

ECEN 3410

Electromagnetic Waves

1. Uniform plane waves (reflection and transmission through different environments, polarization)
2. Non-uniform plane waves in a coaxial line and quasi-TEM waves in printed lines (microstrip and CPW).
3. Waveguides and resonators that support other modes (field profiles) will be studied:
 - metallic waveguides for RF high power and high-frequency applications (TE,TM),
 - hybrid and evanescent modes in dielectric waveguides (slab guides, rectangular THz dielectric guides, silicon integrated photonics, and optical fibers).
4. Basics of beam propagation (Gaussian beams) for optical and millimeter-wave/THz frequencies.
5. Return to plane waves to study fundamentals of antennas and propagation.

Maxwell's equations

$$\oint_C \mathbf{E} \cdot d\mathbf{l} = - \int_S \frac{\partial \mathbf{B}}{\partial t} \cdot d\mathbf{S}, \quad (19.5)$$

[Faraday's law for a fixed contour, Eq. (14.6) = Maxwell's first equation]

$$\oint_C \mathbf{H} \cdot d\mathbf{l} = \int_S \left(\mathbf{J} + \frac{\partial \mathbf{D}}{\partial t} \right) \cdot d\mathbf{S}, \quad (19.6)$$

[Generalized Ampère's law, Eq. (19.4) = Maxwell's second equation]

$$\oint_S \mathbf{D} \cdot d\mathbf{S} = \int_v \rho \, dv, \quad (19.7)$$

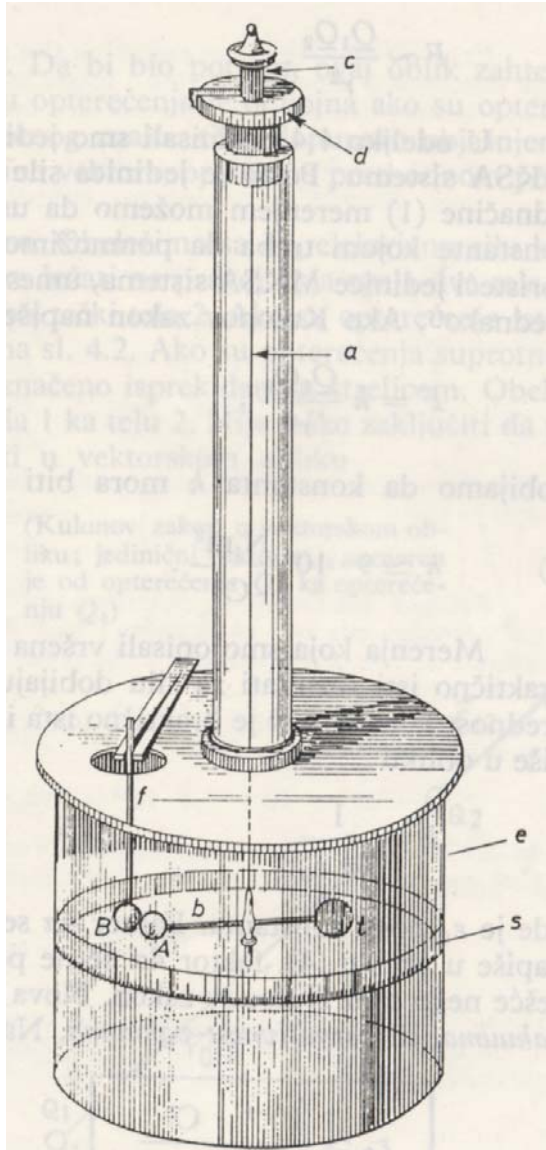
[Gauss' law, Eq. (7.20) = Maxwell's third equation]

