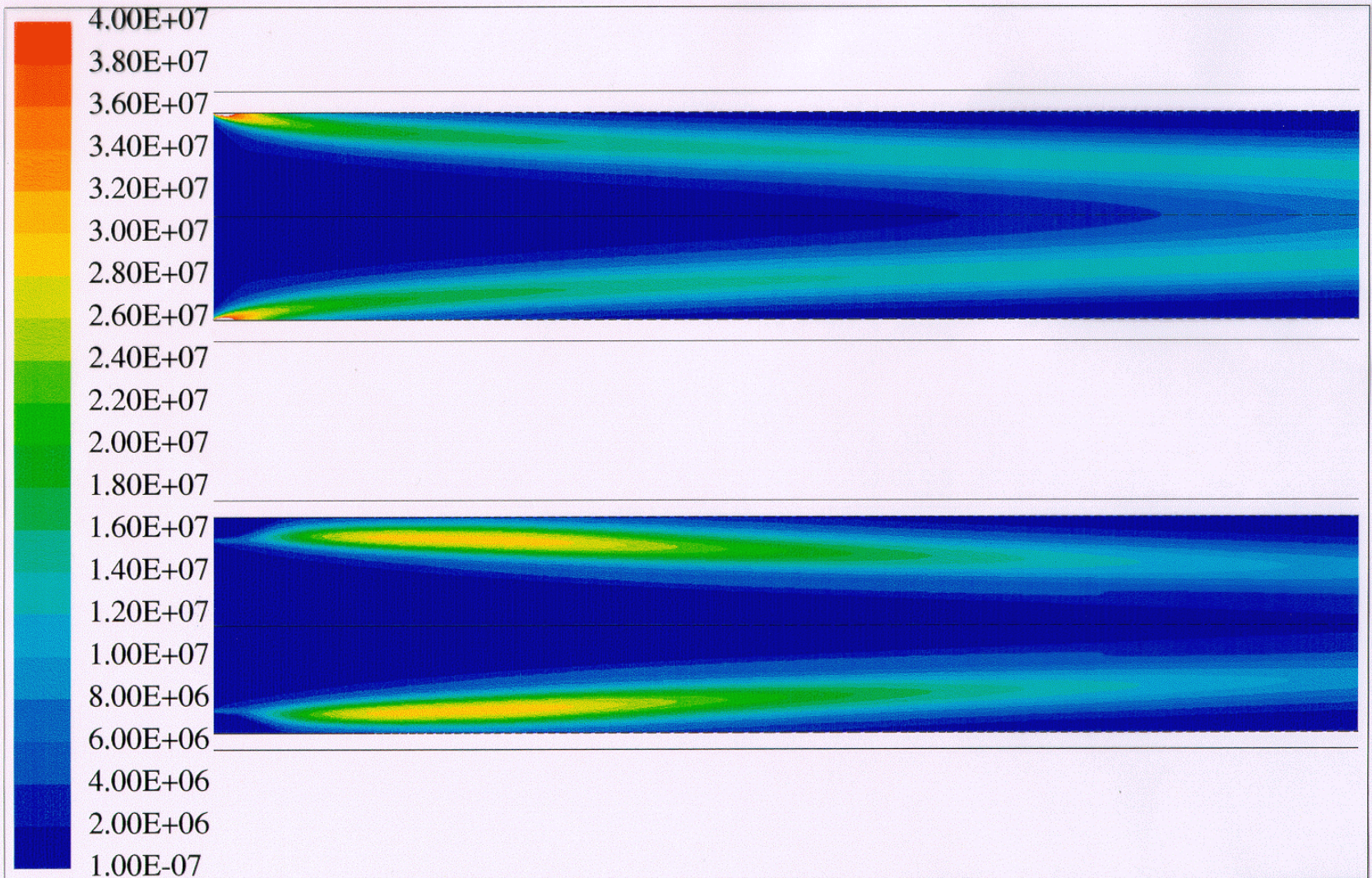




Top: TiO<sub>2</sub> Mass Fraction in the Premixed Reactor  
 Bottom: TiO<sub>2</sub> Mass Fraction in the Double-Diffusion Reactor

Nov 13 1997  
 Fluent 4.47  
 Fluent Inc.

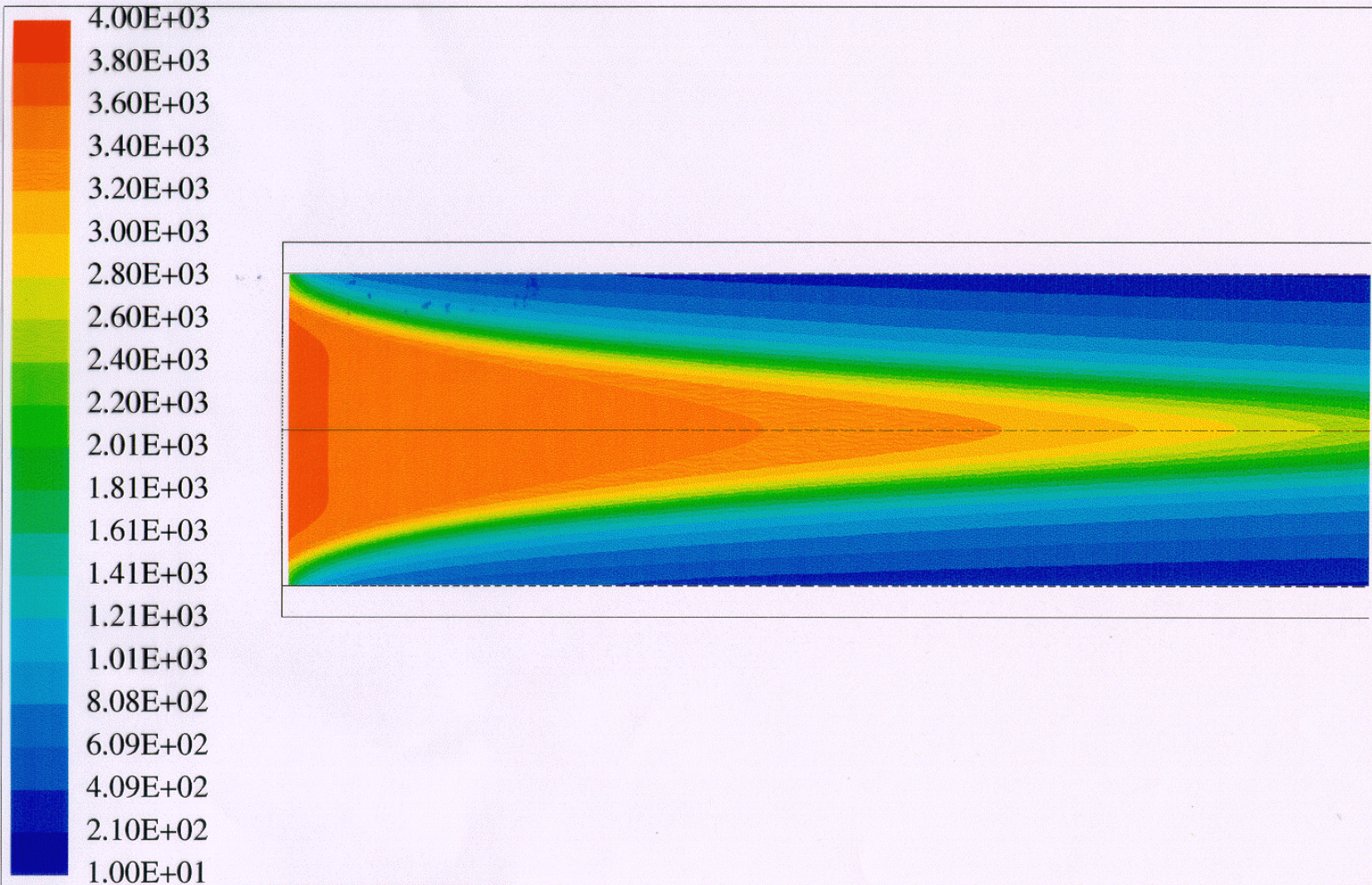




Top: Number Concentration; Premixed Reactor [ $1.E12 \text{ \#/kg}$ ]  
 Bottom: Number Concentration; Double-Diffusion Reactor [ $1.E12 \text{ \#/kg}$ ]

Nov 13 1997  
 Fluent 4.47  
 Fluent Inc.

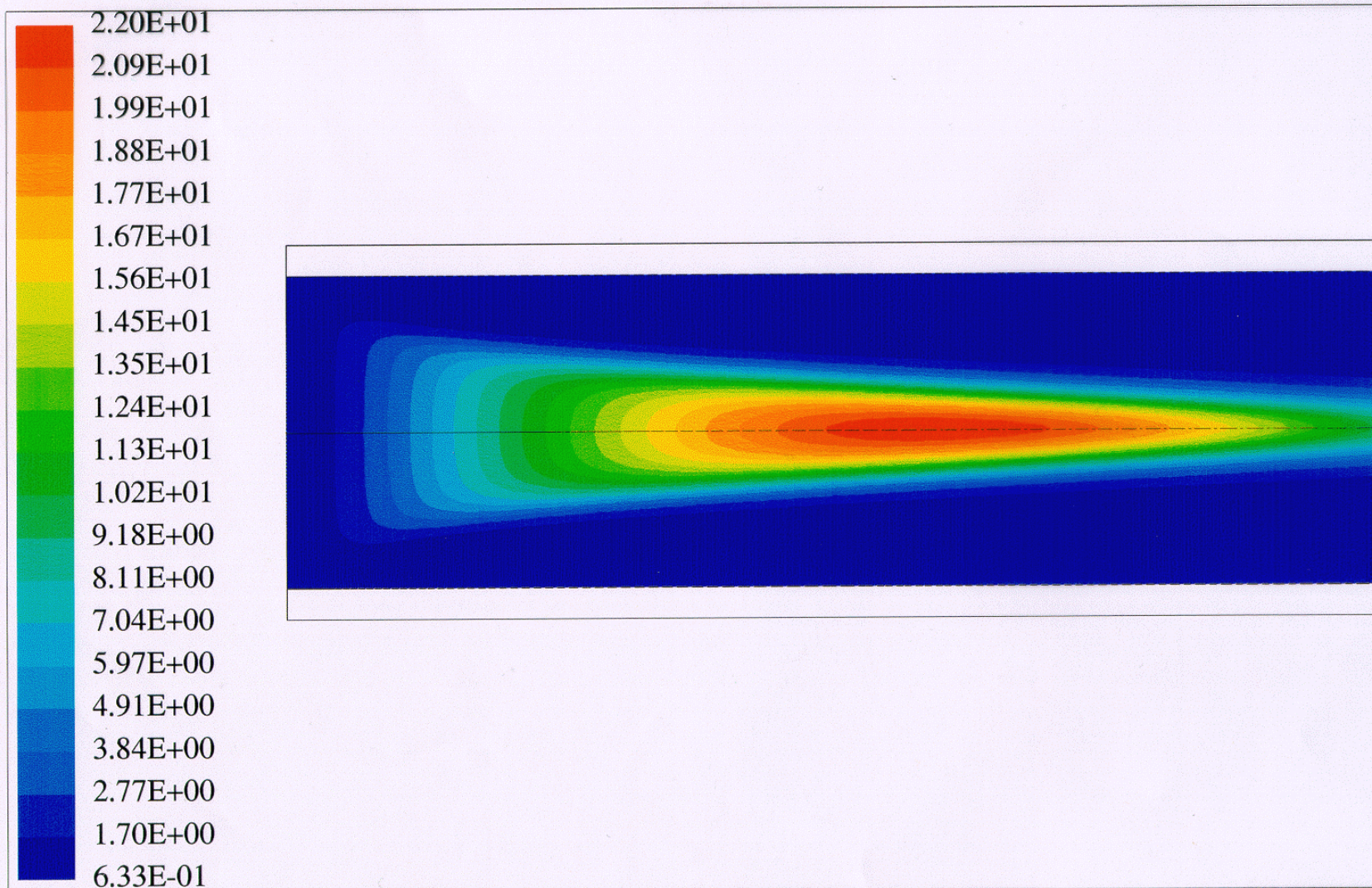




Specific Surface Area [m<sup>2</sup>/g]  
Premixed Reactor

Nov 13 1997  
Fluent 4.47  
Fluent Inc.

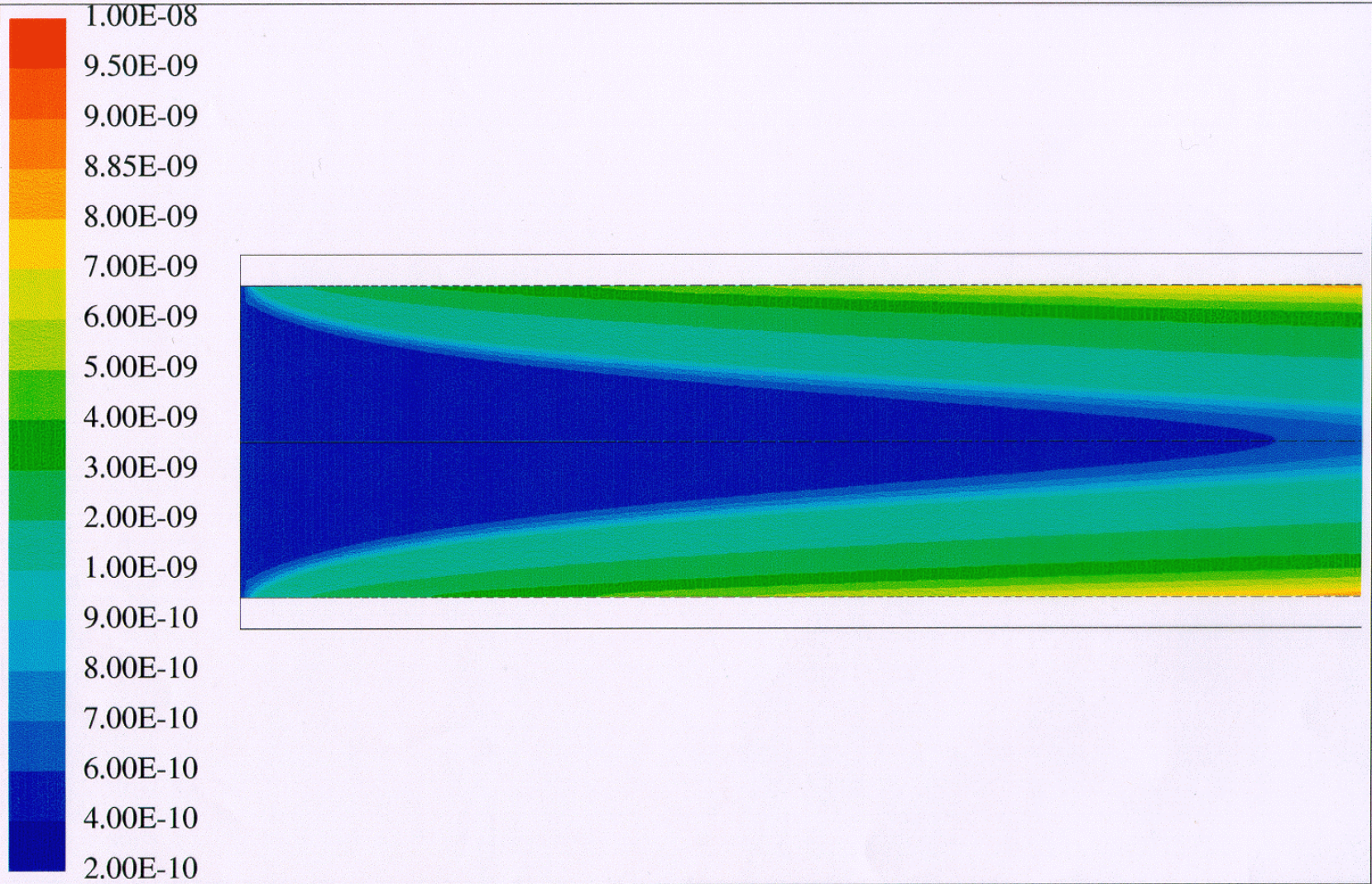




Number of Primary Particles per Aggregate  
 Premixed Reactor

Nov 13 1997  
 Fluent 4.47  
 Fluent Inc.

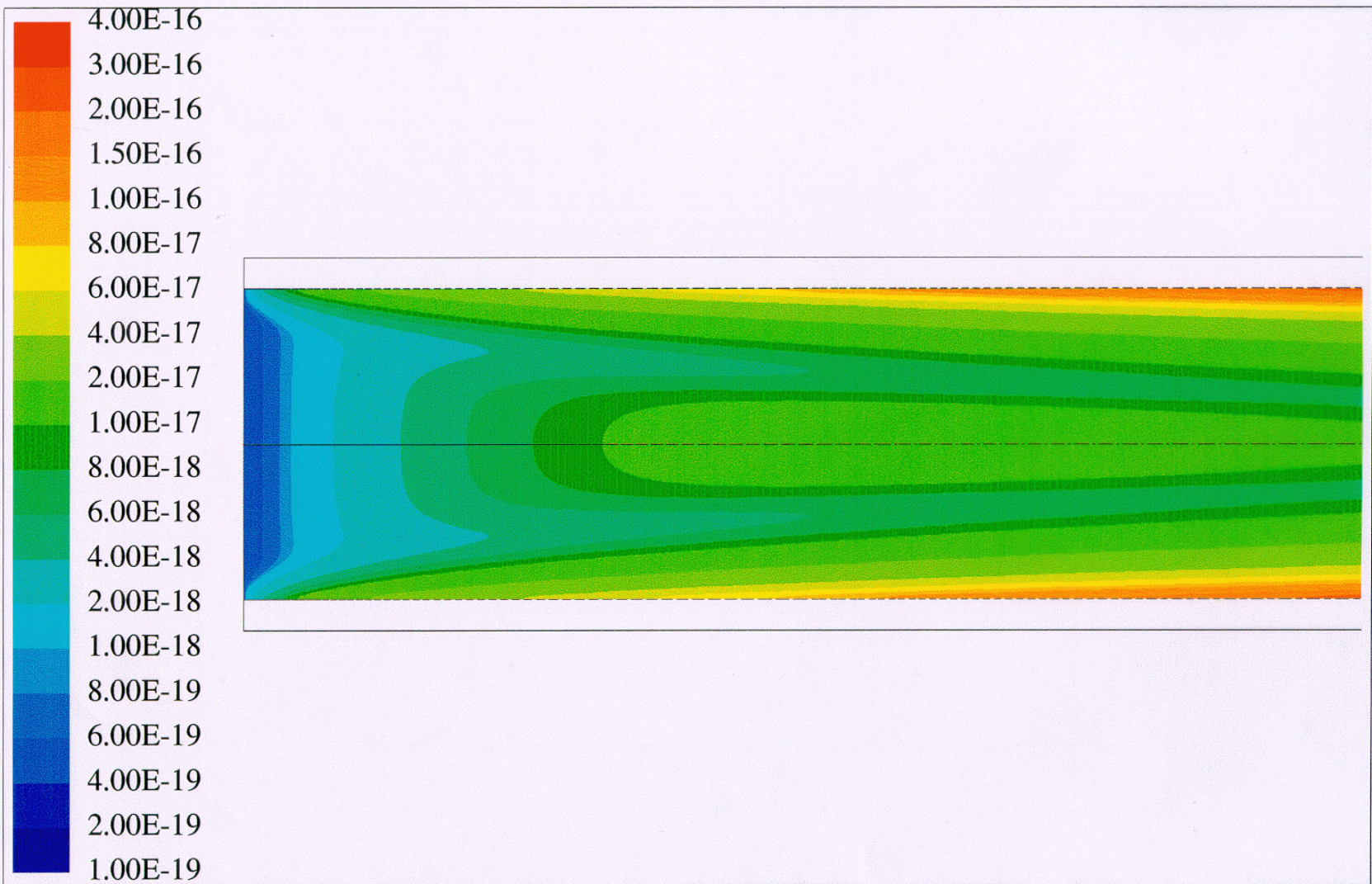




Primary Particle Diameter [m]  
 Premixed Reactor

Nov 14 1997  
 Fluent 4.47  
 Fluent Inc.





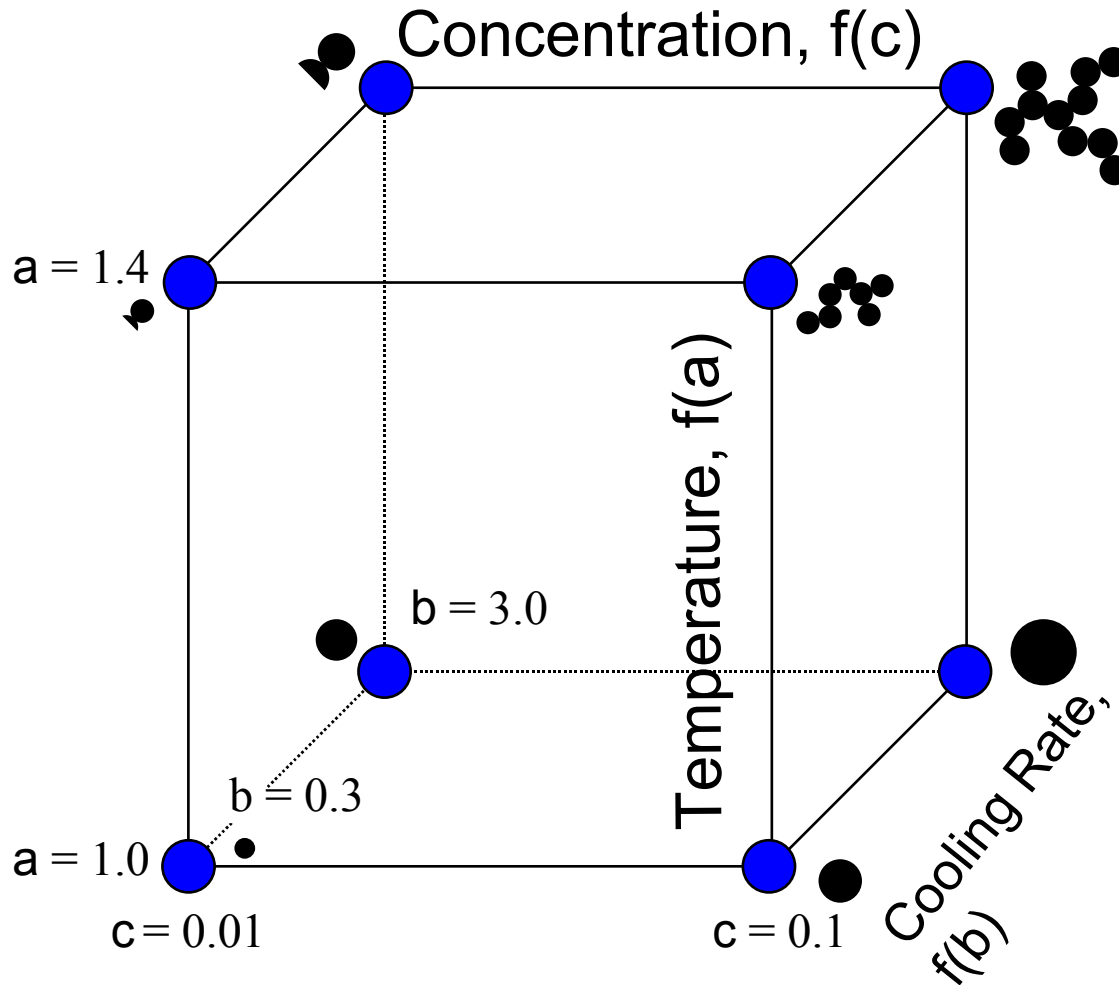
Aggregate Surface Area [m<sup>2</sup>]  
Premixed Reactor

Nov 13 1997  
Fluent 4.47  
Fluent Inc.



degussa.