$$\oint_S \mathbf{B} \cdot d\mathbf{S} = 0. \quad (19.8)$$

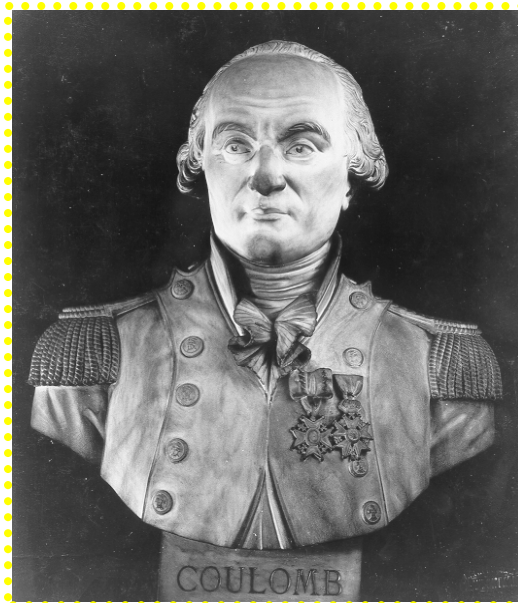
[Law of conservation of magnetic flux, Eq. (12.11) = Maxwell's fourth equation]



Gauss' law is based on Coulomb's law - MEASURED



Coulomb's torsion balance experiment
gave law for electrostatic force:



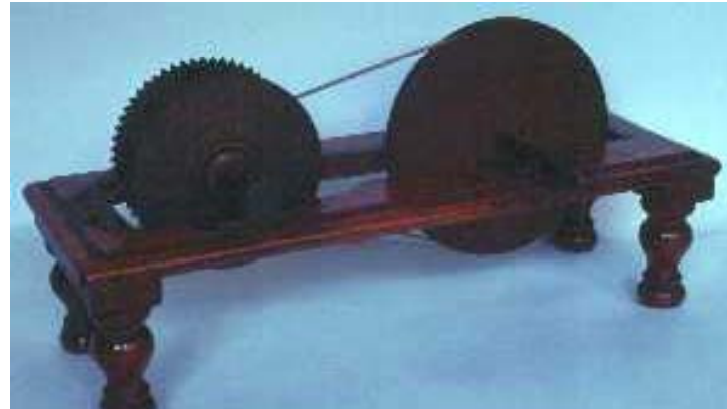
$$\mathbf{F}_{e12} = \frac{1}{4\pi\epsilon_0} \frac{Q_1 Q_2}{r^2} \mathbf{u}_{r12}$$

**Charles Augustin de
Coulomb
(1736 – 1806)**

Ampere's law is based on the Biot-Savare law for magnetic forces – MEASURED (~1820)



Jean-Baptiste Biot
(1774 – 1862)



Felix Savart (1791-1841)



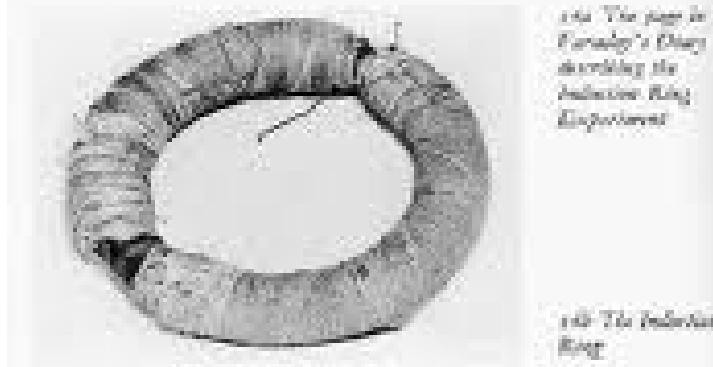
André-Marie Ampère
(1775 – 1836)
Electrodynamics
Unit of electric current

$$d\mathbf{F}_{12} = I_2 d\mathbf{l}_2 \times \left(\frac{\mu_0 I_1 d\mathbf{l}_1 \times \mathbf{u}_r}{4\pi r^2} \right)$$

Faraday's law – MEASURED (~1860)



Michael Faraday
(1791 – 1867)



Joseph Henry
(1797 – 1878)

Optics and the speed of light



Joseph Fraunhofer
(1787 – 1826)



Augustin-Jean Fresnel
(1788–1827)

1675	Romer and Huygens moons of Jupiter	220,000 m/s
1729	James Bradley aberration of light	301,000m/s
1849	Hippolyte Fizeau toothed wheel	315,000m/s
1862	Leon Foucault rotating mirror	298,000±500
1907	Rosa and Dorsey, EM constants	299,710±30
1926	Albert Michelson rotating mirror	299,796±4
1950	Essen and Gordon-Smith, cavity resonator	299,792.5±3.0
1958	K.D. Froome, radio interferometry	299,792.50±0.10
1972	Evenson <i>et al.</i> , laser interferometry	299,792.4562±0.0011
1983	17th CGPM, definition of the meter	299,792.458 (exact)

Maxwell put it all together

Maxwell's equations are postulated and based on experiment



James Clerk Maxwell
(1831 – 1879)

O.T! R.V. ATOME! $\iint \text{plane } dS$ was done in the most general form in 1867. I have now bagged \mathcal{E} & η from T & T' and have the numerical value of $\iint (Y_i^{(s)})^2 dS$ in 4 lines. thus verifying $T+T'$'s value of $\iint (D_i^{(s)})^2 dS$

Your plan seems indep't of $T+T'$ or of me. Publish! I am busy supplying the physical necessities of scientific life. within 11 Serapite Terrace, Cambridge. Prooves have got ad for as grooves, corrugated plates, gratings and square-rings. I may have time for criticism then.

EDINBURGH
1871

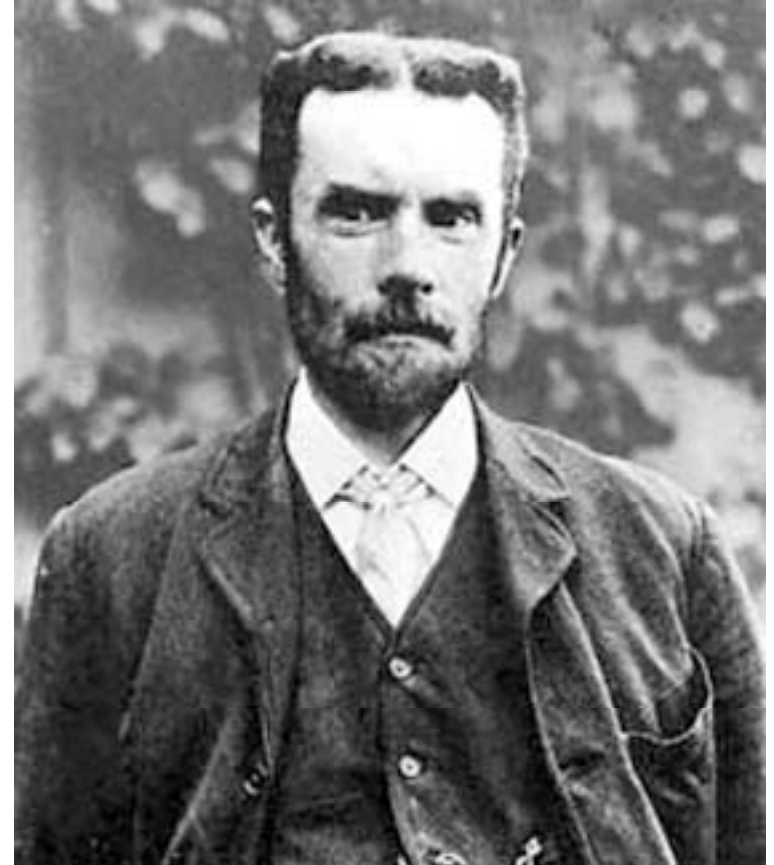
$$\iint (Y_i^{(s)})^2 dS = \frac{8\pi a^2}{2i+1} \frac{i+5}{2^s} \frac{i-5}{i}$$

except when $s=0$ when $\iint (R_i)^2 dS = \frac{4\pi a^2}{2i+1}$

Hence $\int_{-1}^{+1} (D_i^{(s)})^2 d\mu = \frac{2}{2i+1} \frac{2^s i-5}{i+5} \frac{i-5}{i}$ without exception you $\frac{d^2}{dt^2}$

Maxwell and Heaviside

- 1864: calculated speed of light 310,740,000 m/s
- 1873: Treatise on electricity and magnetism
 - Reduced all previous EM to 20 differential equations with 20 variables
- Oliver Heaviside introduced vector algebra and reduced equations to four



Heaviside on Maxwell's equations

“I remember my first look at the great treatise of Maxwell's when I was a young man... I saw that it was great, greater and greatest, with prodigious possibilities in its power... I was determined to master the book and set to work. I was very ignorant. I had no knowledge of mathematical analysis (having learned only school algebra and trigonometry which I had largely forgotten) and thus my work was laid out for me. It took me several years before I could understand as much as I possibly could. Then I set Maxwell aside and followed my own course. And I progressed much more quickly... It will be understood that I preach the gospel according to my interpretation of Maxwell.”