## Design of Equipment



Predictions within 3%  
of product SSA  
(Gutsch, 1997)

H. Mühlenweg, A. Gutsch, A. Schild, C. Becker “Simulation for process and product optimization”, *Silica 2001, 2<sup>nd</sup> International Conference on Silica*, Mulhouse, France (2001) and  
G. Vargas Commercializing Chemical Technology: Realization of Complete Solutions using Chemical Nanotechnology, Lecture at Nanofair, St. Gallen, Switzerland, Sept. 11, 2003.

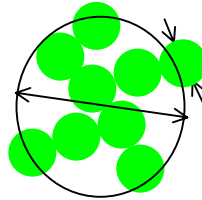
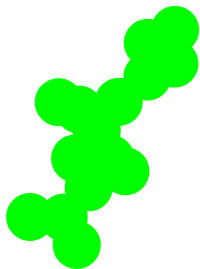
# Agglomerate and Primary Particle Size Definitions

Agglomerate Collision Diameter

$$d_c = d_p \left( \frac{v}{v_p} \right)^{1/D_f}$$



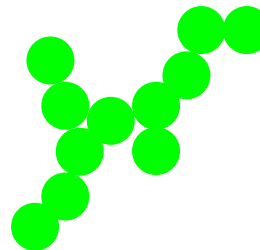
*Hard Agglomerate*



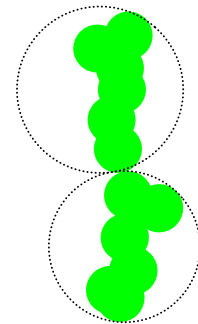
Primary Particle Diameter

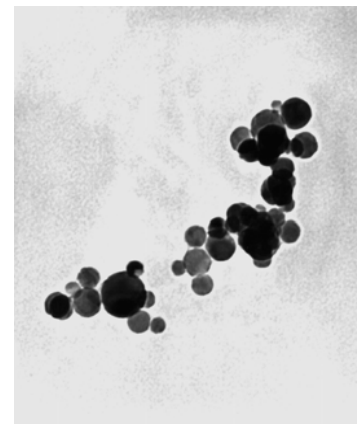
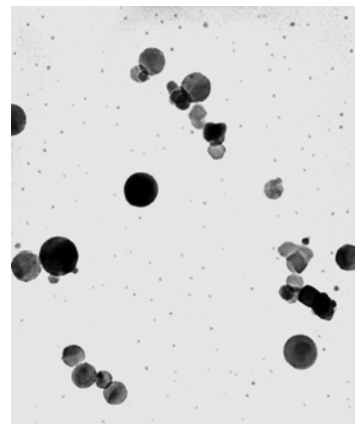
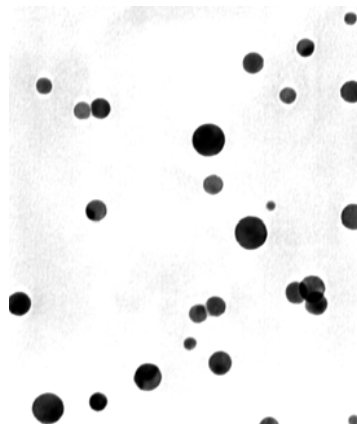
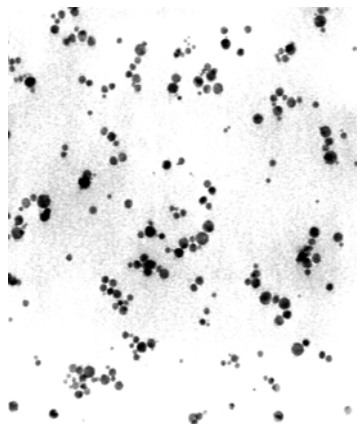
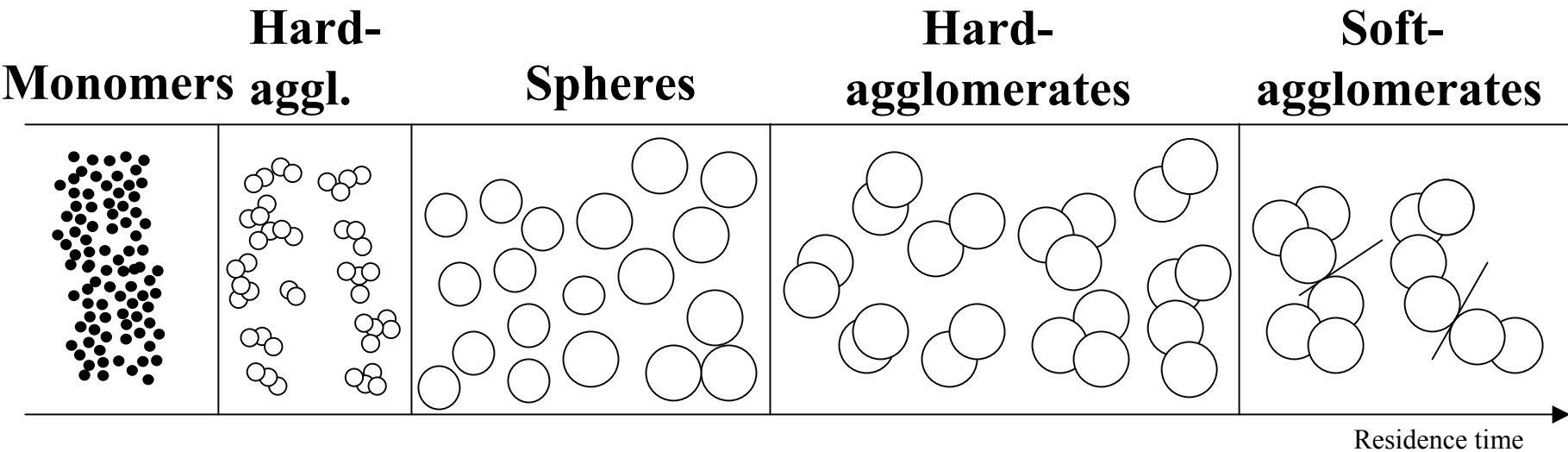
$$d_p = \frac{6v}{\alpha}$$

*Soft Agglomerate  
of Spherical Particles*

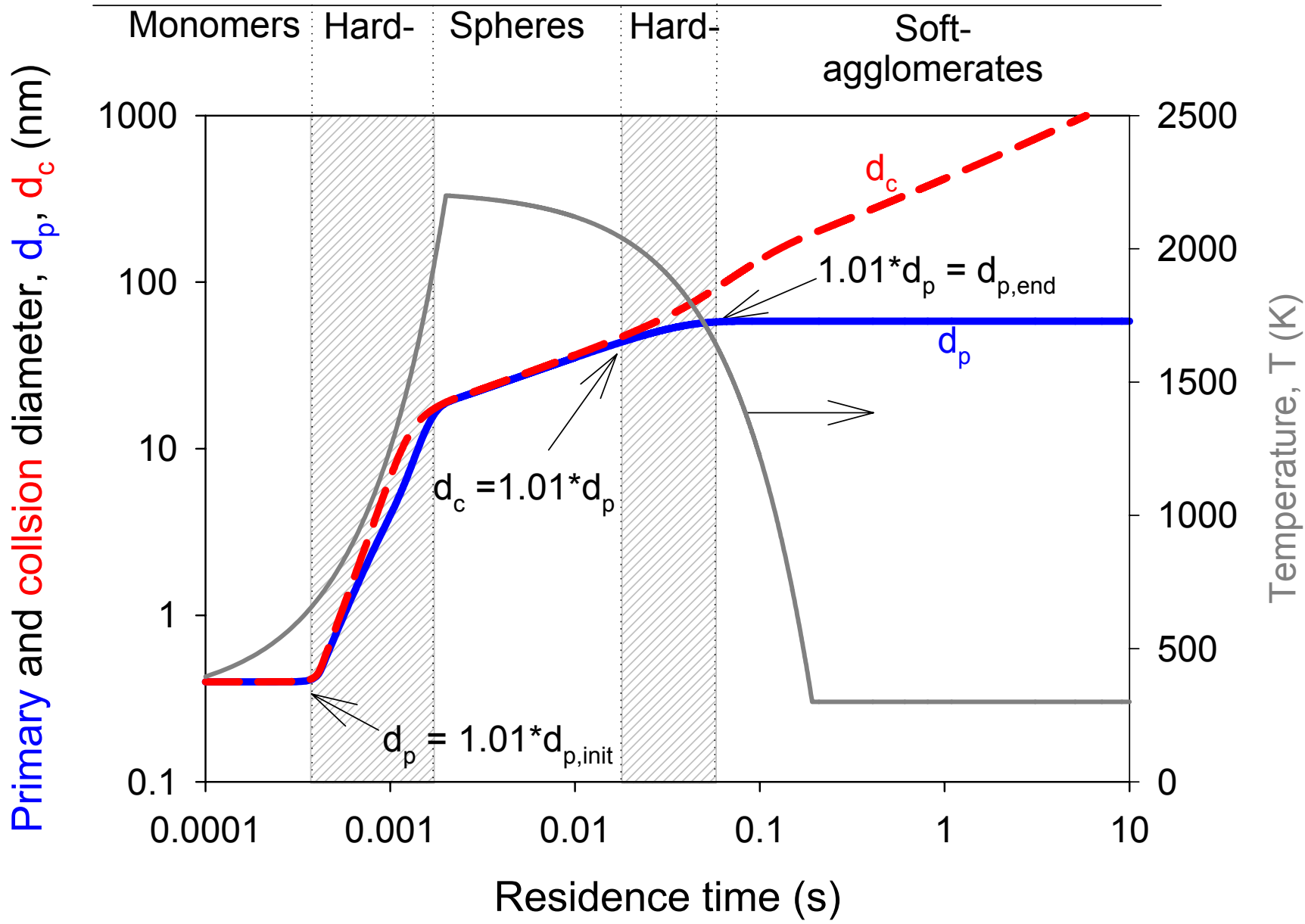


*Soft Agglomerate*

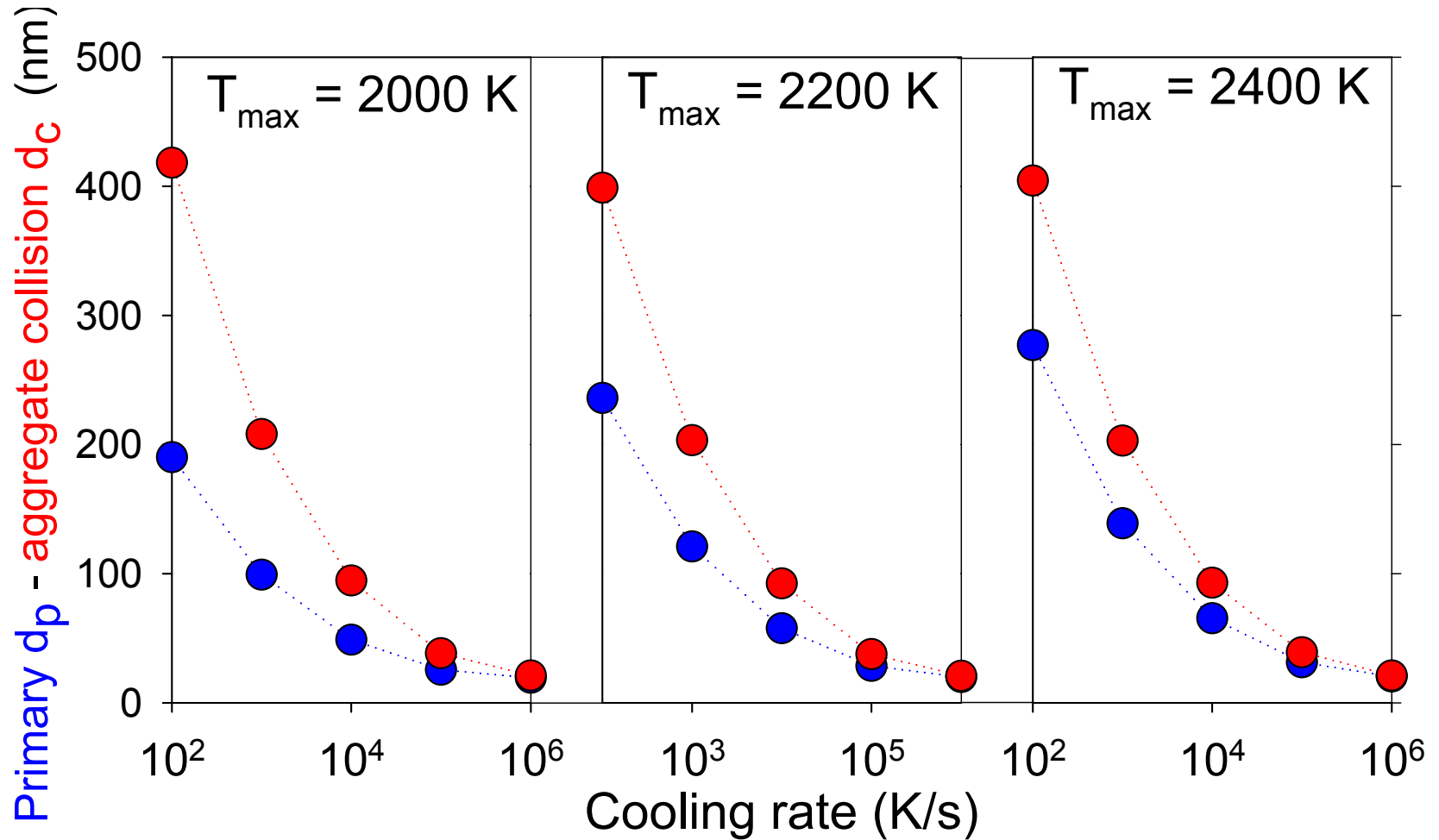




Images from: Arabi-Katbi, O. I., Pratsinis, S. E., Morrison, P. W. and Megaridis, C. M. (2001), Monitoring the flame synthesis of TiO<sub>2</sub> particles by in-situ FTIR spectroscopy and thermophoretic sampling. *Combust. Flame* **124**: 560-572.



# Effect of cooling rate on particle diameters



# TiO<sub>2</sub>: Maps for degree of agglomeration

$$d_c/d_p =$$

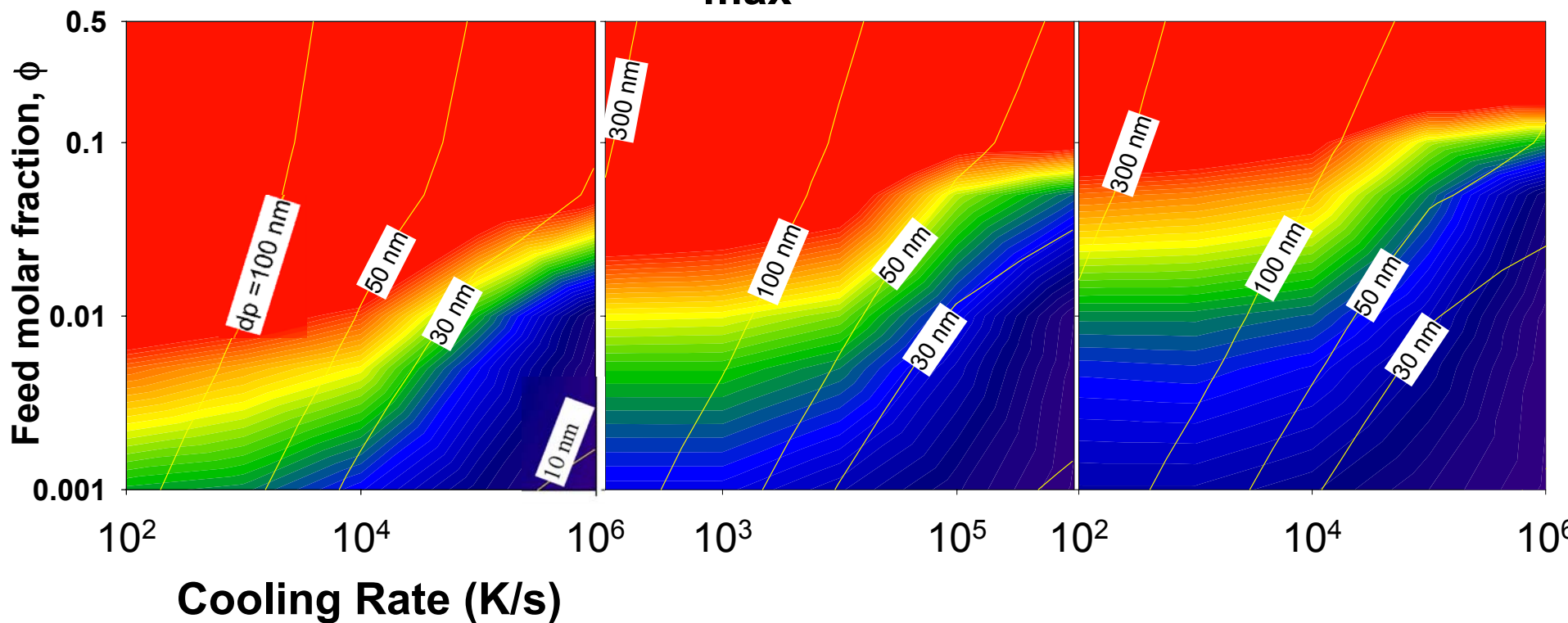
1 1.1 1.2 1.3 1.4 1.5 1.6 1.7 1.8 1.9 2



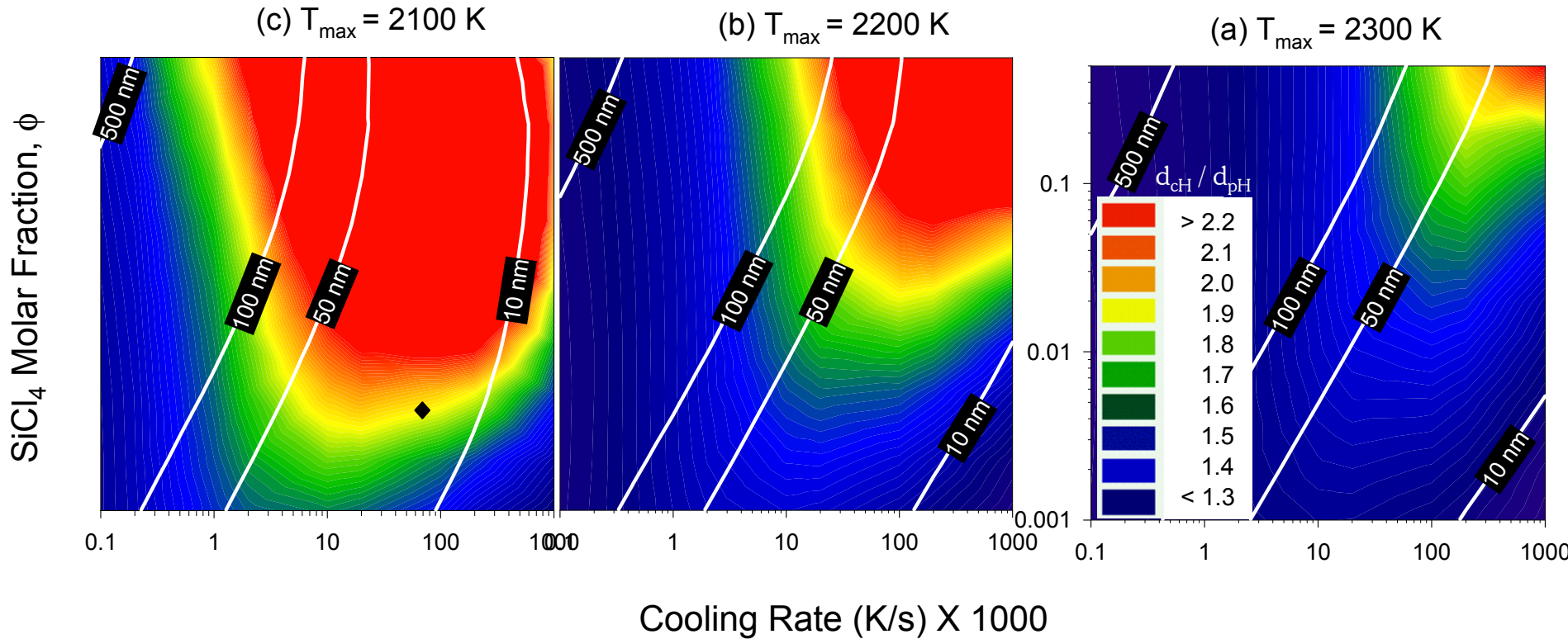
$T_{\max} = 2000$  K

$T_{\max} = 2200$  K

$T_{\max} = 2400$  K



## SiO<sub>2</sub>: Maps of Degree of Agglomeration ( $h = d_{cH} / d_{pH}$ )



S. Tsantilis, S. E. Patsinis, "Soft- and Hard-agglomerate Aerosols made at High temperatures", *Langmuir*, in press (2004).

## Summary

- Regions of hard- and soft-agglomerates were identified in terms of maximum process temperature,  $T_{max}$ , cooling rate, CR, and precursor initial concentration,  $C_0$ .
- Increasing cooling rate decreased the hard-agglomerate collision and primary particle diameters.
- Lightly agglomerated  $\text{SiO}_2$  particles are formed at high  $T_{max}$  and high CR nearly regardless of  $C_0$
- In contrast, for  $\text{TiO}_2$ , the  $C_0$  determines the agglomeration state and to a lesser extent  $T_{max}$  while CR hardly affects it.
- Predictions were consistent with experimental data.