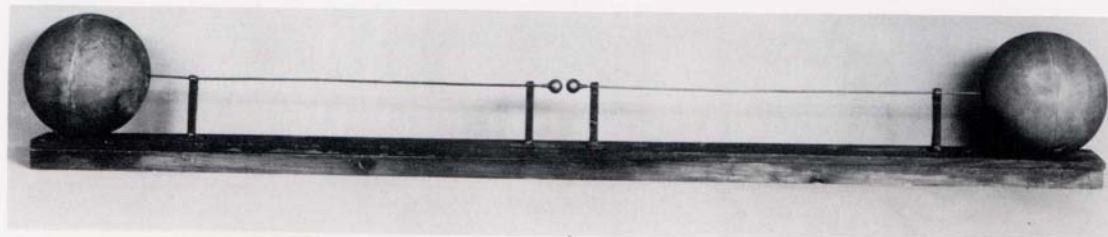
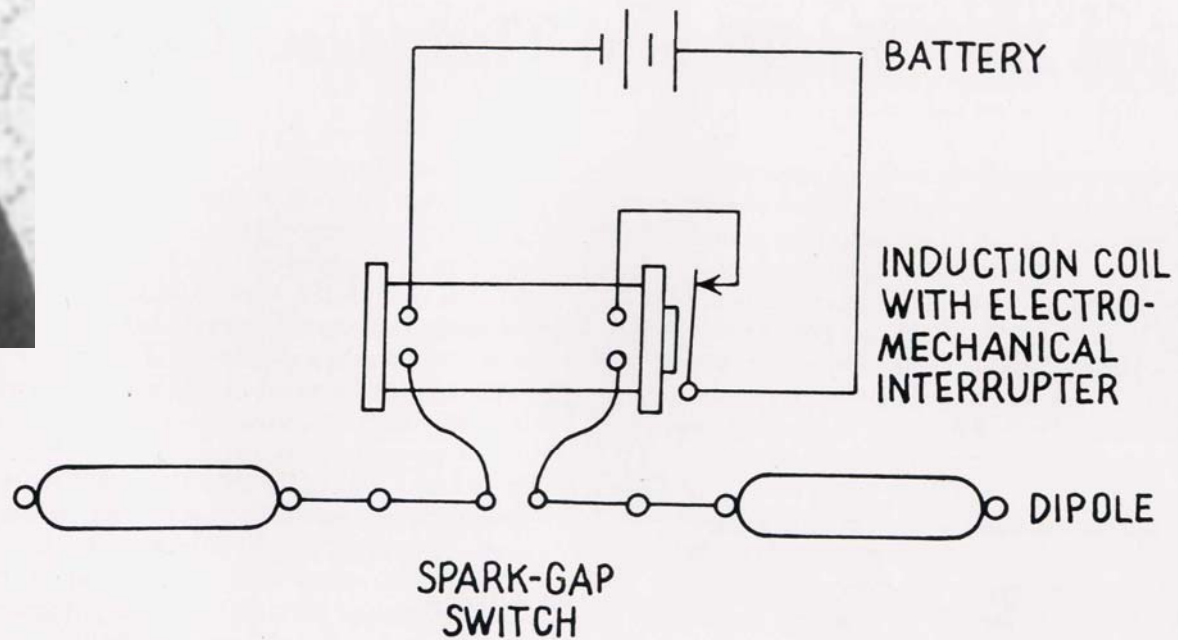
Heaviside's contributions

- Transmission line equations
- “Pupin” coils for long-distance signaling
- Laplace transforms
- Vector calculus
- Cherenkov radiation
- Lorentz force
- Poynting vector
- Predicted existence of ionosphere
- Coined the terms:
 - Inductance (February 1885)
 - Conductance (Sept. 1885)
 - Permeability (Sept 1885)
 - Impedance (July 1886)
 - Admittance (Dec. 1887)