# Gas-Phase (Aerosol) Synthesis of Nanoparticles: Scale-up

Karsten Wegner and Sotiris E. Pratsinis  
*Particle Technology Laboratory*  
*Department of Mechanical and Process Engineering*  
*ETH Zurich*  
*CH-8092 Zurich, Switzerland*

*Supported by the*  
*Swiss Commission for Technology and Innovation*

# Overview of Scale-up

## Vapor-fed Diffusion Flames

Burner Geometry & Reactant Mixing

Reactor Operation Lines and Correlations

## Liquid-fed Spray Flames

Metal/Ceramic & Hollow Particles

## Conclusions

# Flames for manufacture of inorganic nanoparticles

## Established advantages

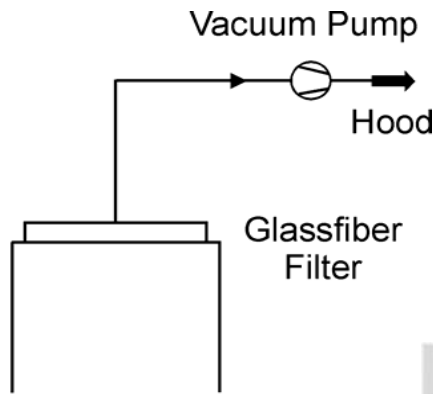
High purity product  
Easy collection  
No liquid waste  
Scalable process  
No moving parts

## Research challenges

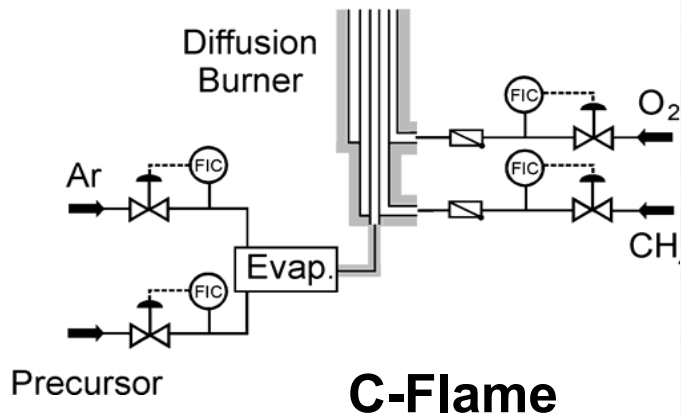
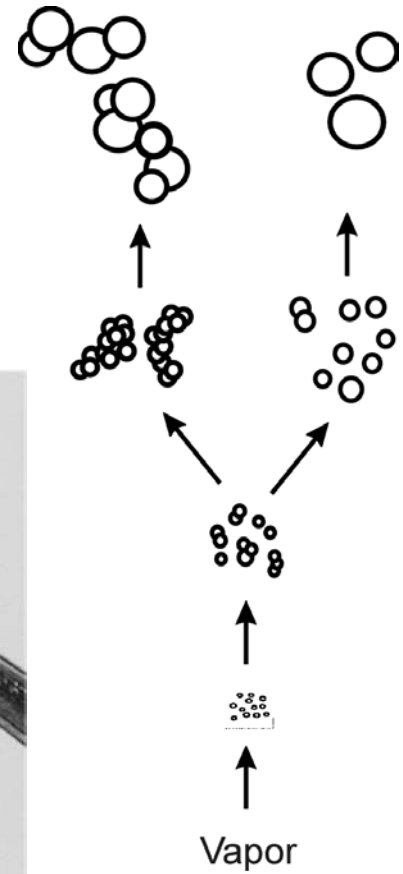
Agglomerates  
Limited size control  
Multicomponent  
ceramic/ceramic  
metal/ceramic

# Diffusion Flames: Flexible, Simple and Safe Technology

The flame is  
the reactor!

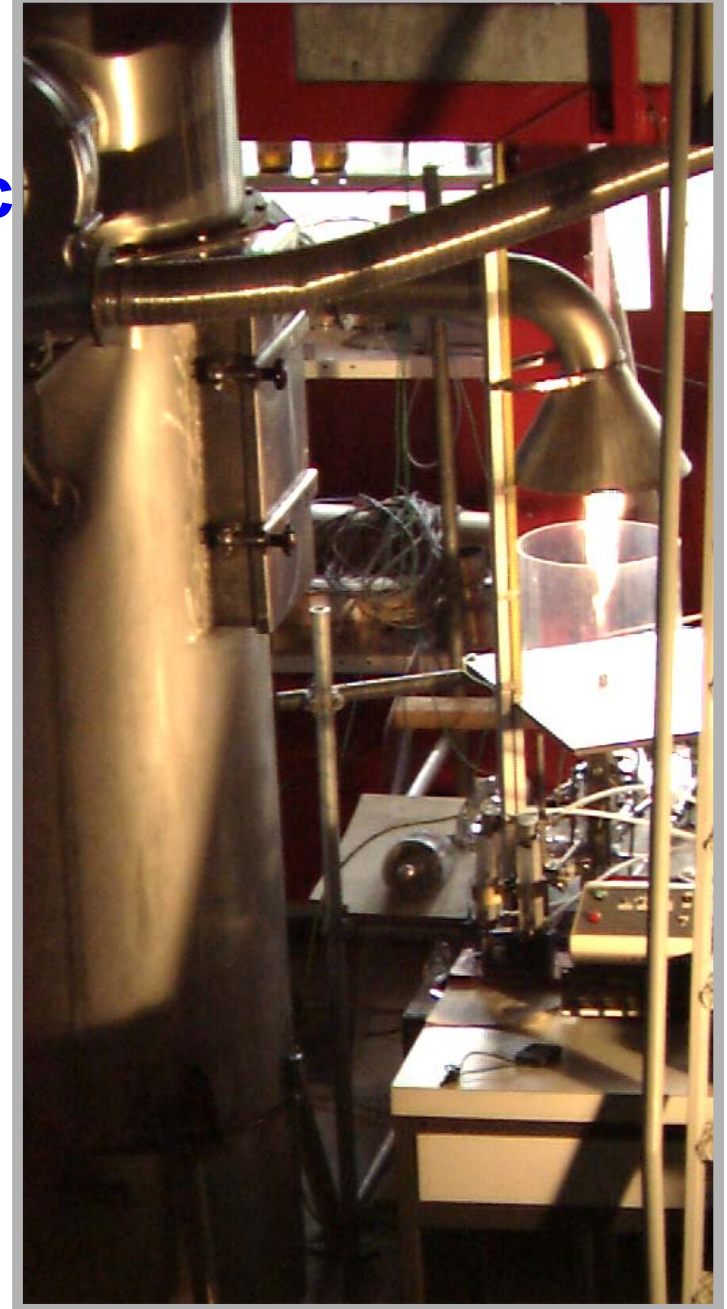
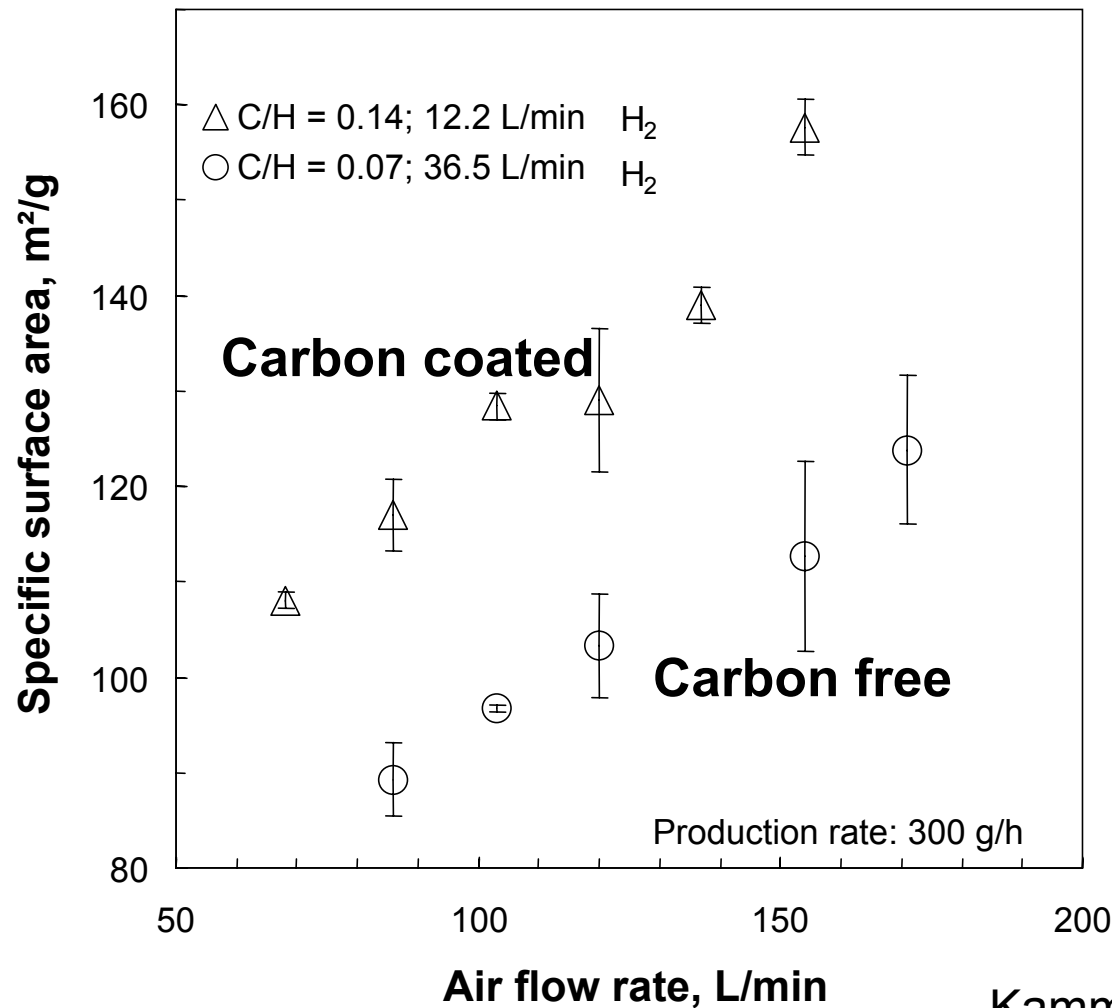


Flame Temperature,  
Cooling Rate,  
Particle Concentration,  
Residence Time

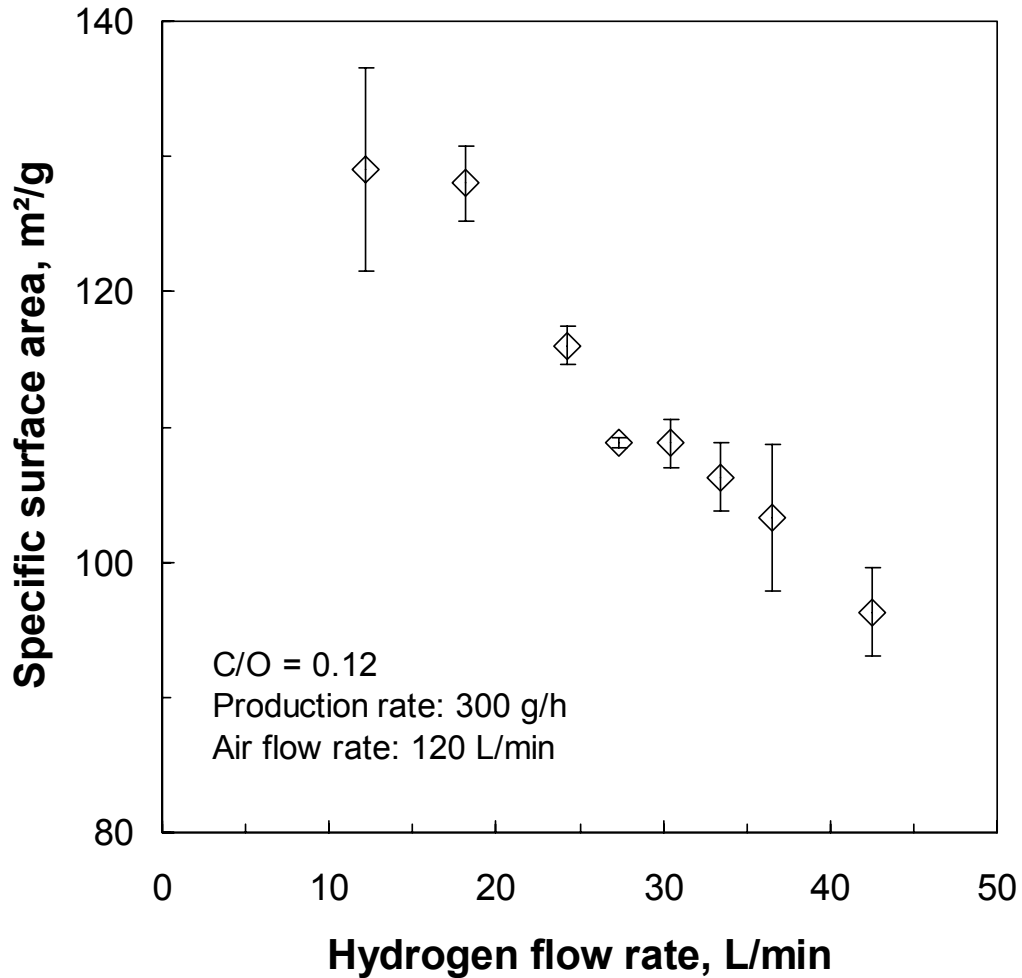


Particle Growth

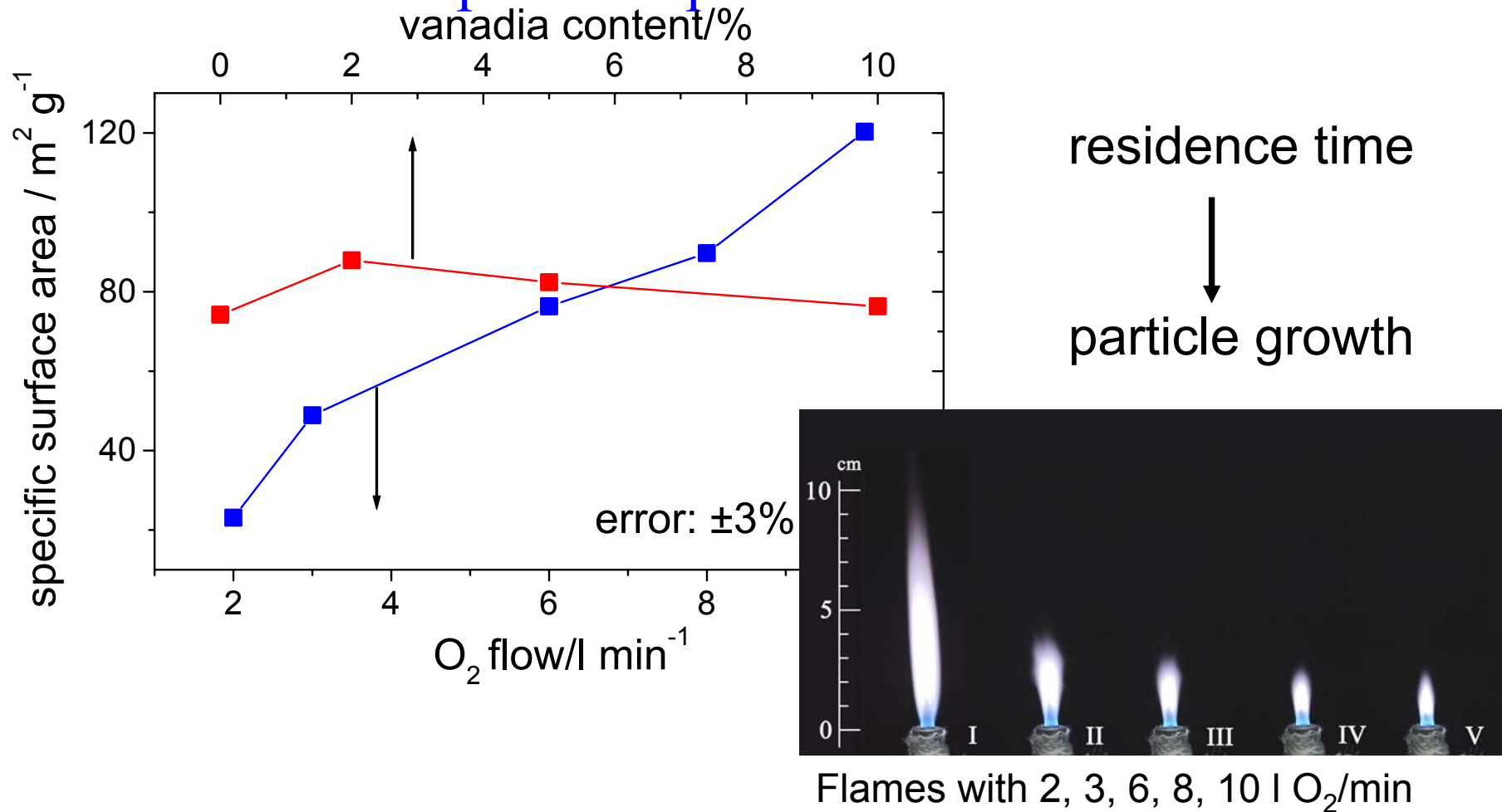
# Carbon-coated silica: Effect of air flow rate on product specific surface area made at 300 g/h



# Carbon-coated-silica: Effect of hydrogen (fuel) flow rate on product specific surface area made at 300 g/h

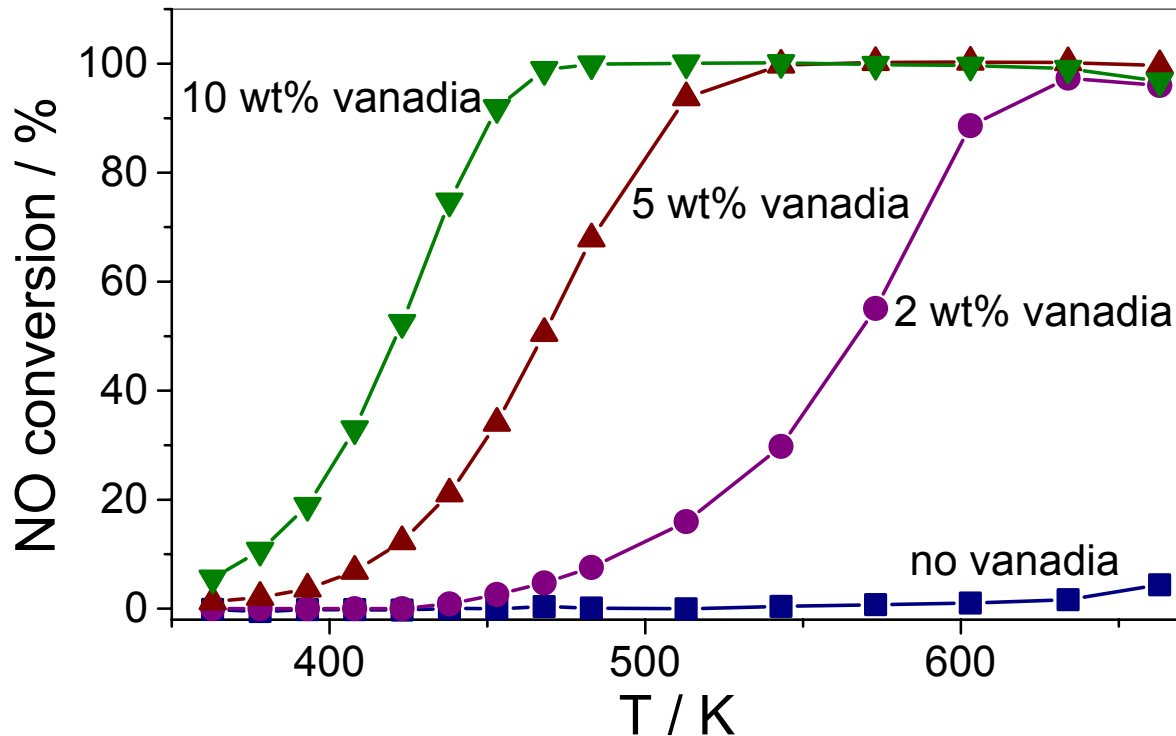
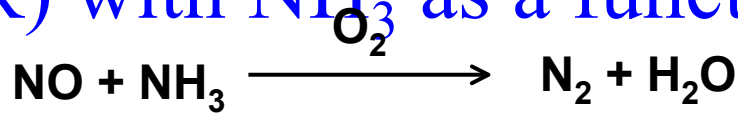


# Vanadia-coated titania catalysts: Effect of oxidant flow rate on product specific surface area



Stark, Wegner, Pratsinis, Baiker, *J. Catal.* **197**, 182 (2001)

# $V_2O_5$ - $TiO_2$ : Selective catalytic reduction (SCR) with $NH_3$ as a function of V content



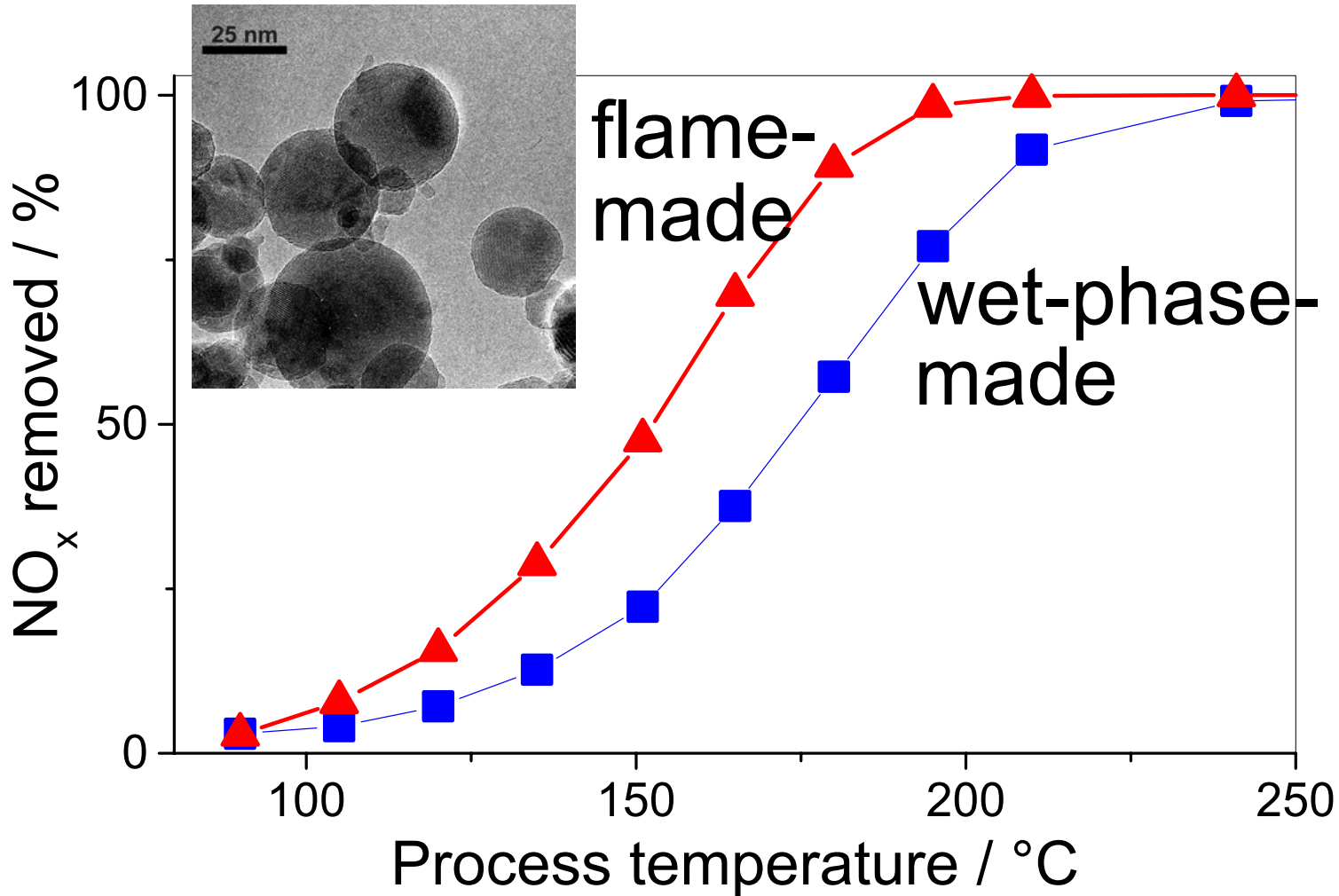
Conditions:

- 900 ppm NO
- 900 ppm  $NH_3$
- 1.8 vol%  $O_2$  in He
- space velocity: 24'000  $h^{-1}$
- all ca. 50  $m^2/g$

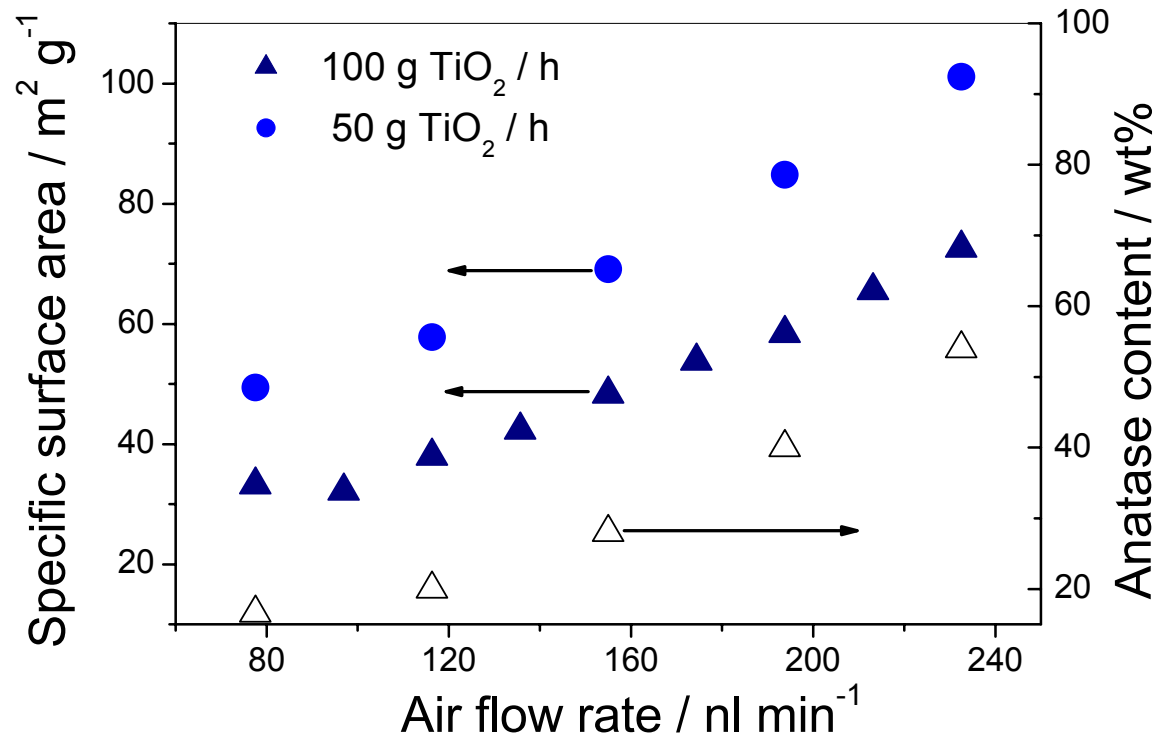
Stark, Wegner, Pratsinis, Baiker, *J. Catal.* **197**, 182 (2001)



# Comparison of flame-made with conventional wet-made catalysts



# Scale-up of $V_2O_5$ - $TiO_2$ production in a $H_2$ /air flame

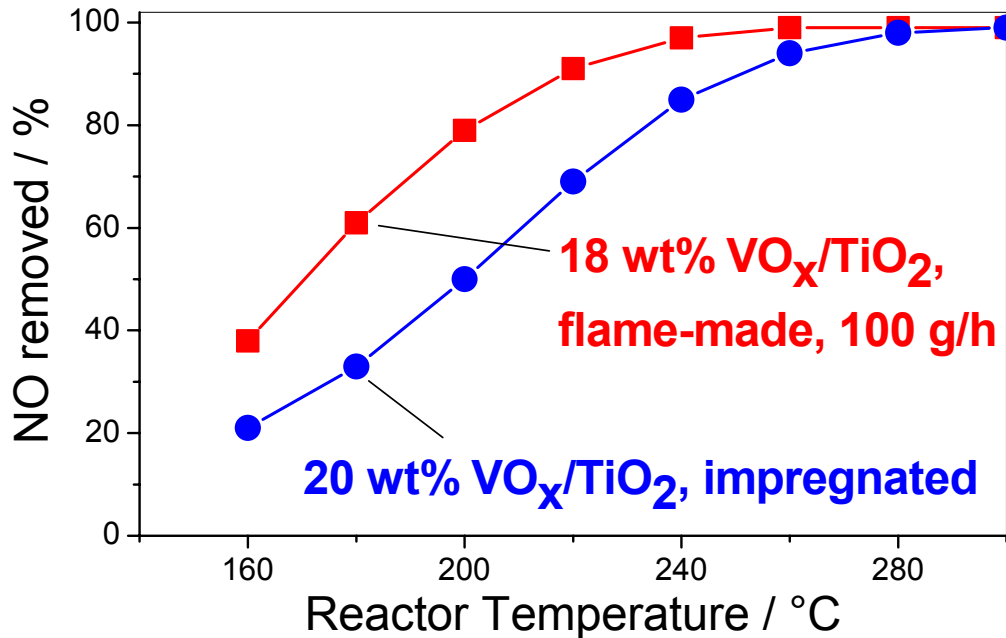


$H_2$ /air flame;  
 $1.8 m^3 H_2/h$ :

phase composition:  
Rutile & Anatase

•W. J. Stark, A. Baiker, S. E. Pratsinis, *Part. Part. Sys. Charact.*, **19**, 306-311 (2002)

# $V_2O_5$ - $TiO_2$ catalysts: Comparison to conventional DeNO<sub>x</sub> catalysts @ U. Essen (Prof. Cramer)



Fixed bed pilot-scale test reactor, 2.4 cm/sec

Gas composition:

-400 ppm NO

-400 ppm NH<sub>3</sub>

-10 vol% oxygen in nitrogen

Reference:

-impregnated Degussa P 25

-same V content in both catalysts

-specific surface area: 50-55 m<sup>2</sup>/g

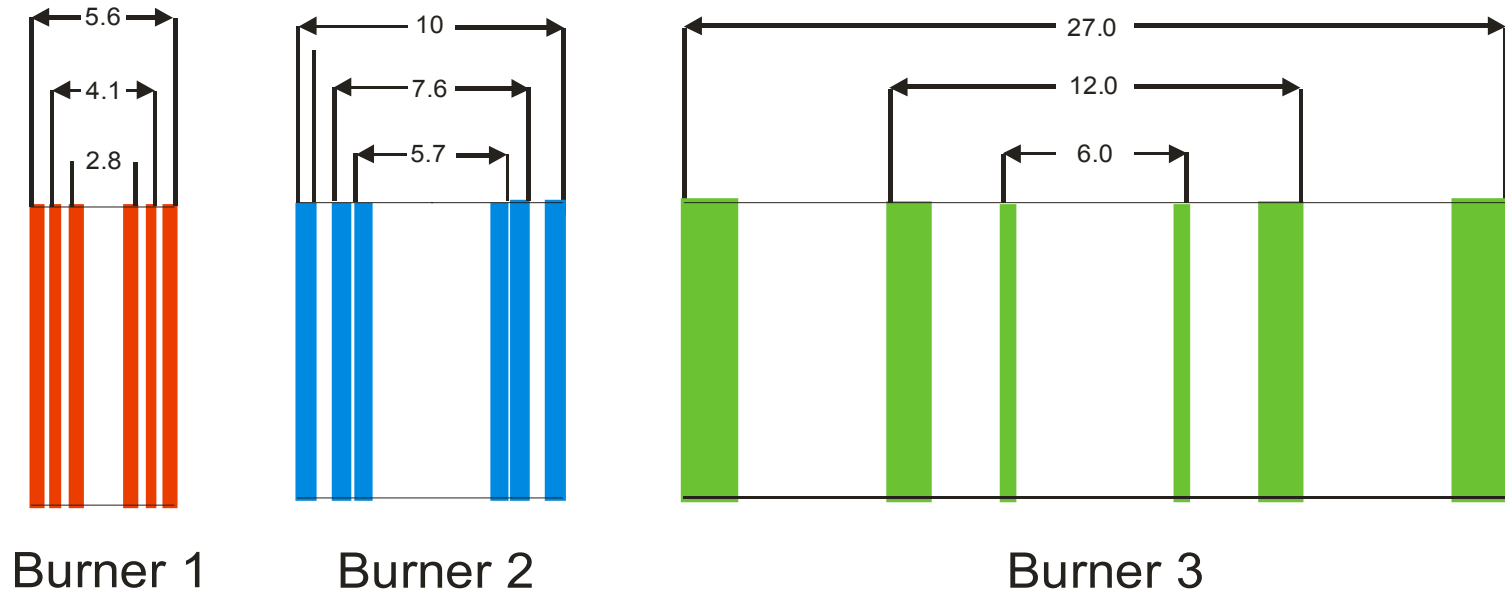
# Reactant flow rates for control of flame-made particle characteristics

- Zhu et al. 1996,1997 ( $\text{SiO}_2$ ,  $\text{SnO}_2$ )
- Briesen et al., 1998 ( $\text{SiO}_2$ )
- Johannessen et al., 2000 ( $\text{Al}_2\text{O}_3$ )
- Cho and Choi, 2000 ( $\text{SiO}_2$ )
- Jang and Kim, 2001 ( $\text{TiO}_2$ )

However, reactant flow rates are inadequate to compare different burners or to derive design correlations for flame aerosol reactor scale-up.

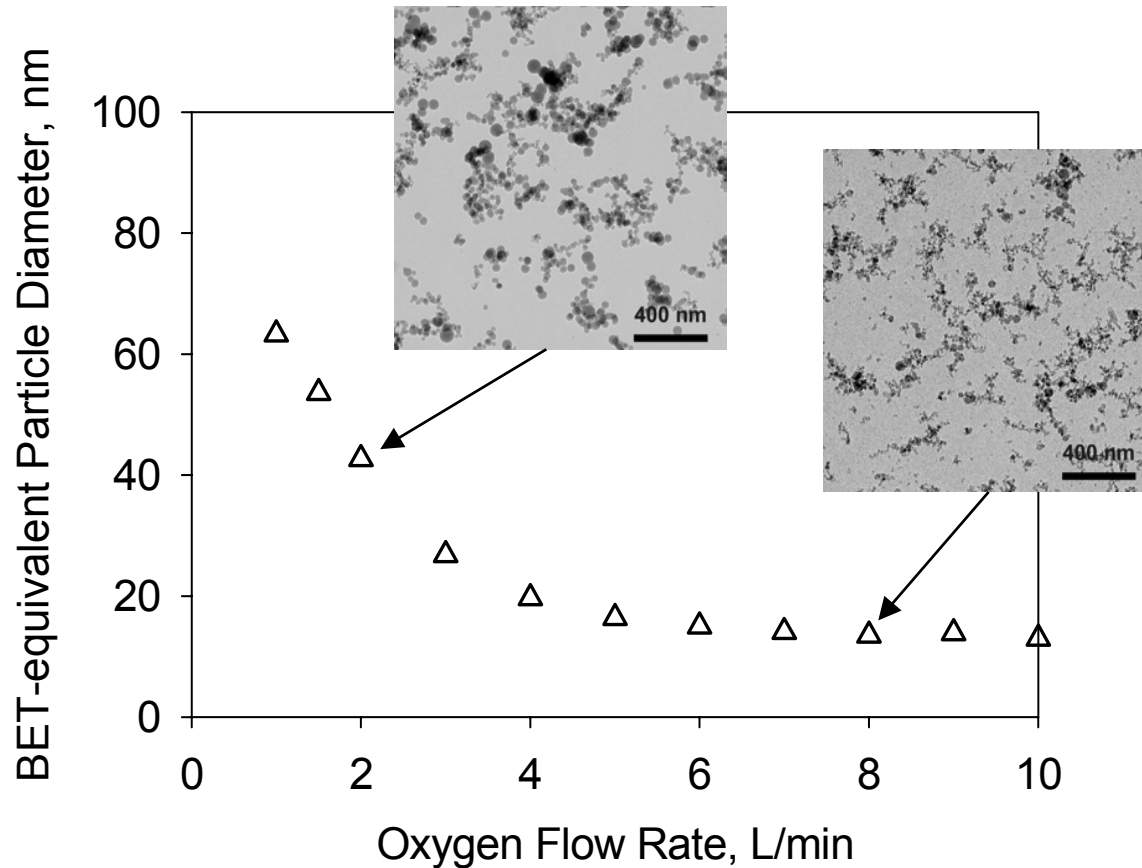
# Variation of Burner Geometry

Wegner, Pratsinis, "Scale-up of nanoparticle synthesis in diffusion flame reactors," *Chem. Eng. Sci.* **58**, 4581-4589 (2003).

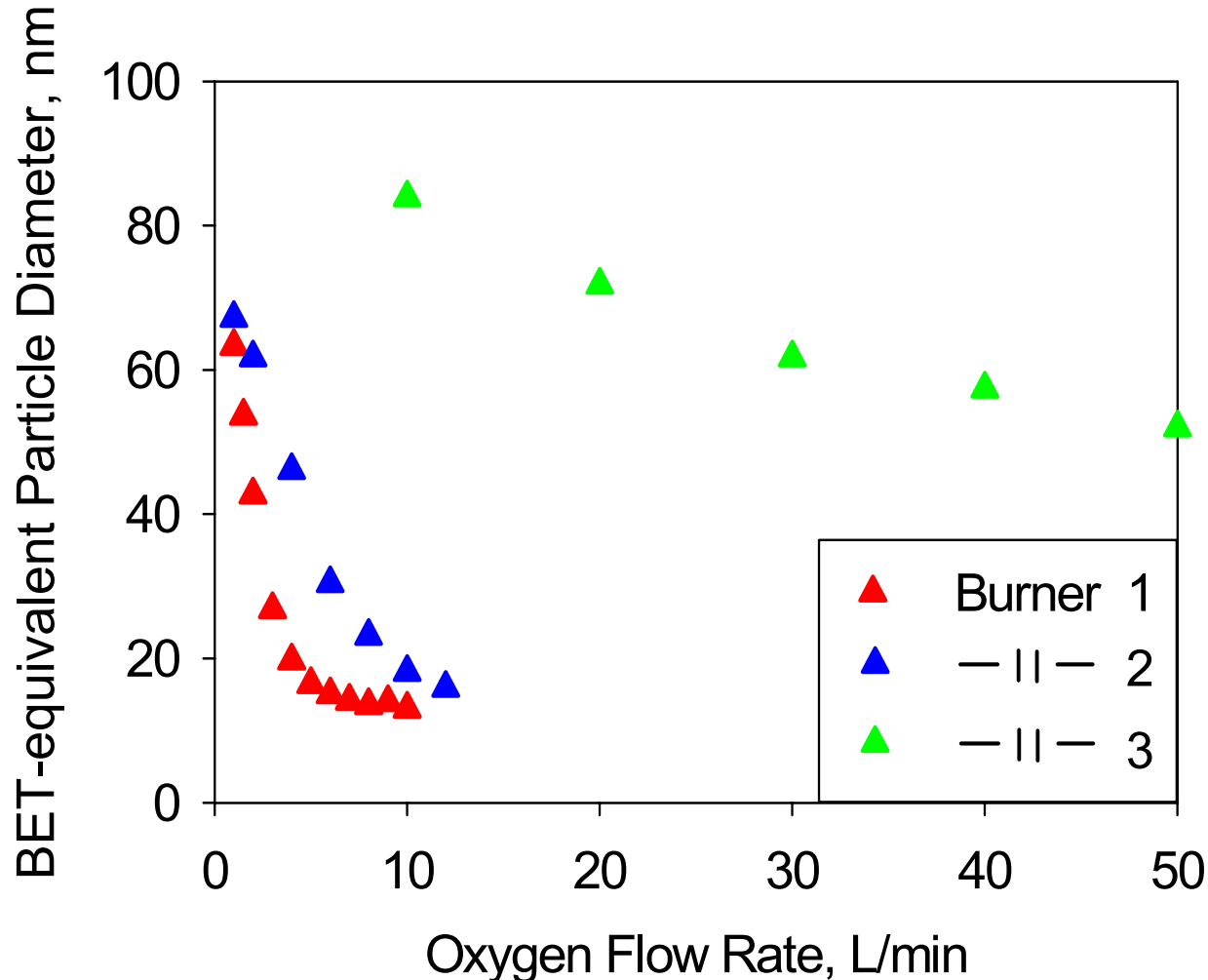


Dimensions in mm

# Burner 1: Control of Silica Primary Particle Diameter by the O<sub>2</sub> Flow Rate



# Separate Operation Lines for each Burner



Conditions:

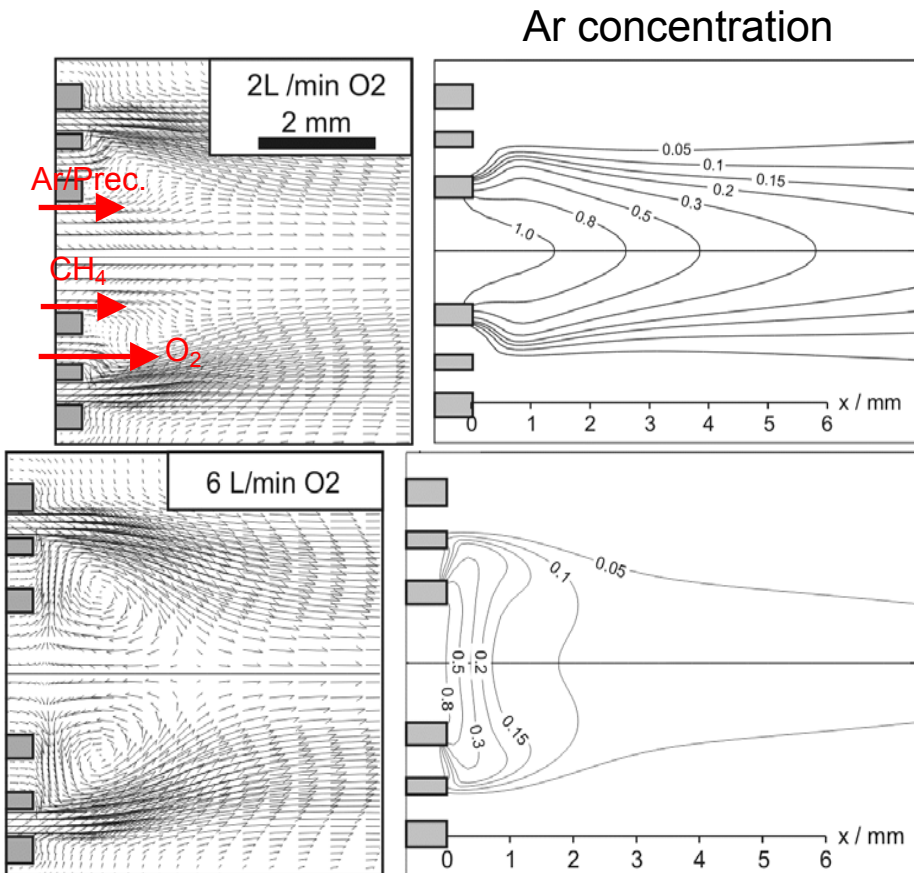
CH<sub>4</sub>: 0.5 L/min

Ar: 0.3 L/min

SiO<sub>2</sub>: 5 g/h

# Diffusion Flames: Coaxial Jet Mixing

Cold flow CFD profiles:



Diffusion Flames:

$$t_{\text{reaction}} \ll t_{\text{mixing}}$$

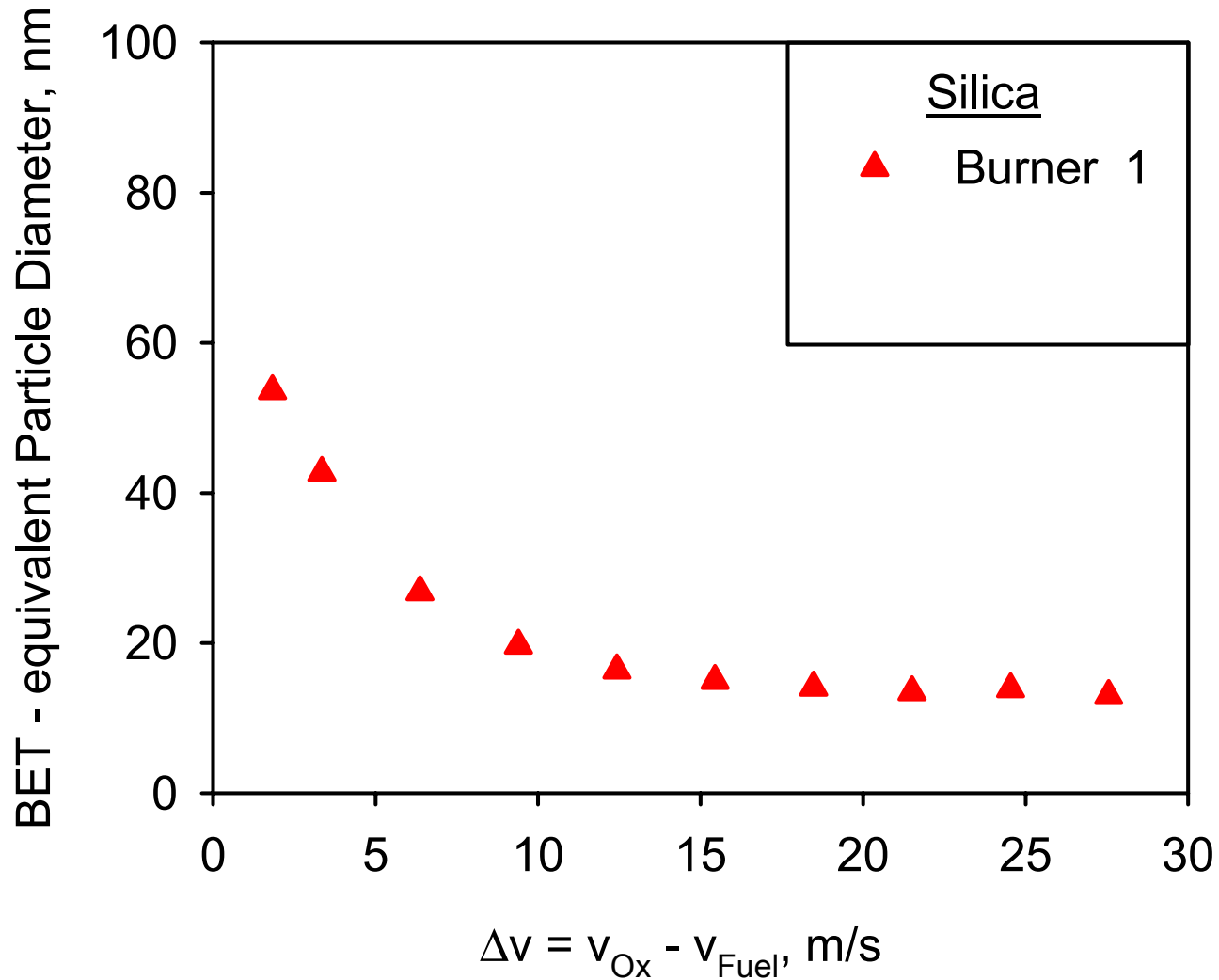
Particle Formation takes place upon mixing of precursor and oxidant.

Similar reactant mixing for similar velocity difference  $\Delta v = v_{\text{Ox}} - v_{\text{Fuel}}$

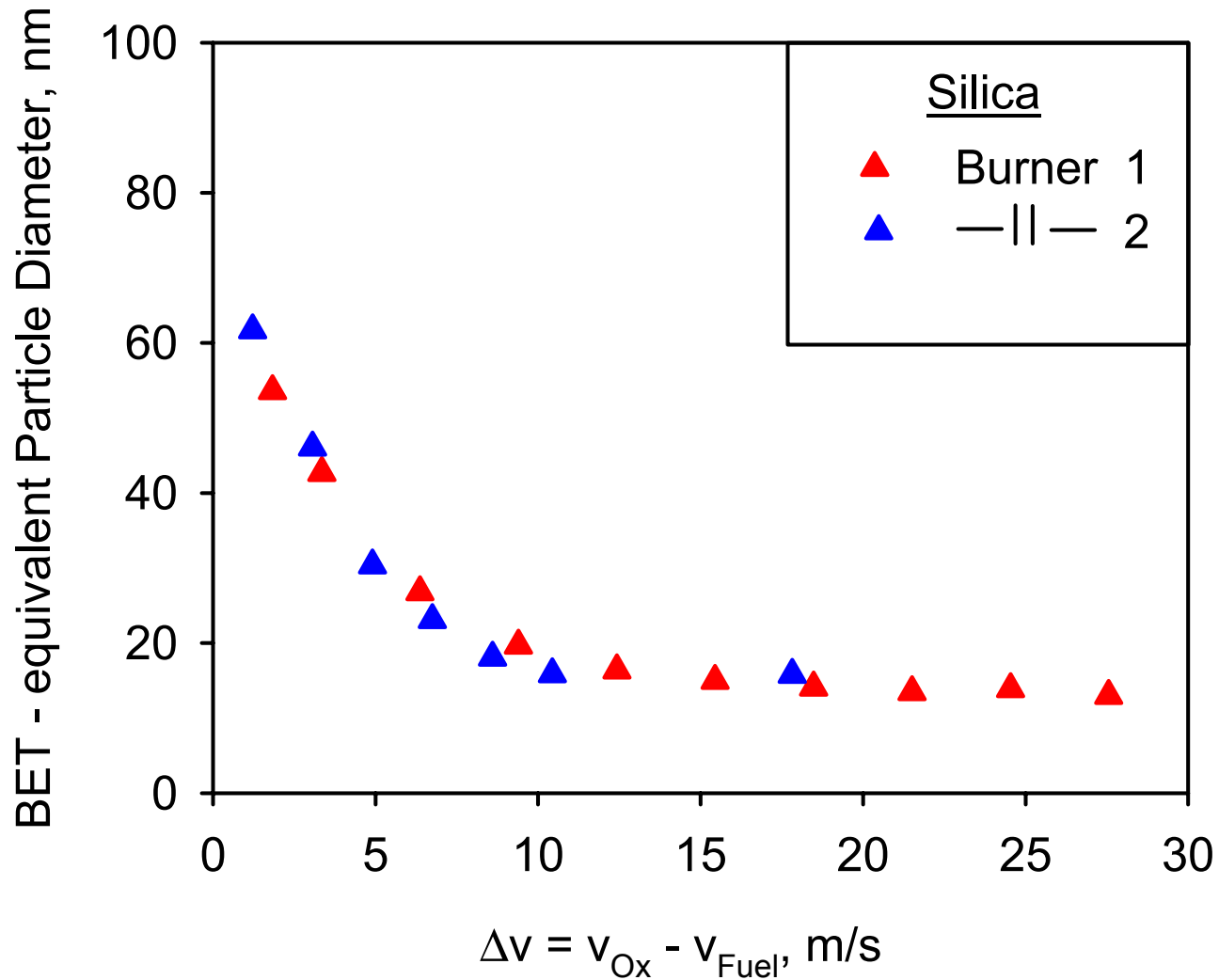
$$\underbrace{v_{\text{Ar+Prec.}} \approx v_{\text{CH}_4}}_{v_{\text{Fuel}}} \leq v_{\text{Ox}}$$



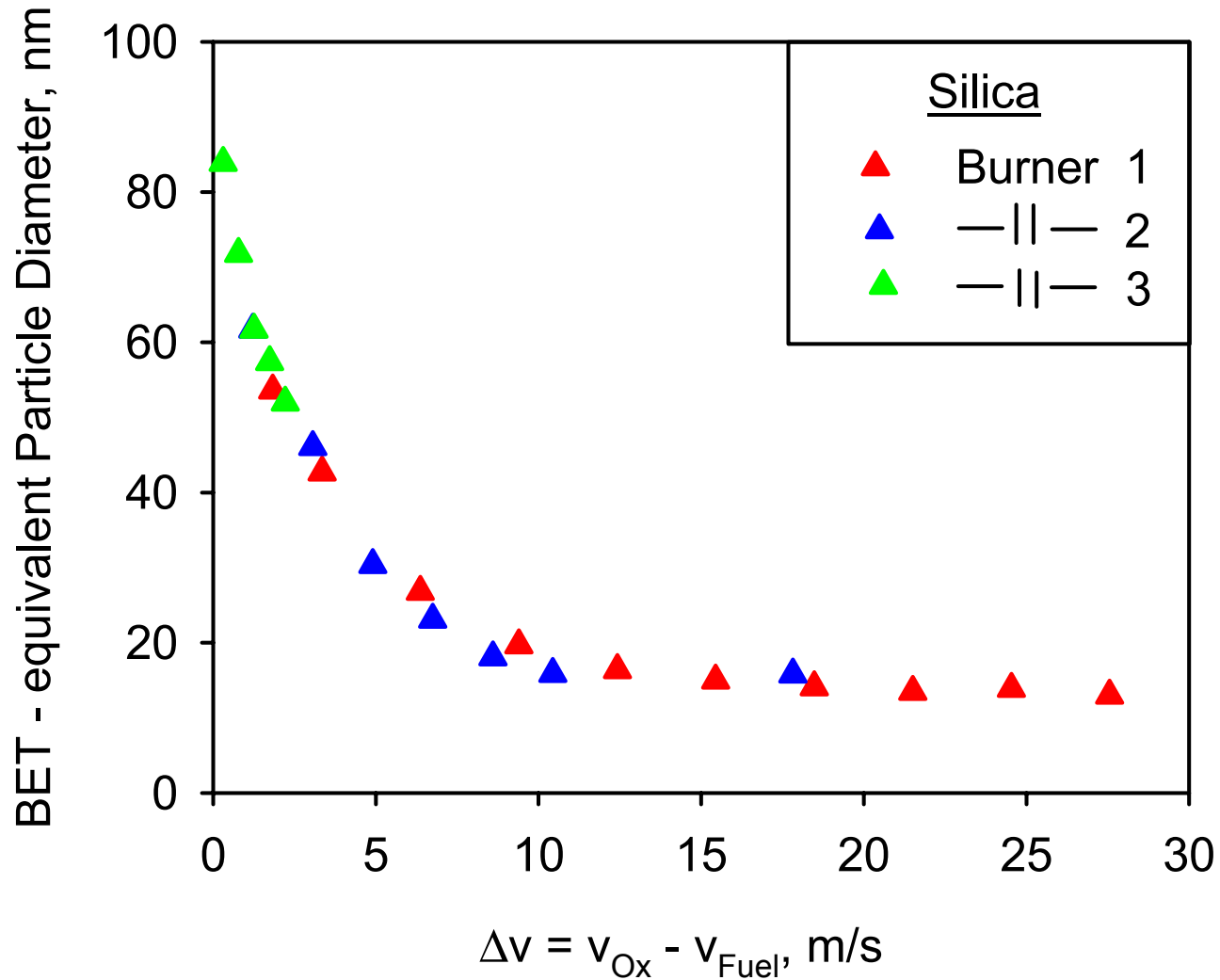
# Single Operation Line $d_p = f(\Delta v)$



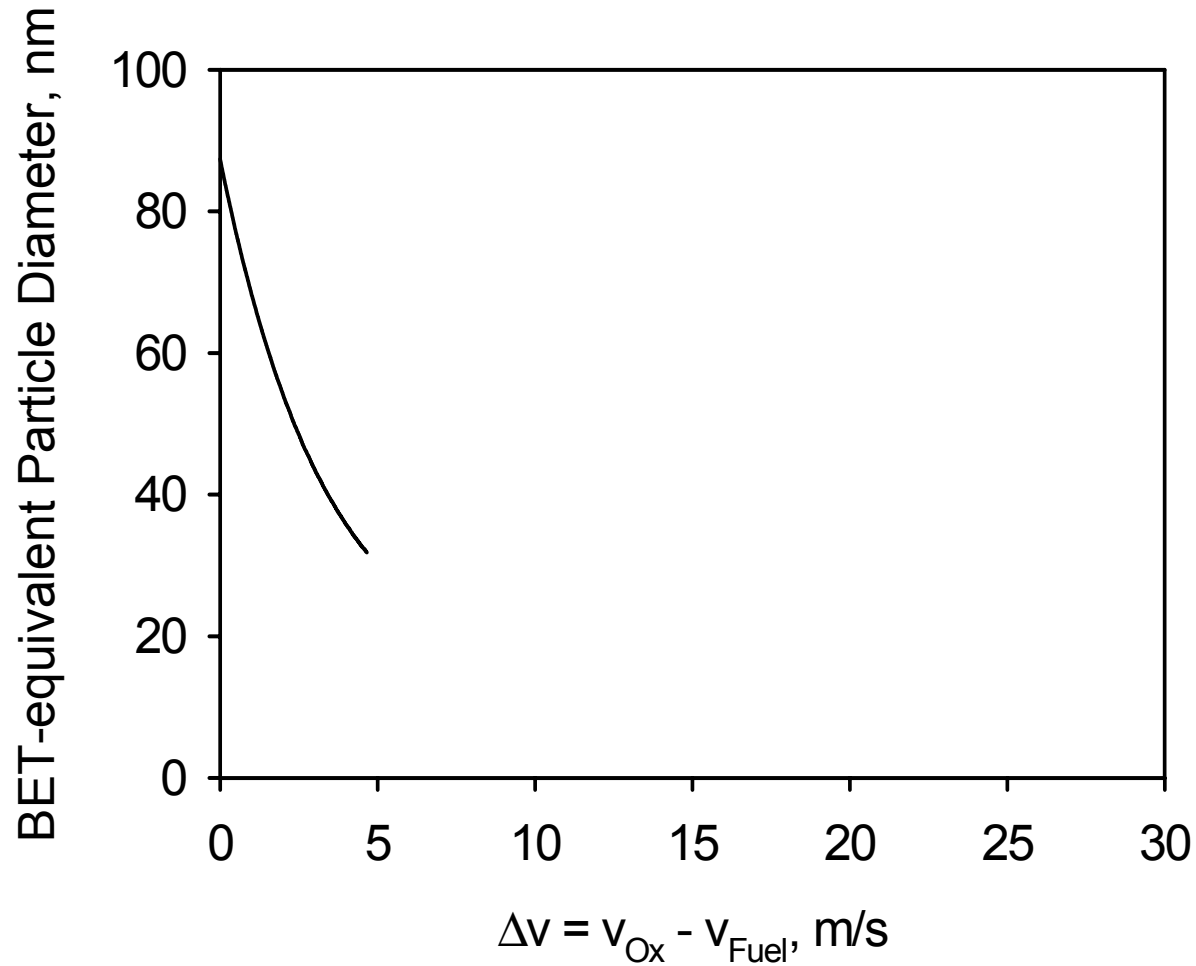
# Single Operation Line $d_p = f(\Delta v)$



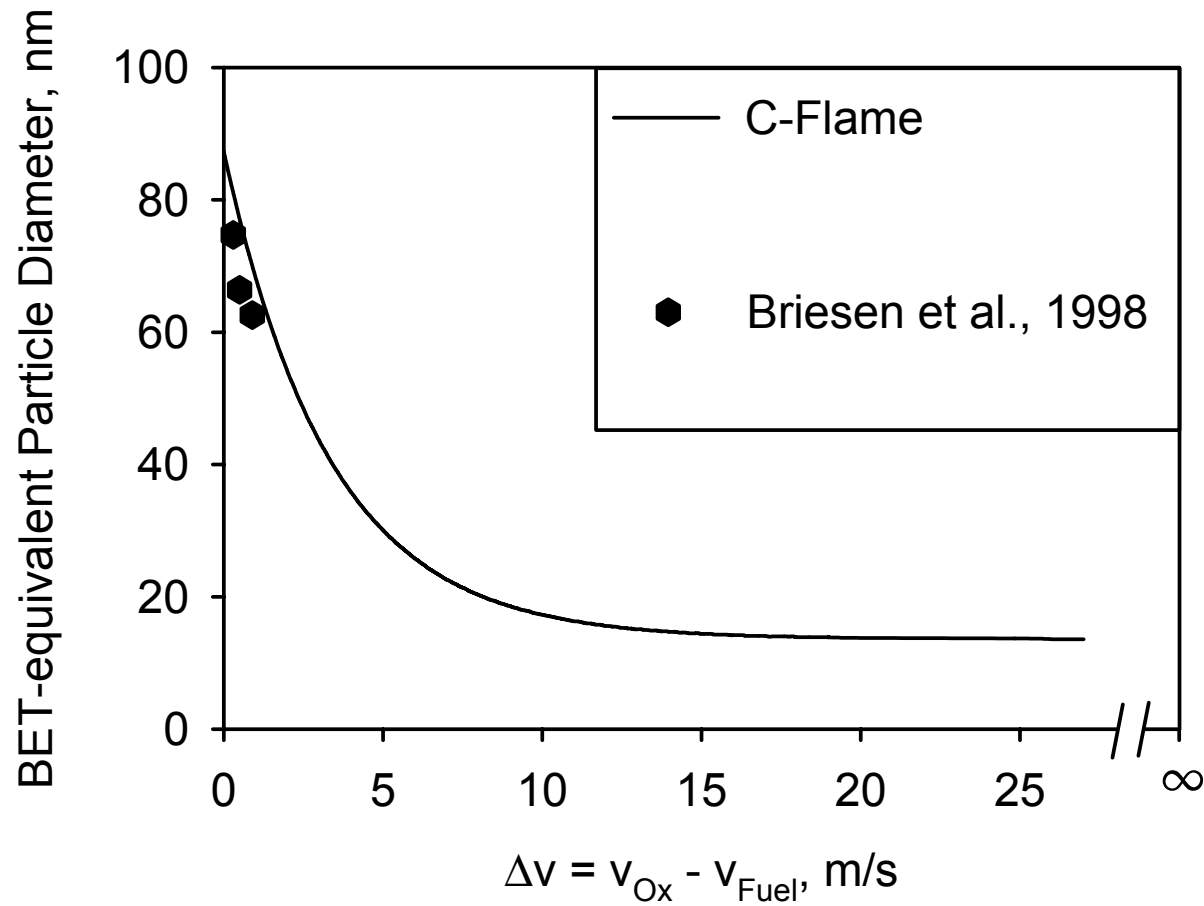
# Single Operation Line $d_p = f(\Delta v)$