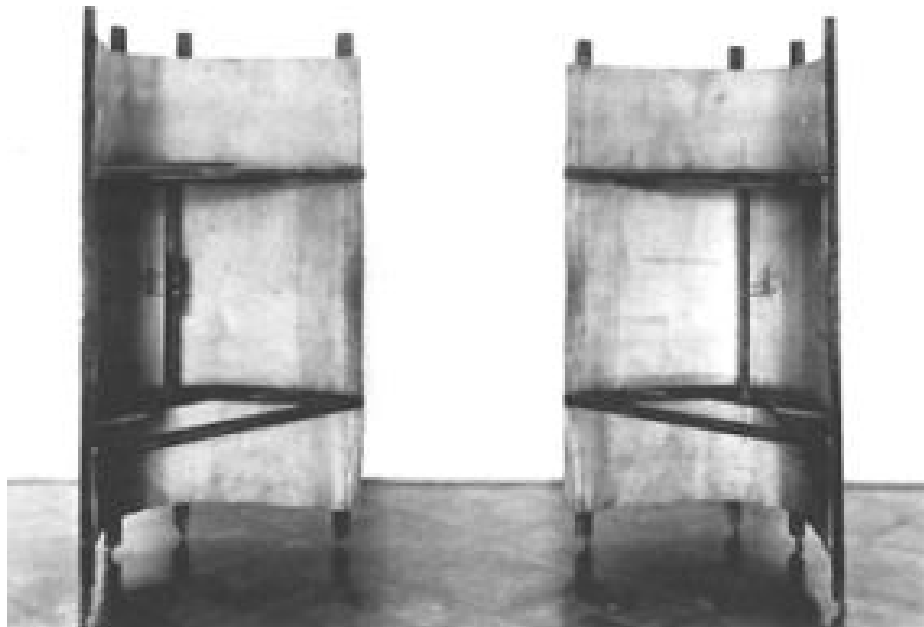
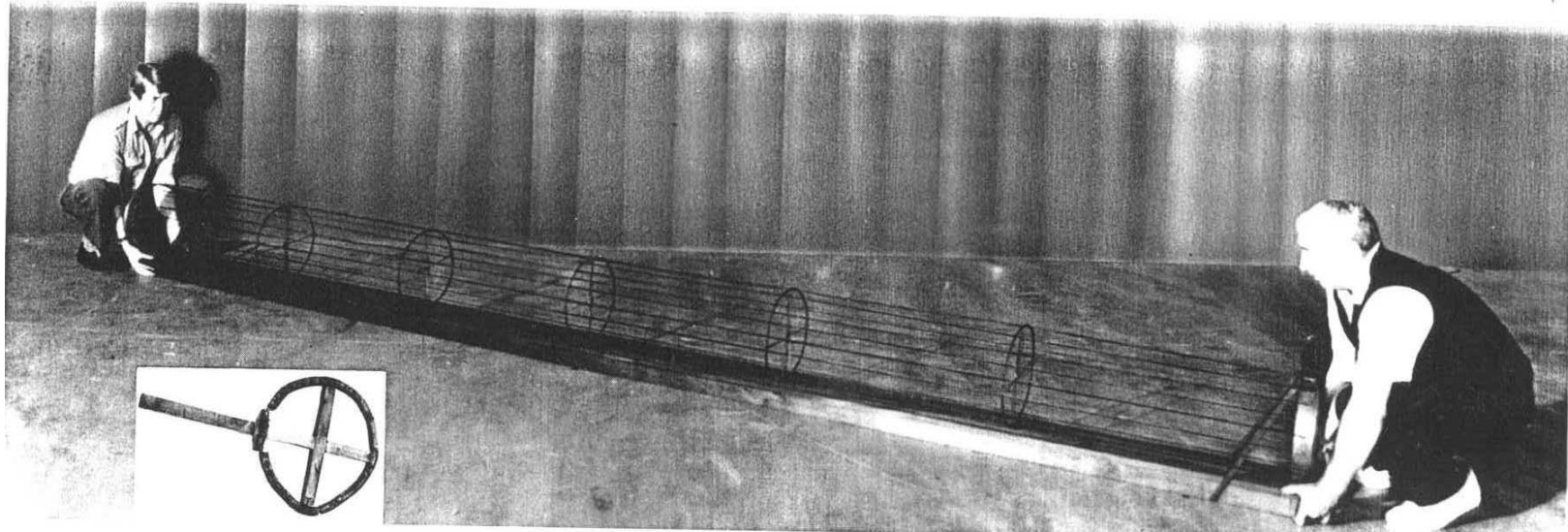
First radio waves