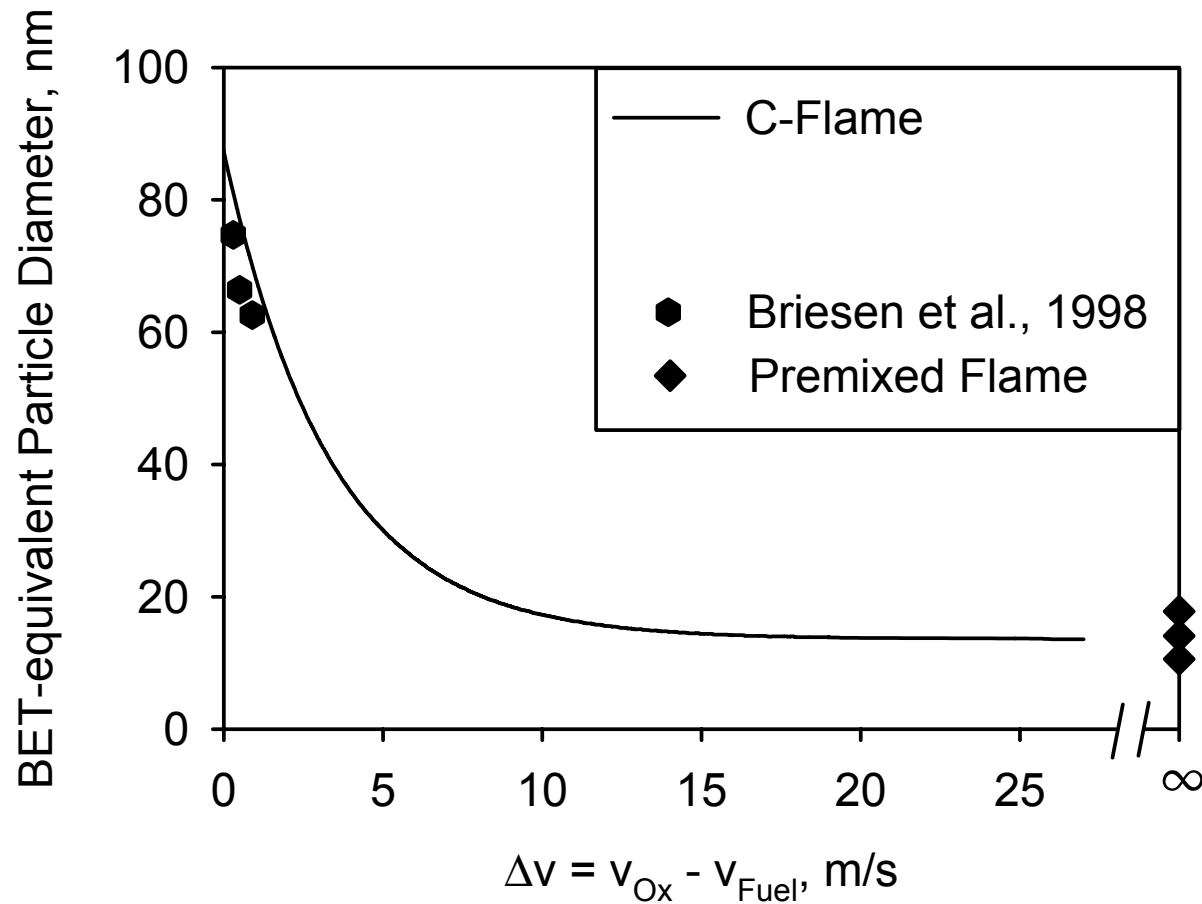
# Operation Line for Silica synthesis



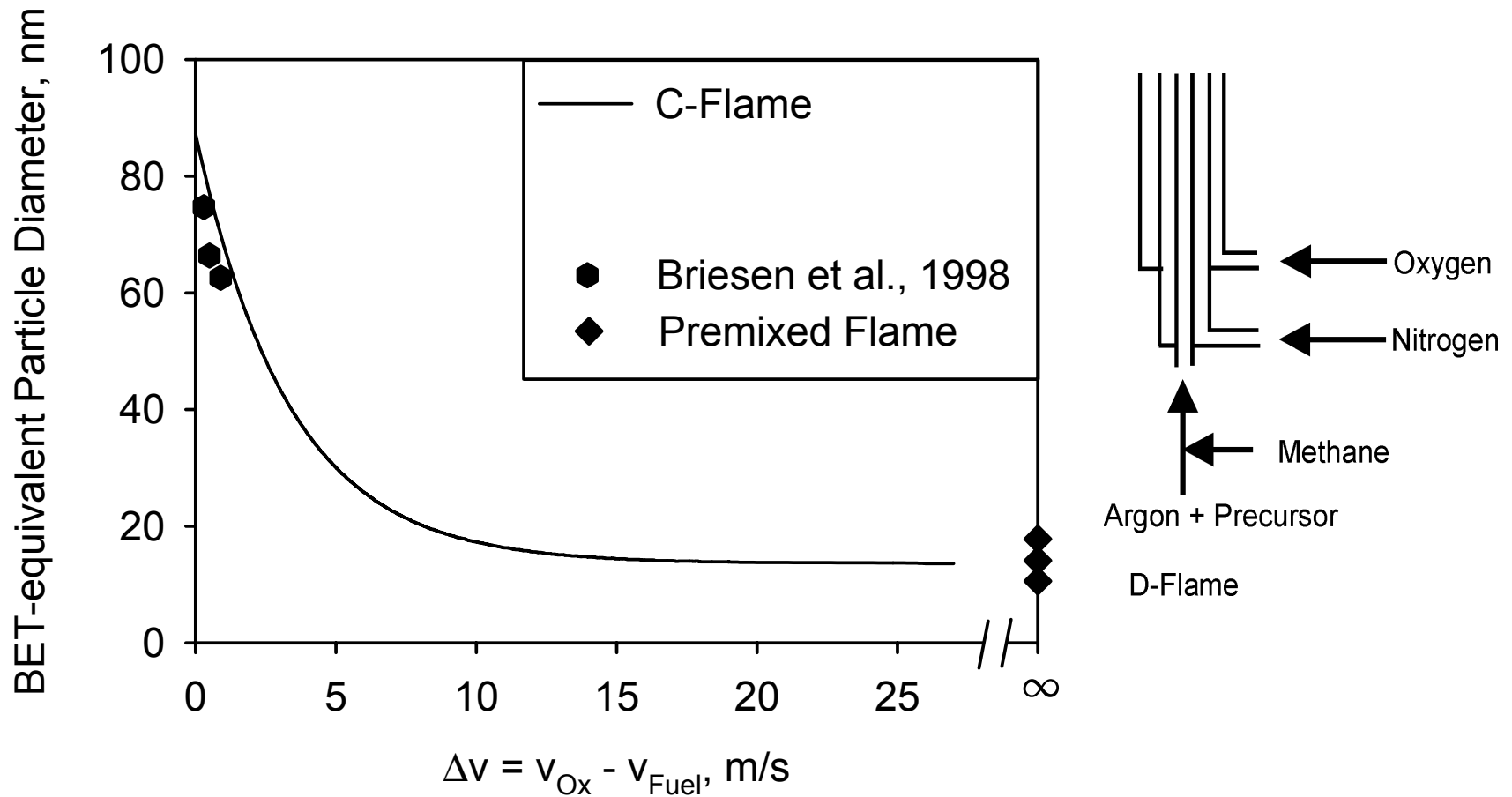
# Operation Line for Silica synthesis



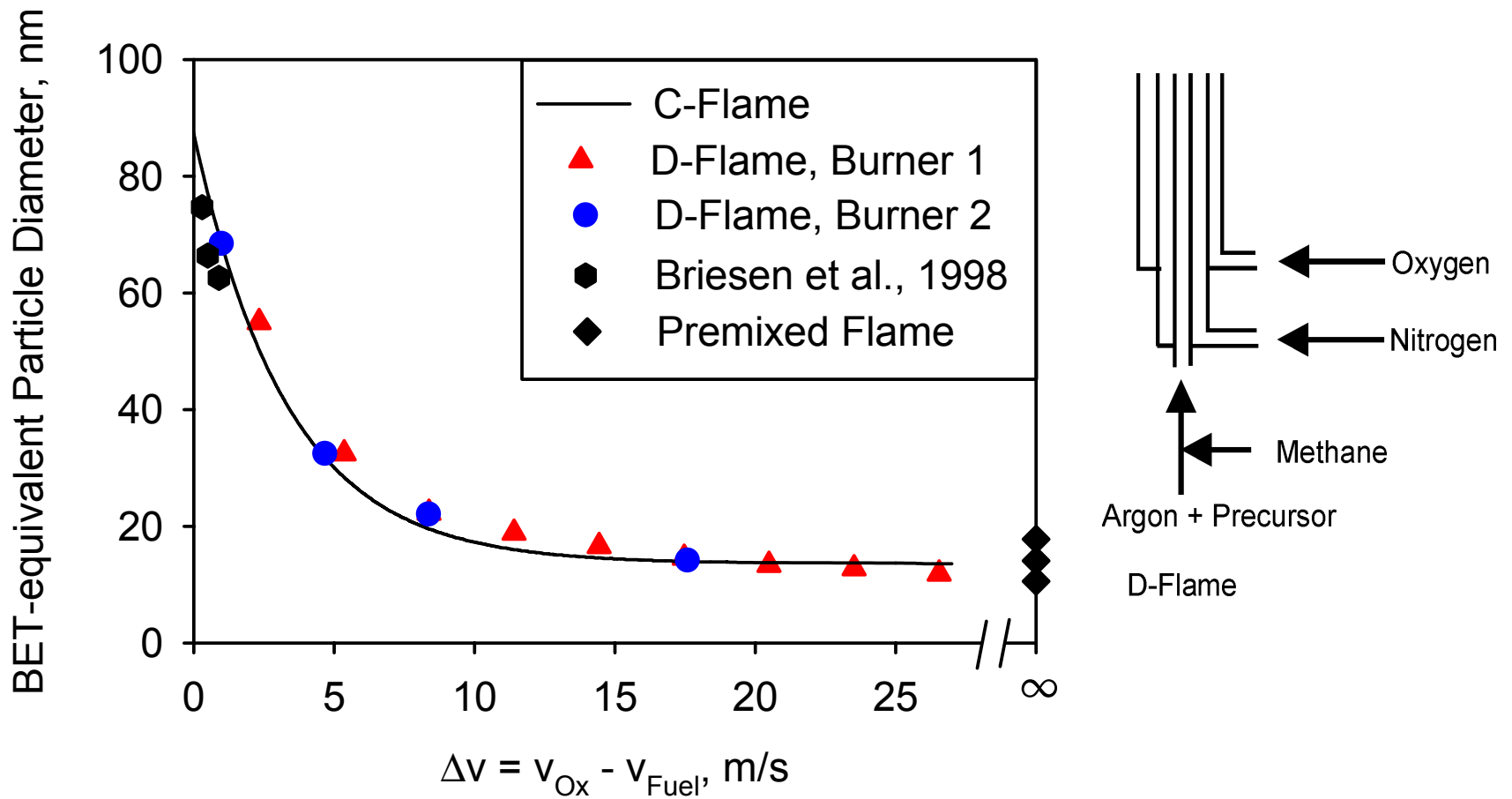
# Operation Line for Silica synthesis



# Operation Line for Silica synthesis



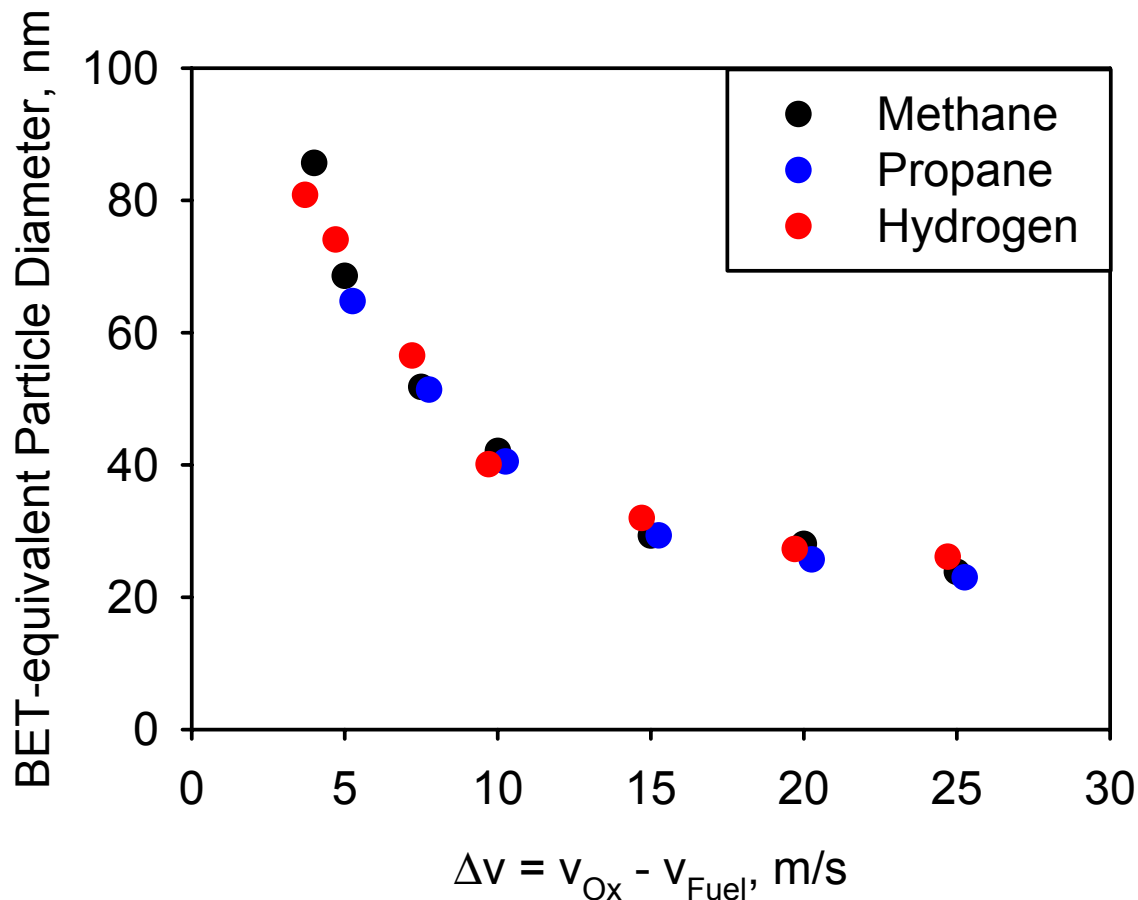
# Operation Line for Silica synthesis



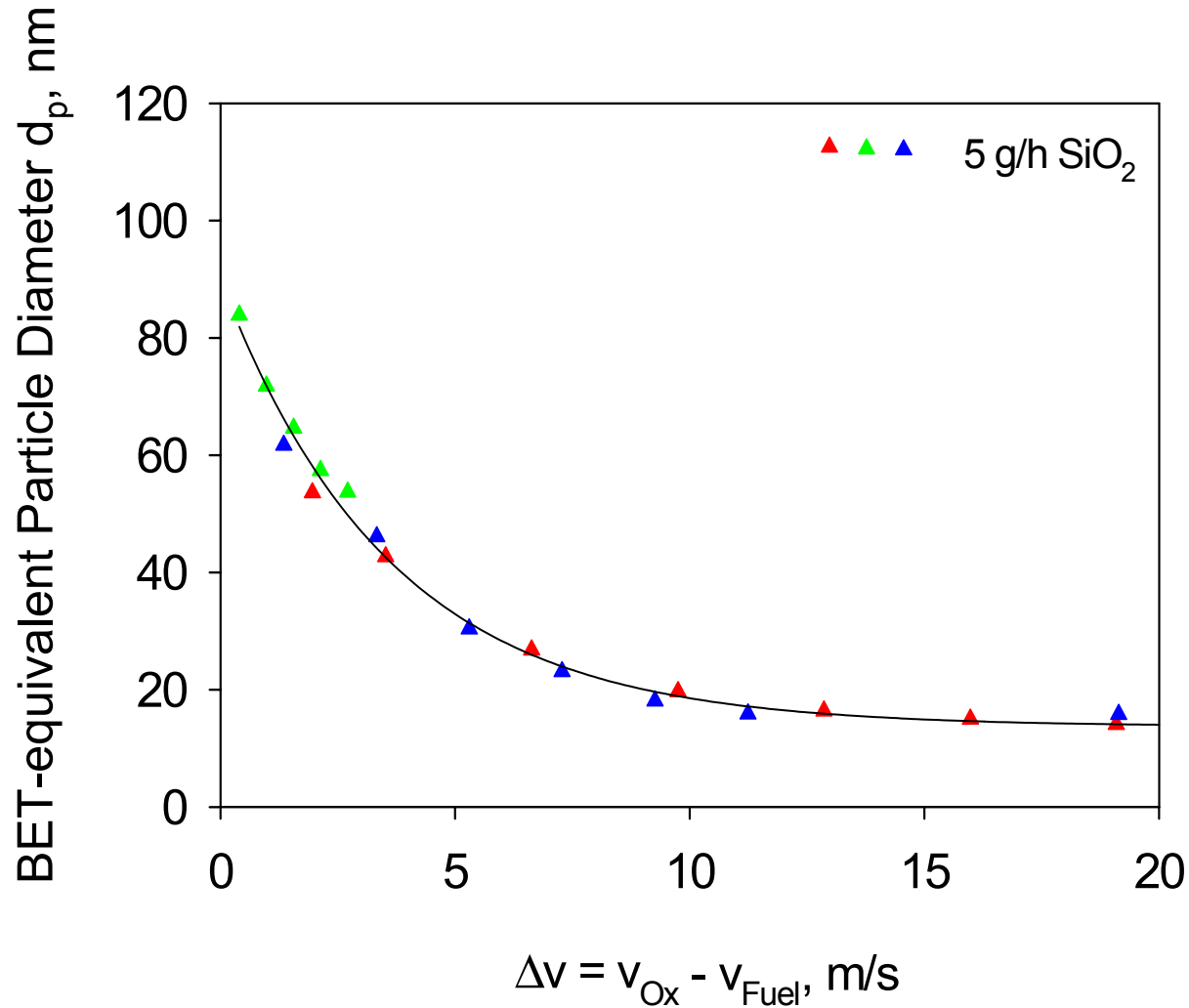


# Different Fuels – Same Flame Enthalpy 25 g/h

SiO<sub>2</sub>, 38 kJ/min by variation of fuel flow rate

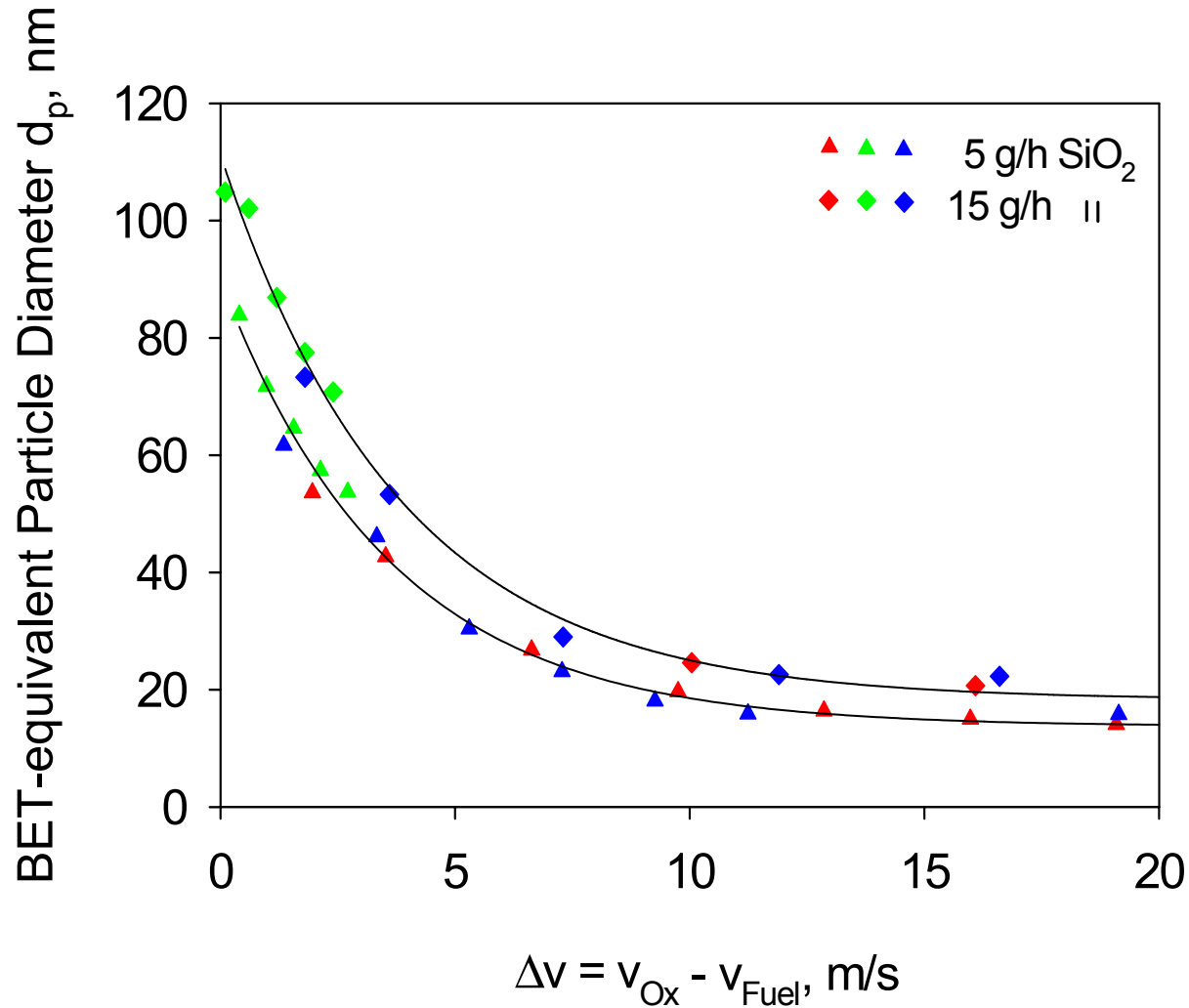


# Production scale-up in the three burners



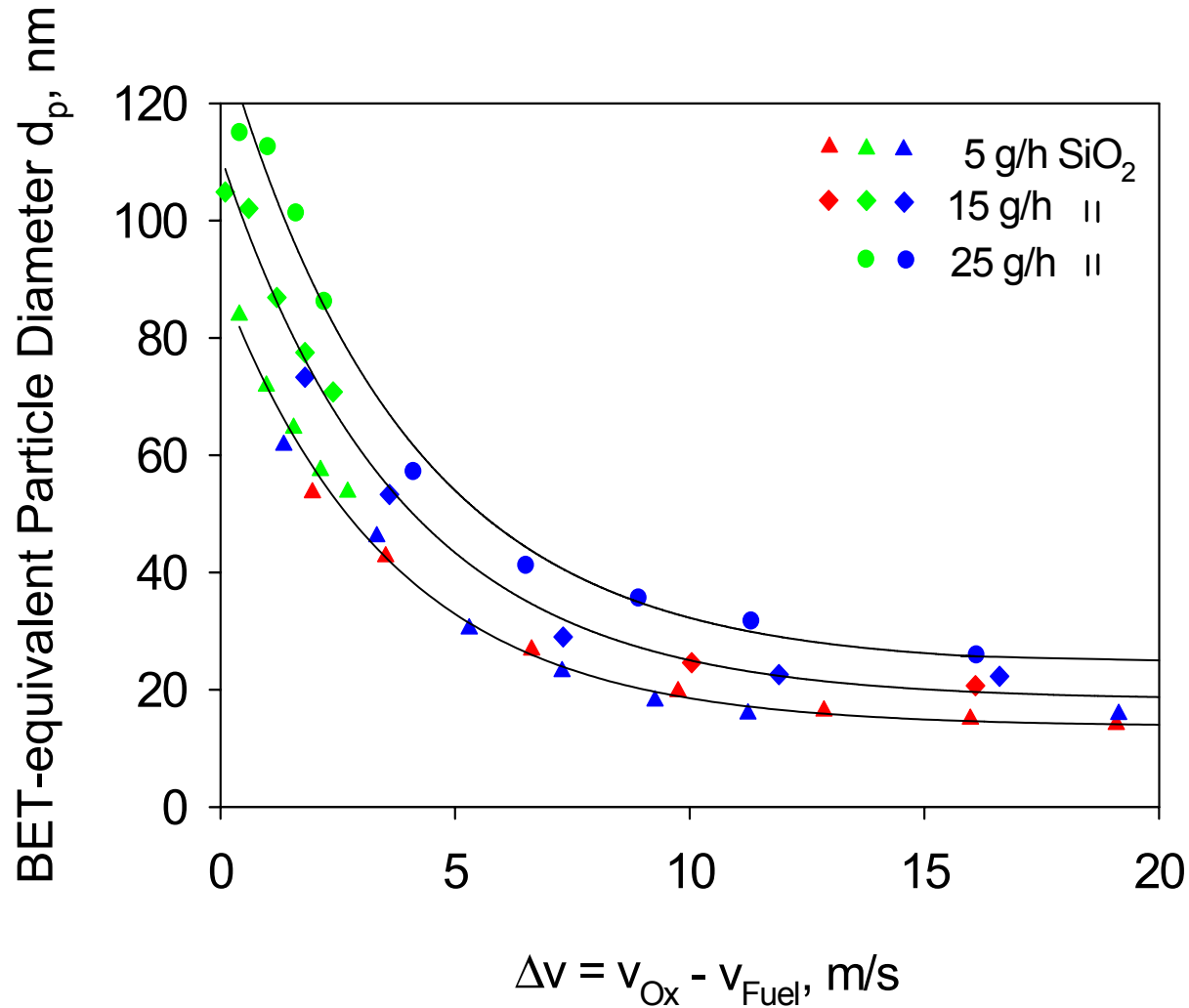
Increase of  $CH_4$ ,  
Ar, and HMDSO  
flow rates