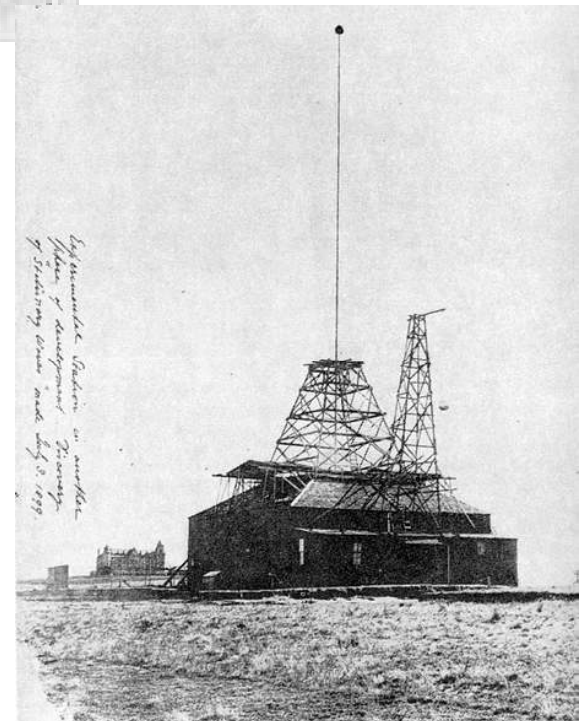
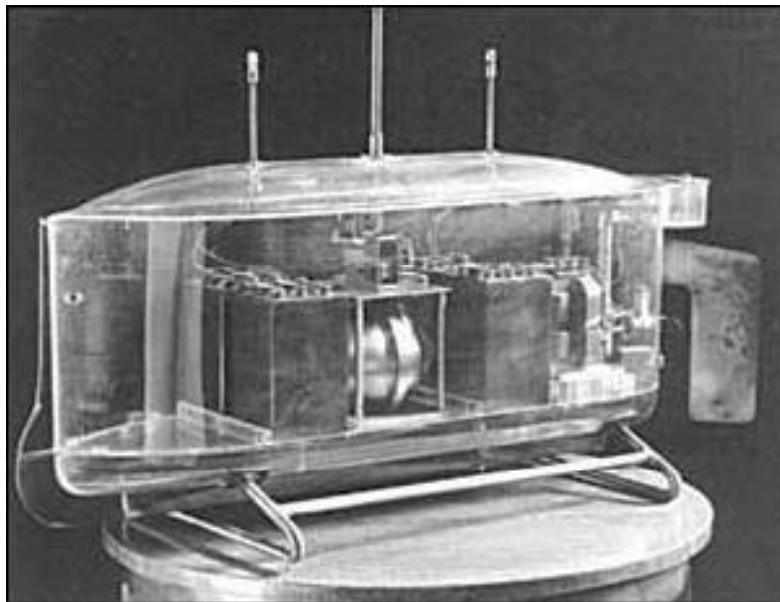
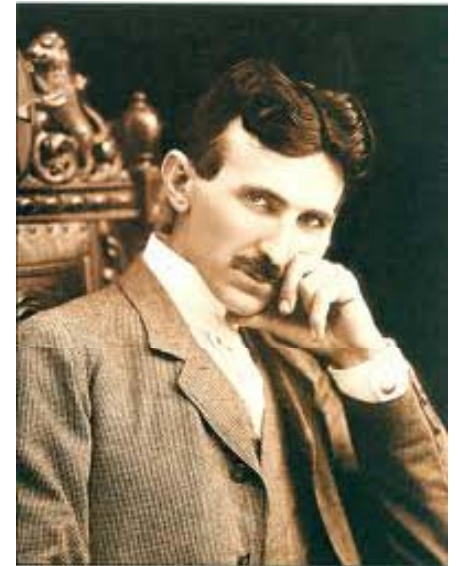
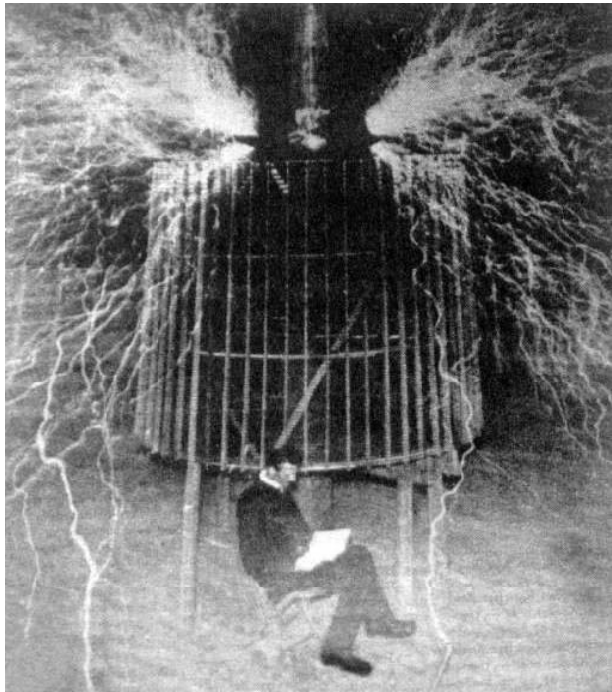


Heinrich Hertz
(1857– 1894)

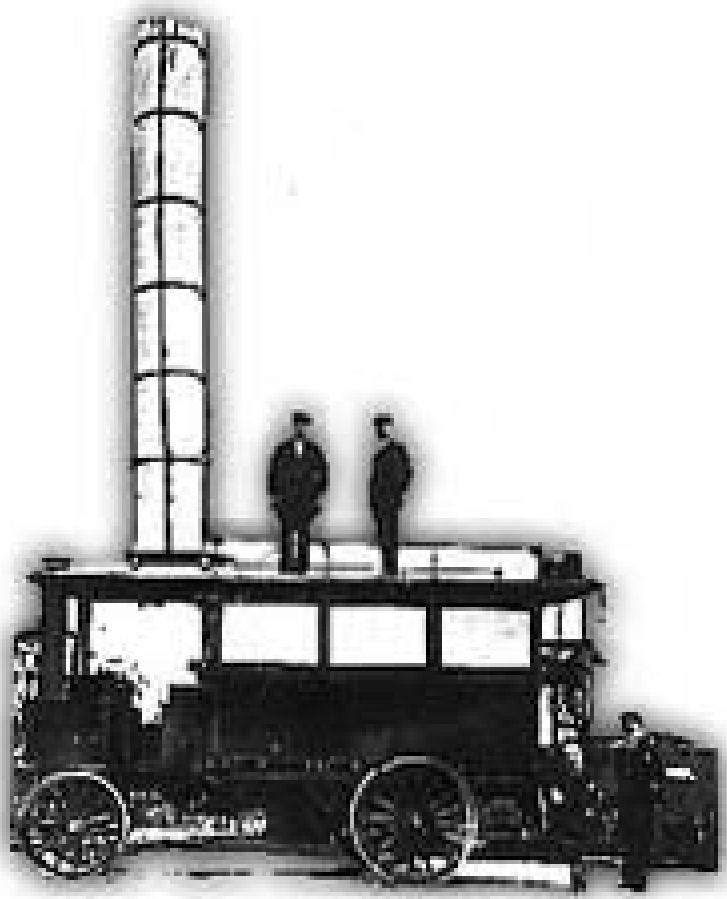


First coax, antennas and polarizers





Not so long ago...