# Production scale-up in the three burners



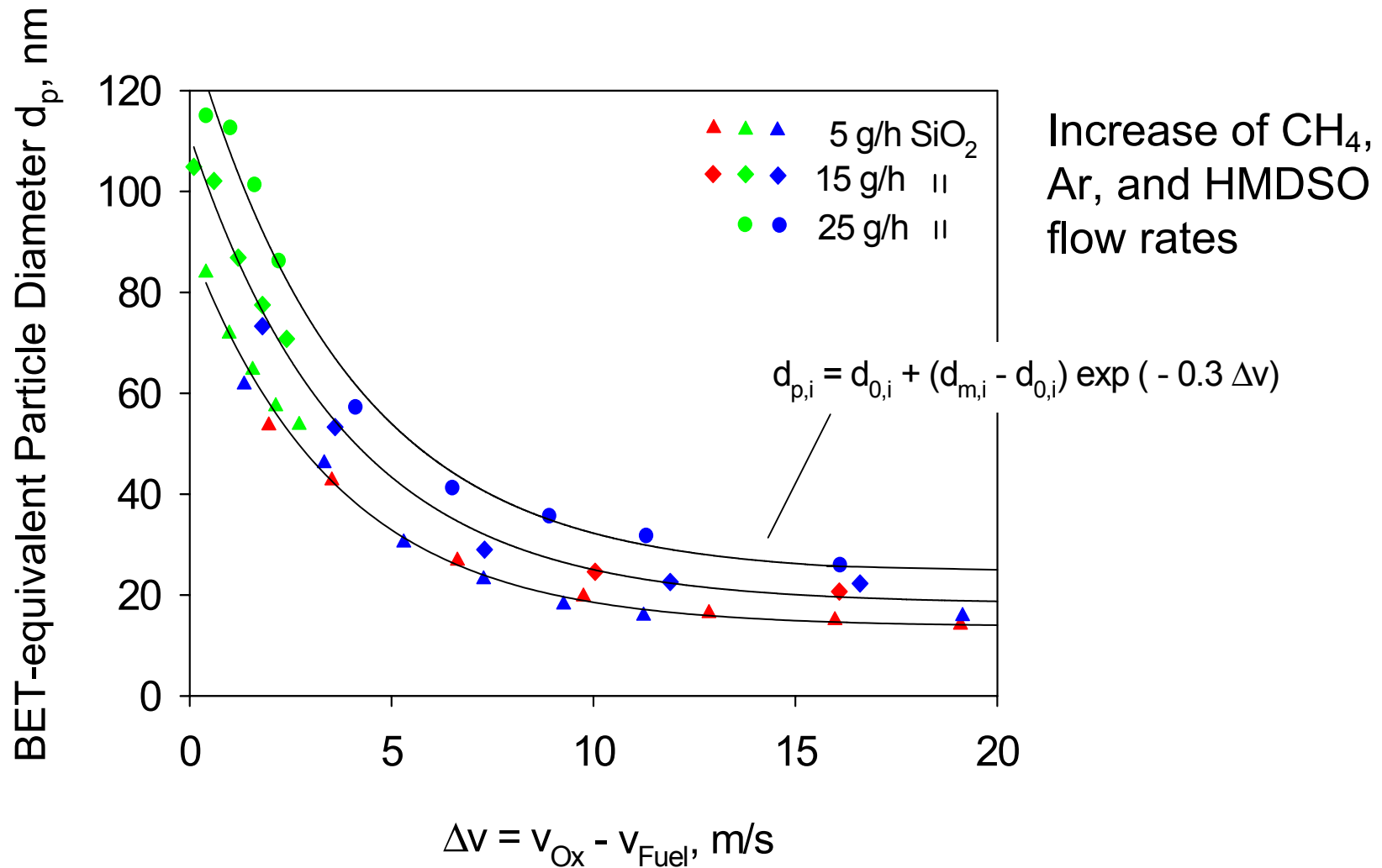
Increase of  $CH_4$ ,  
Ar, and HMDSO  
flow rates

# Production scale-up in the three burners

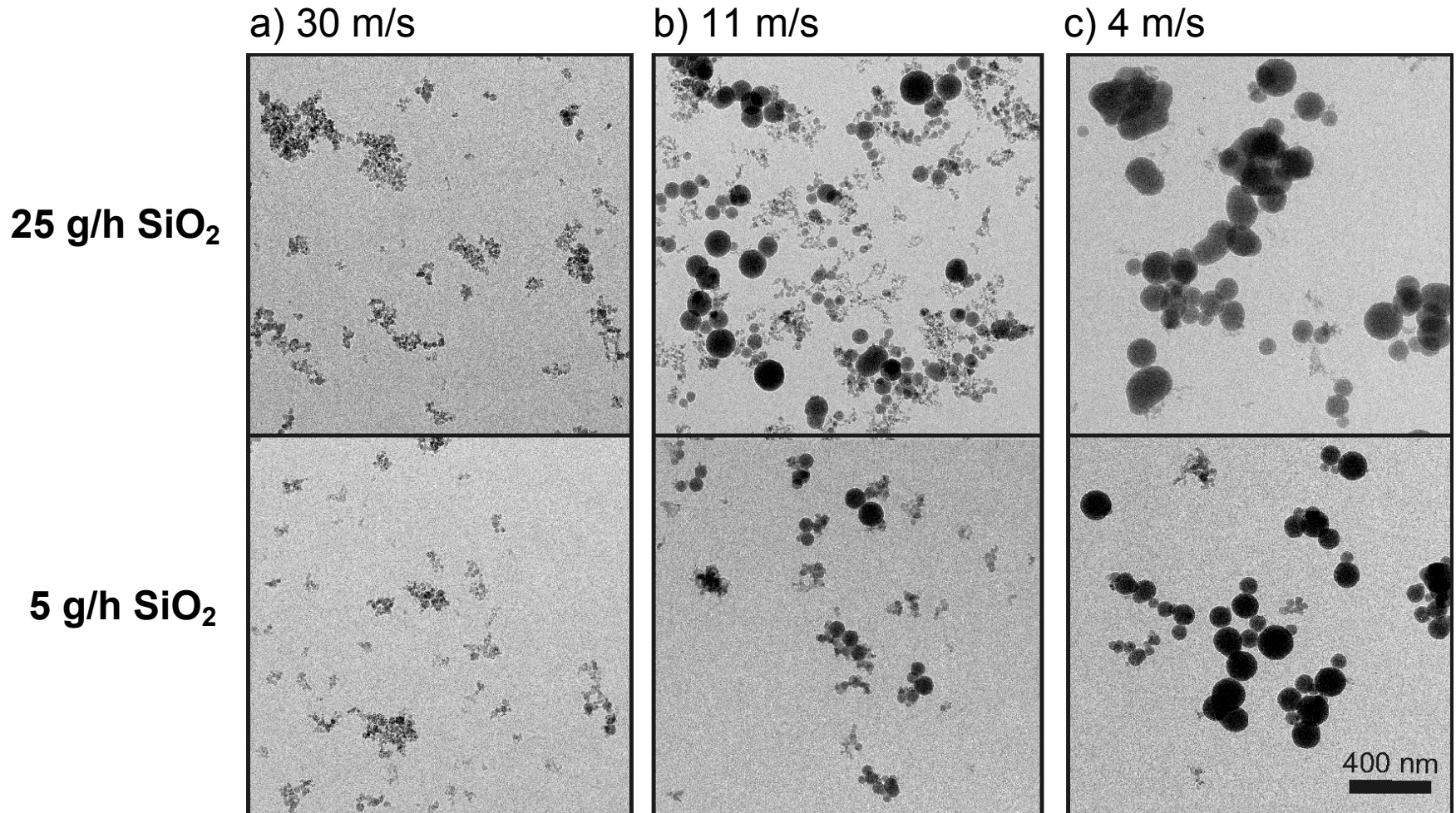


Increase of  $CH_4$ ,  
Ar, and HMDSO  
flow rates

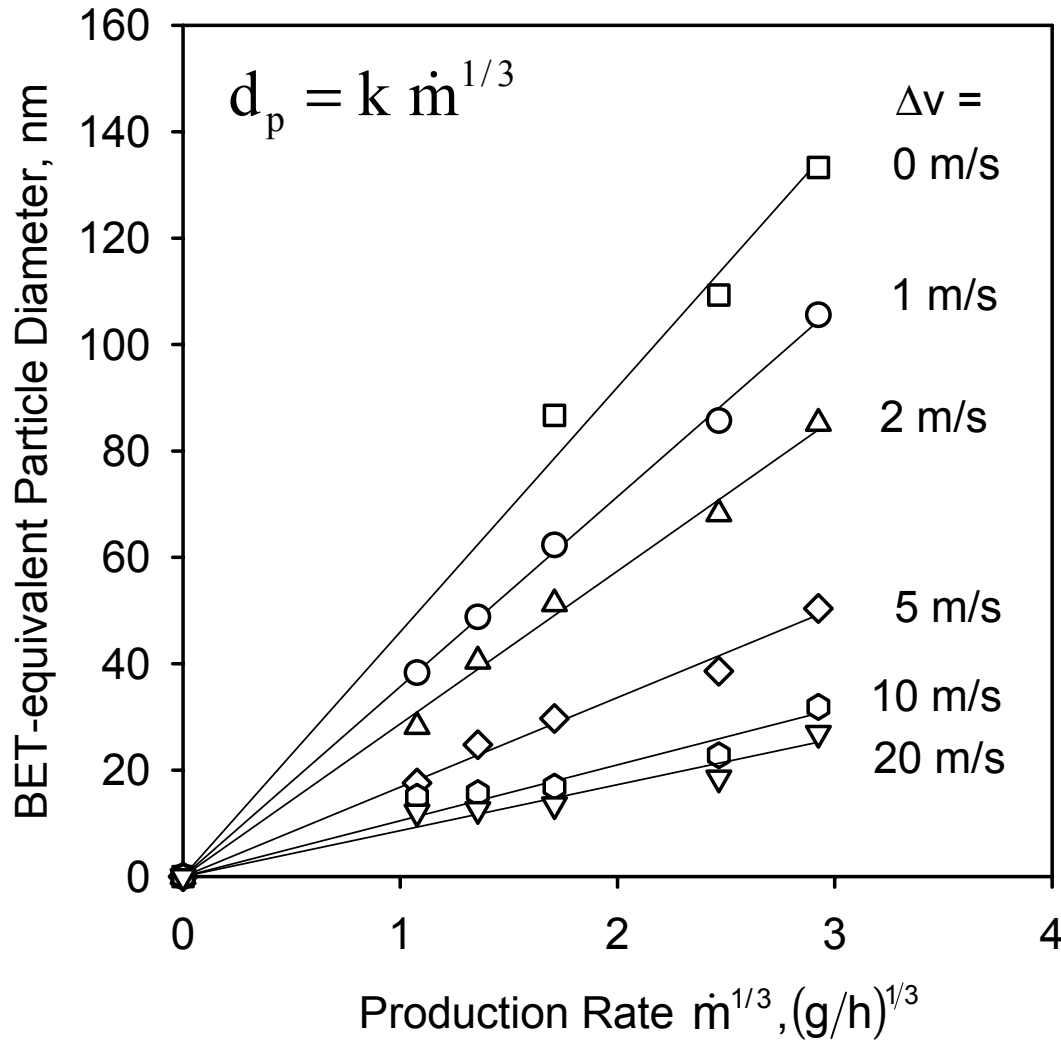
# Production scale-up in the three burners



# Particle Morphology Scale-up



# Scale-up Procedure



$$\Delta v = 0:$$

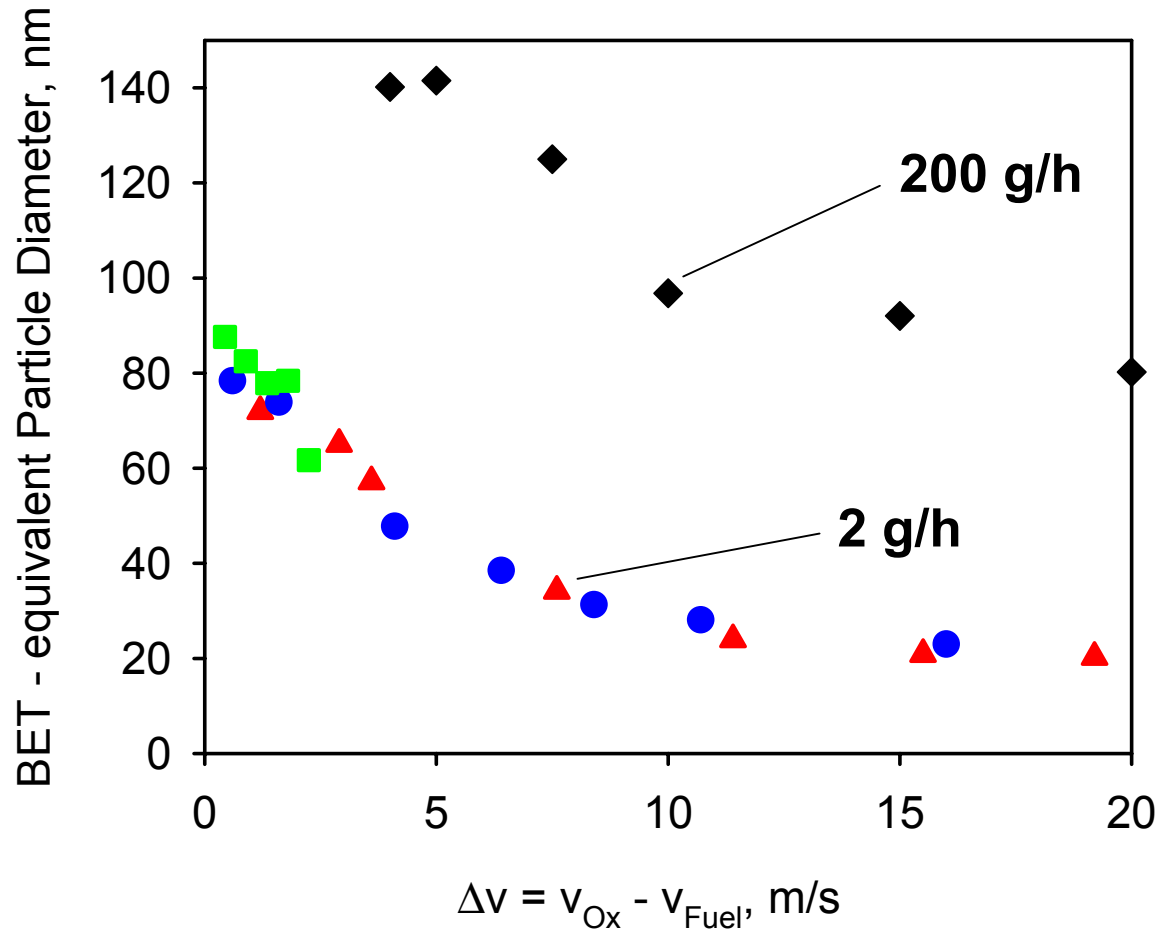
$$d_{m,i} = k_0 \dot{m}_i^{1/3}$$

$$\Delta v \rightarrow \infty:$$

$$d_{0,i} = k_\infty \dot{m}_i^{1/3}$$

$$d_{p,i} = d_{0,i} + (d_{m,i} - d_{0,i}) \times \exp(-0.3 \Delta v)$$

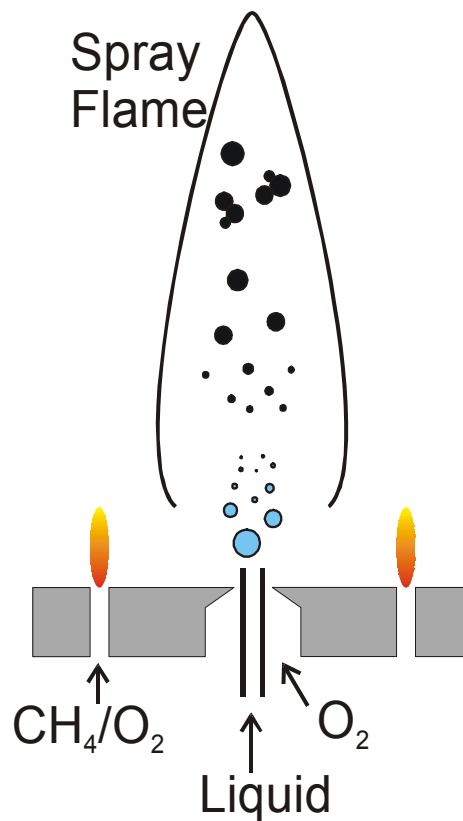
# Scale-up of Titania Flame Synthesis





# Flame Spray Pyrolysis (FSP)

- **versatile**
- **large variety of precursors**
- **controllable**
- **scaleable**



Aggregation

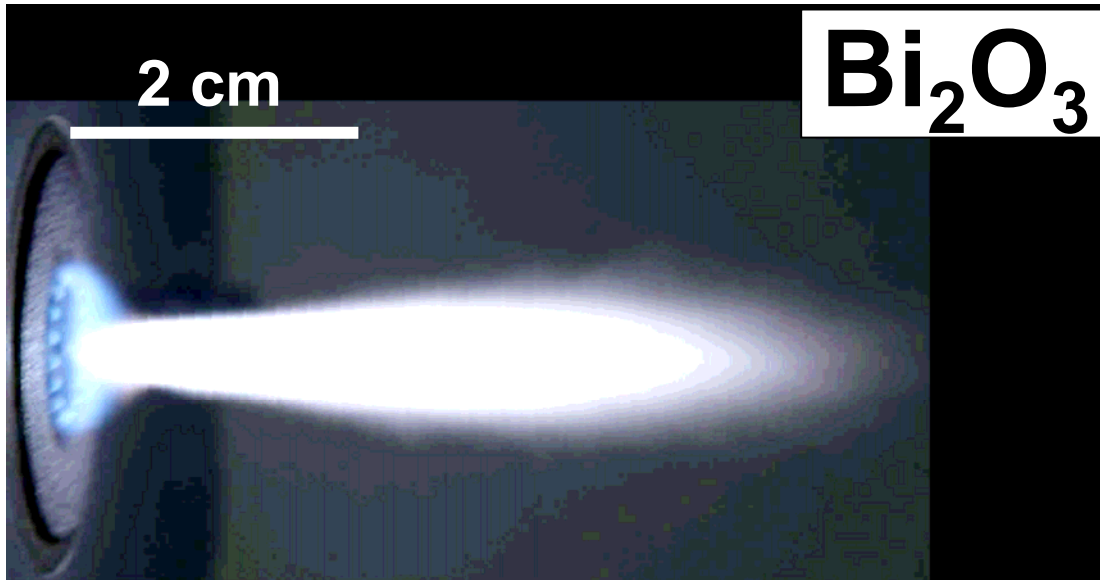
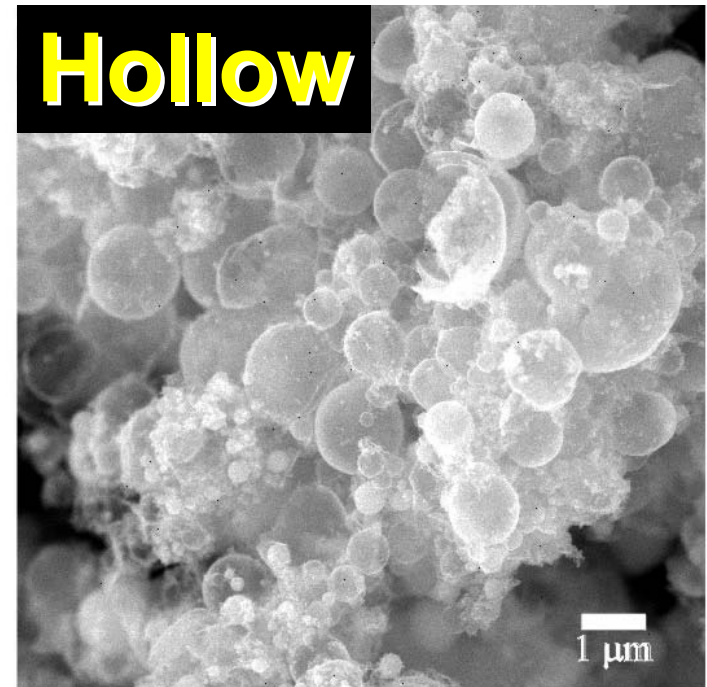
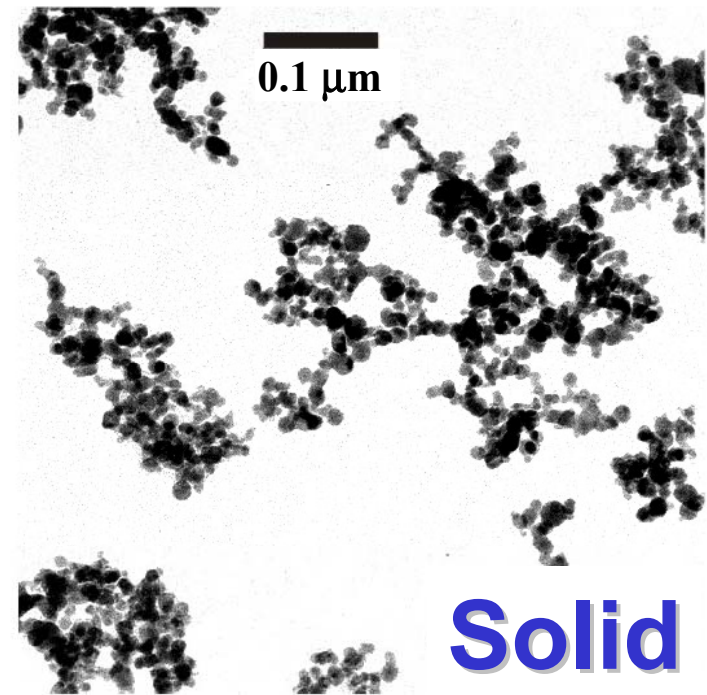
Condensation  
Coagulation

Nucleation

Droplet evaporation

# Flame Spray Pyrolysis

$\text{Al}_2\text{O}_3$ ,  $\text{ZnO}$ ,  $\text{CeO}_2$ ,  $\text{ZrO}_2$   
 $\text{ZnO}/\text{SiO}_2$ ,  $\text{BaTiO}_3$   
 $\text{Au}$ ,  $\text{Pt}$  on  $\text{TiO}_2$ ,  $\text{SiO}_2$ ,  $\text{Al}_2\text{O}_3$



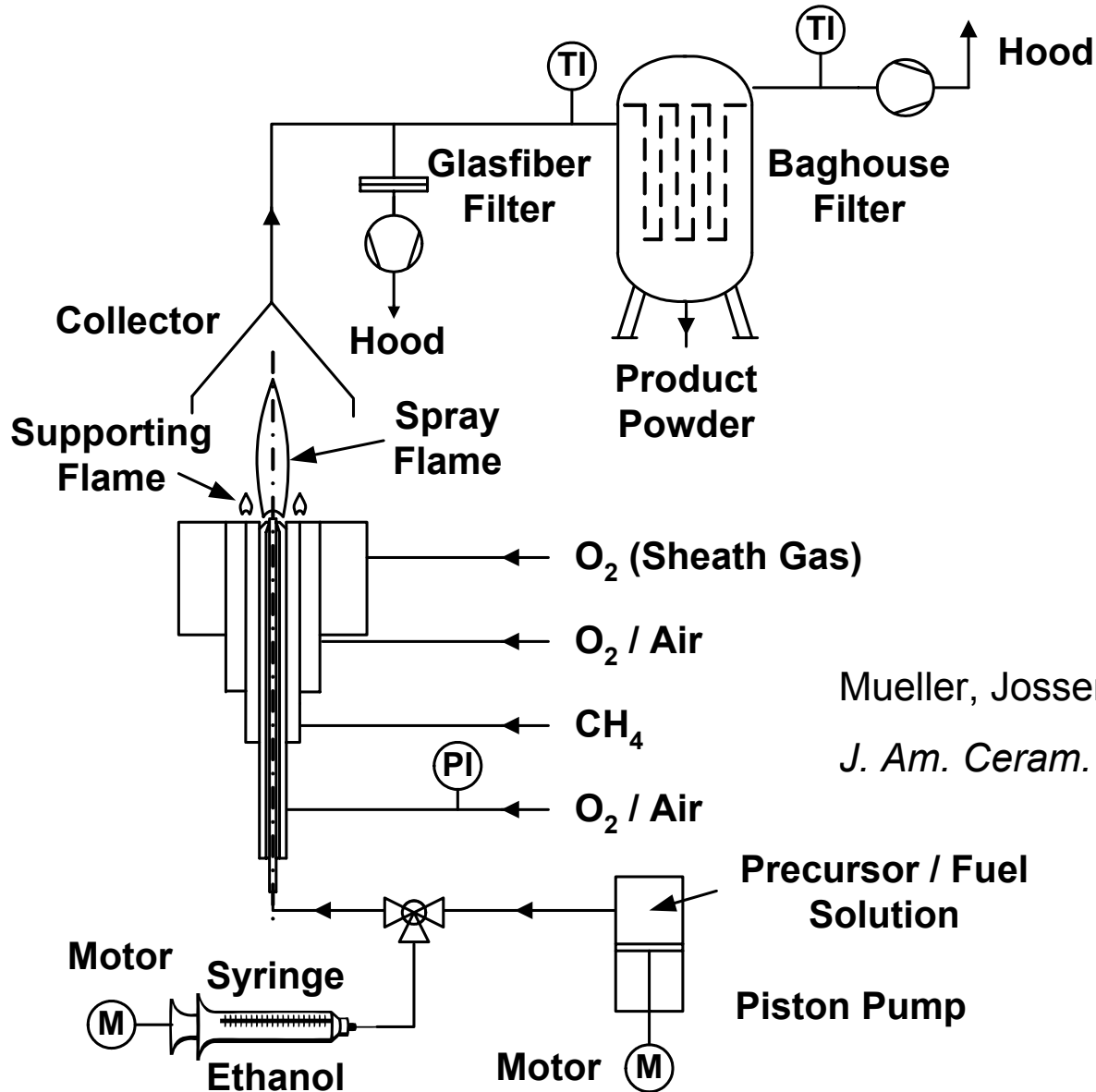
Mädler & Pratsinis, *J. Am. Ceram. Soc.* **85**, 1713-8 (2002)