Marconi's mobile radio



Bell Labs mobile radio



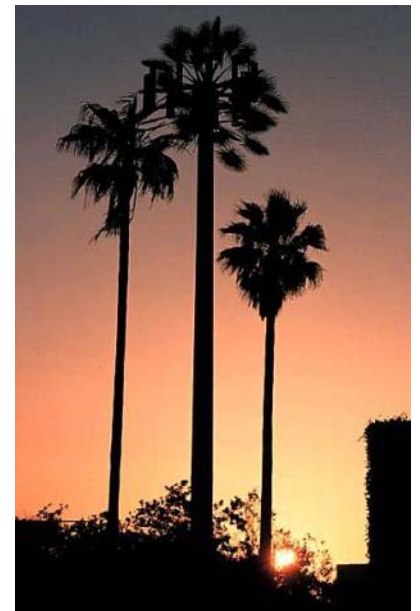
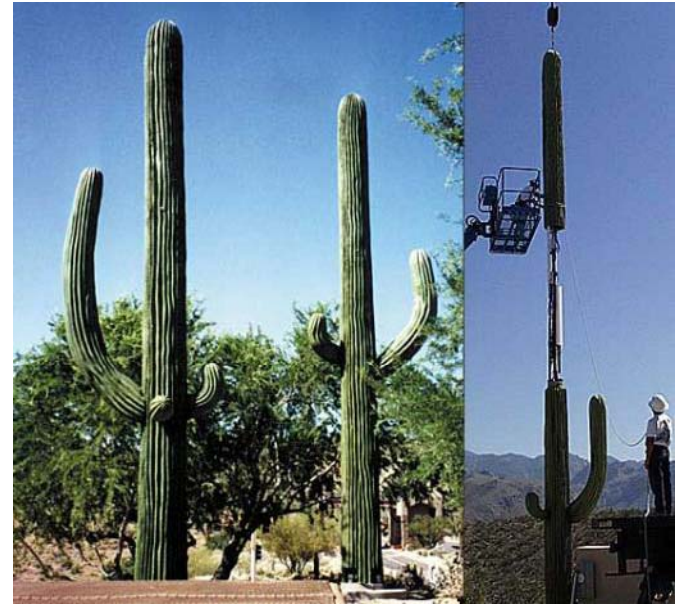
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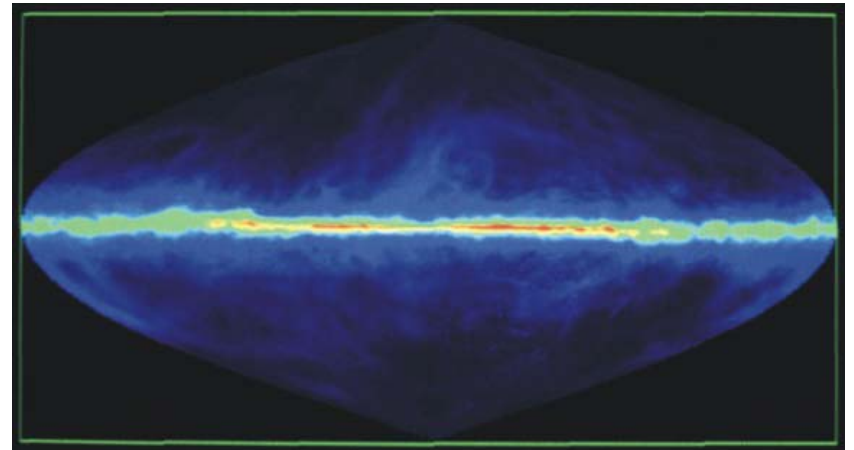
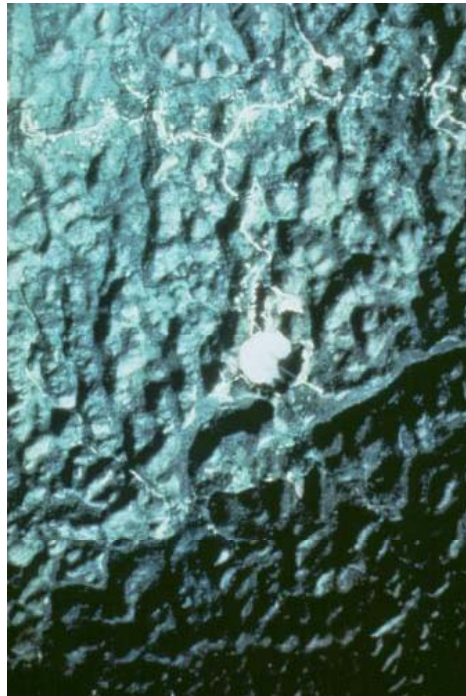
Not long ago...



Now...









WIFELESS
LOVE