**ETH**

Eidgenössische Technische Hochschule Zürich  
Swiss Federal Institute of Technology Zurich

Varistors  
Sensors  
Catalysts

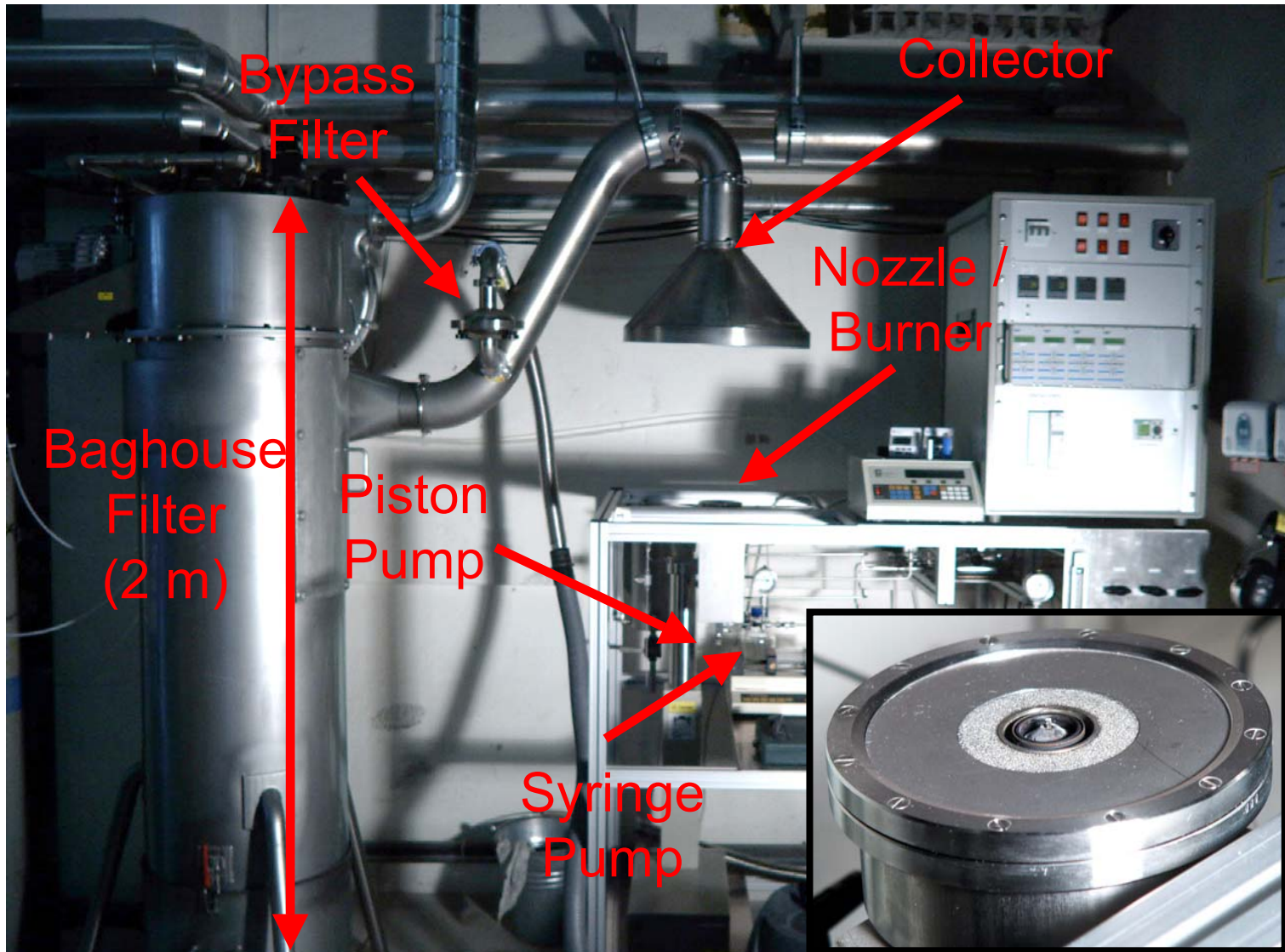
# FSP: Fundamentals of Scale-up



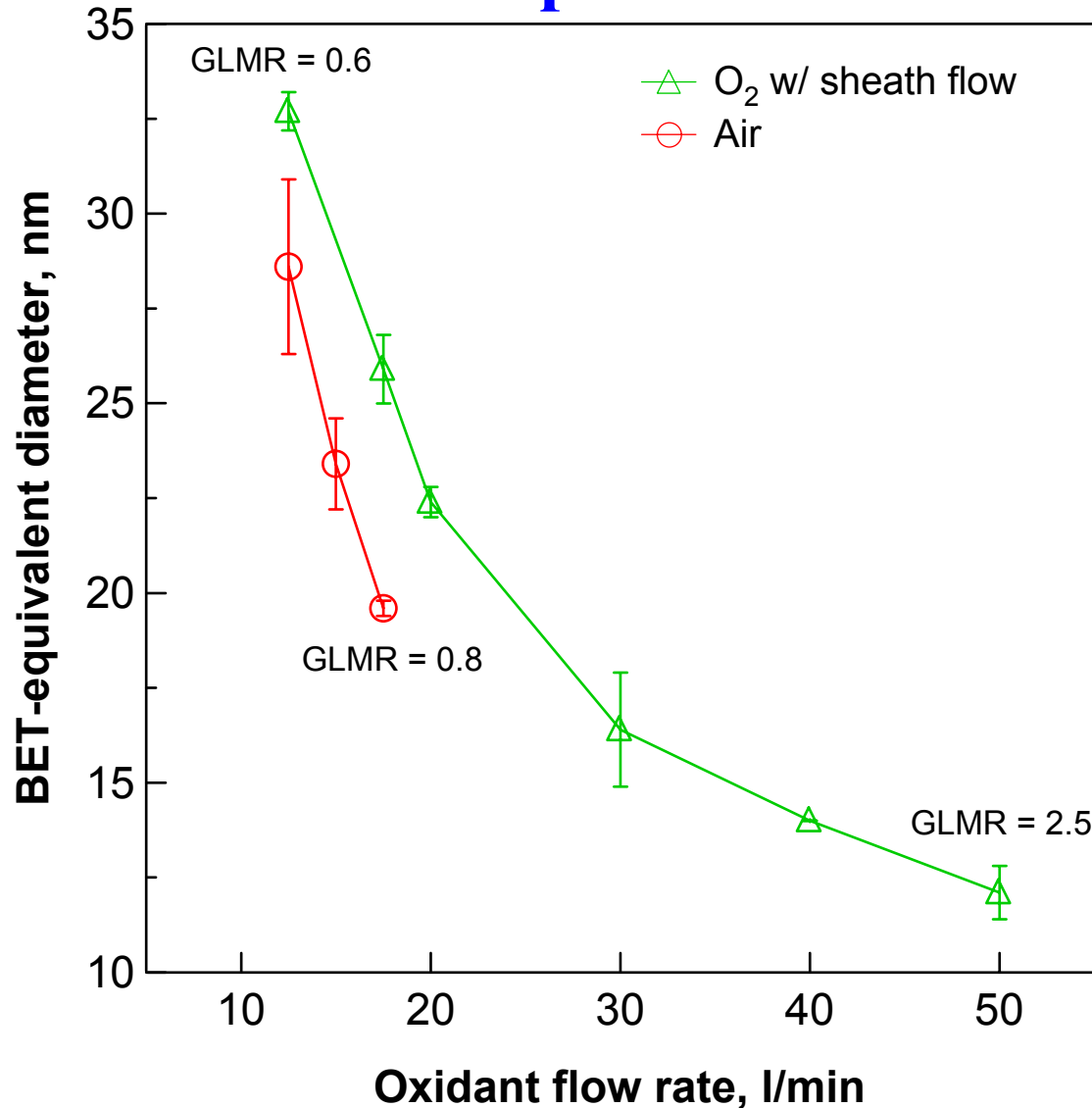
Mueller, Jossen, Pratsinis, Watson, Akhtar  
*J. Am. Ceram. Soc.*, **87**, 197-204 (2004)

# Experimental Set-up

Mueller, Jossen, Pratsinis, Watson, Akhtar, *J. Am. Ceram. Soc.*, **87** (2), 197-202 (2004)



# FSP: Oxidant Flow Rate on SiO<sub>2</sub> primary particle diameter



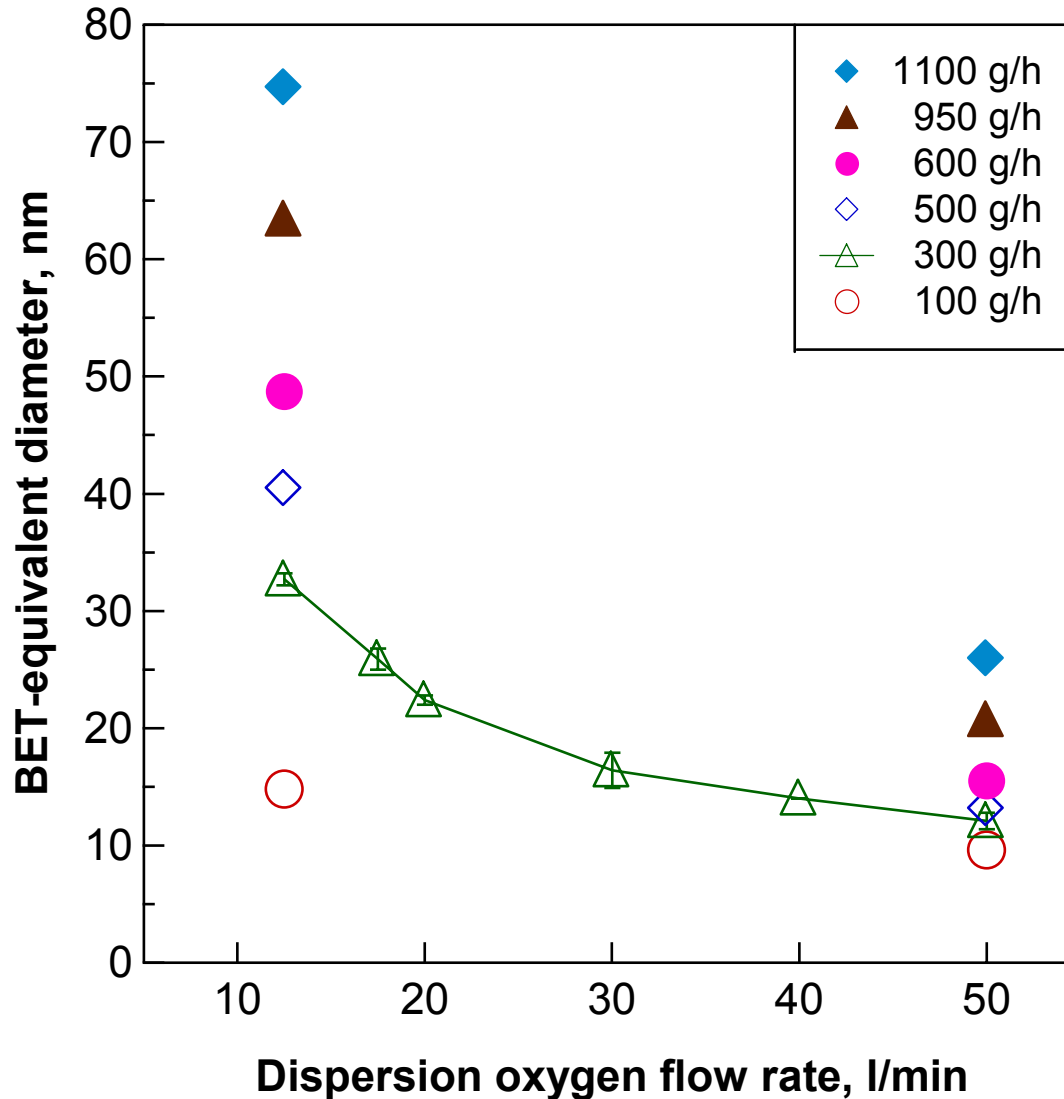
**1.26 M HMDSO  
in EtOH**

**Production rate  
300 g/h**

Mueller, Mädler, Pratsinis,  
*Chem. Eng. Sci.*, **58**, 1969-  
76 (2003)

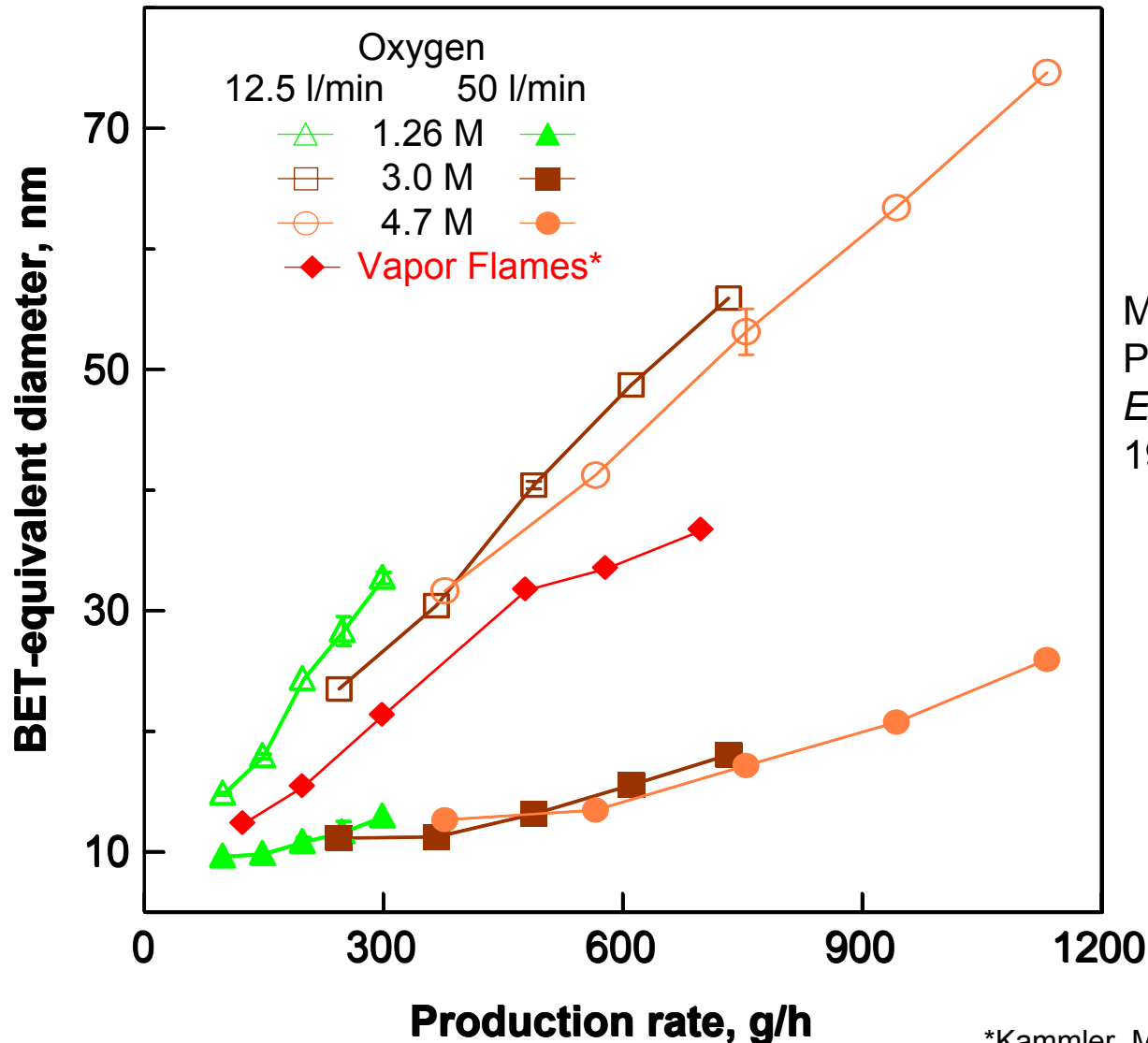


# FSP: Oxidant Flow Rate on SiO<sub>2</sub> primary particle diameter



Mueller, Mädler,  
Pratsinis, *Chem.  
Eng. Sci.*, **58**,  
1969-76 (2003)

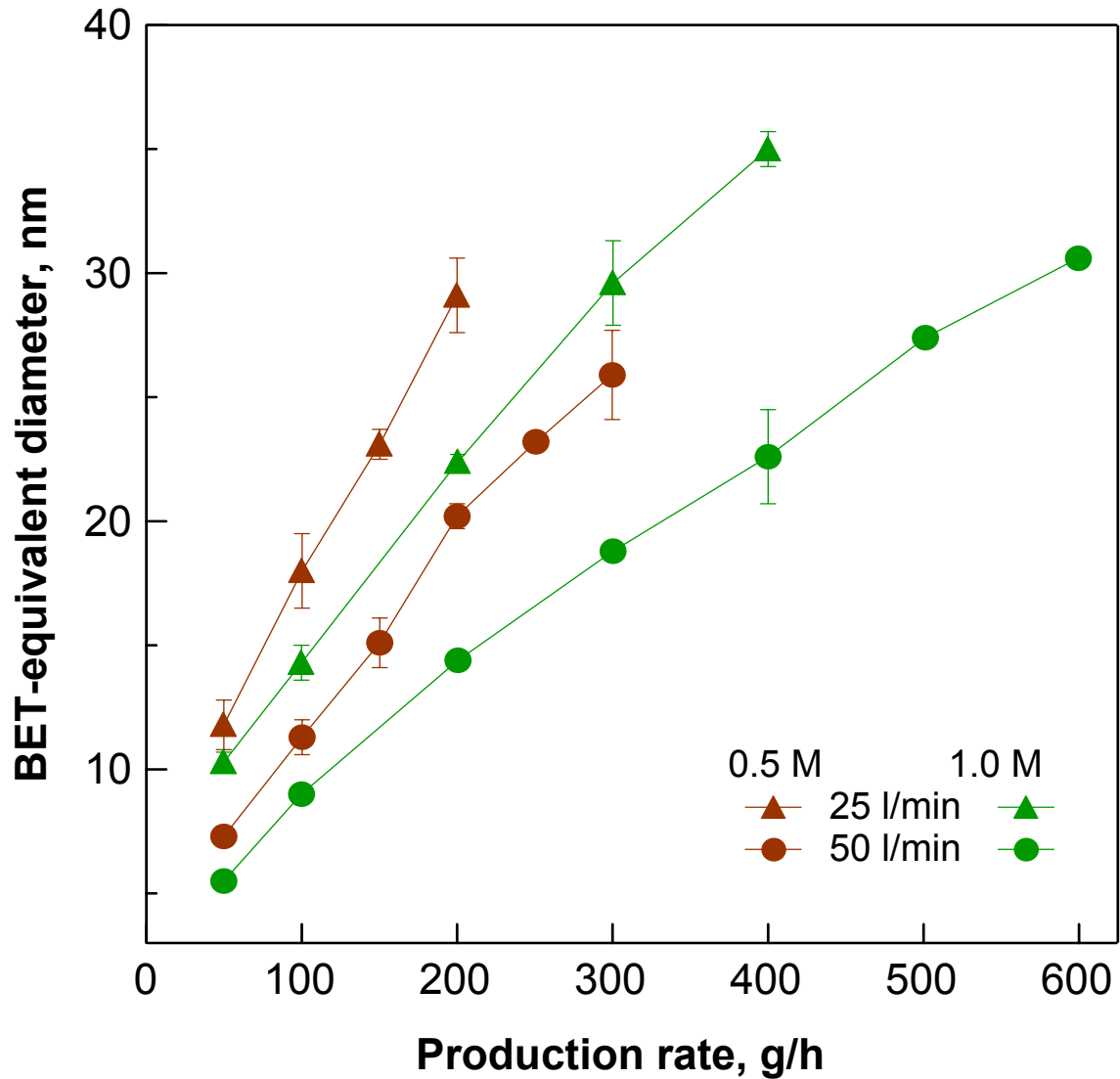
# SiO<sub>2</sub> - Operation Window



Mueller, Mädler,  
Pratsinis, *Chem.  
Eng. Sci.*, **58**,  
1969-76 (2003)

\*Kammler, Mueller, Senn, Pratsinis,  
*AIChE J.*, **47**, 1553-1543 (2001)

# ZrO<sub>2</sub> - Operation Window



Mueller, Jossen,  
Pratsinis, Watson,  
Akhtar,  
*J. Am. Ceram. Soc.*,  
**87**, 197-202 (2004).

# Conclusions

- Existing vapor-fed flame reactors can be scaled by **computational fluid and particle dynamic simulations.**
- The reactant outlet velocity difference determines product characteristics → **One operation line for different burners.**
- At large velocity difference, the performance of a diffusion flame converges to that of an equivalent premixed flame.
- Scale-up correlations were developed for flexible diffusion flame reactors and tested for  $\text{SiO}_2$  &  $\text{TiO}_2$  n-p (2-200 g/h).
- Liquid-fed flame reactors follow closely the above in synthesis of solid, non-hollow pure and mixed ceramic oxide particles.