

# Binary black hole spin-orbit resonances: a hint at compact binary formation channels

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Collaborators

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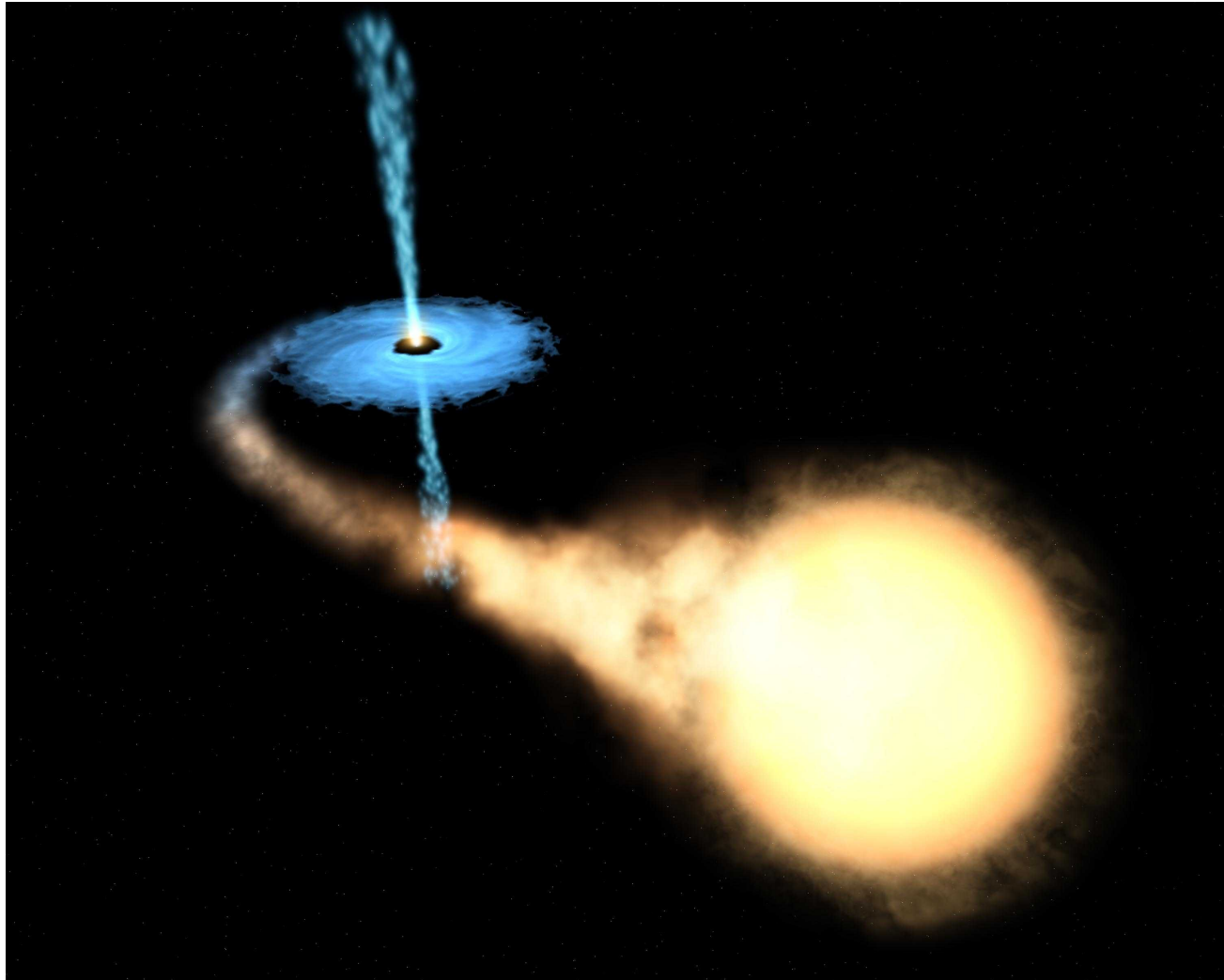
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# Outline

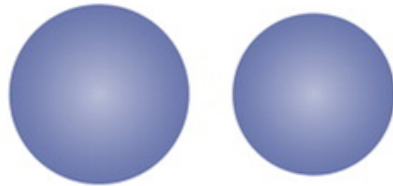
- Motivation
  - Binaries and compact binary formation
  - Black hole spin misalignment
- Spin precession and resonances
- Models and results
- Conclusions/ Future work

# Binaries as modern astrophysical sources

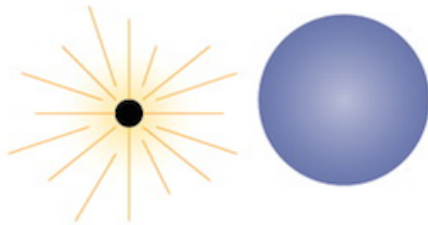


# Binary evolution and spins

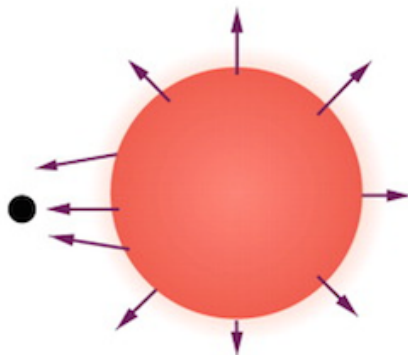
D



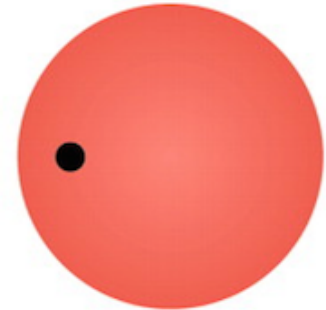
Main-sequence stars, both  $>8 M_{\odot}$



Primary explodes as supernova



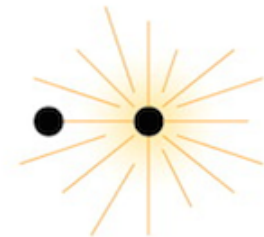
Mass transfer to neutron star from companion wind



Common envelope: the NS spirals into and expels the envelope of the secondary



NS—He-star binary  
Roche-Lobe overflow possible



Secondary explodes as supernova



Result: double-neutron-star system  
Example: PSR B1913+16

Image + credit <http://www.sciencemag.org/content/304/5670/547/F1.expansion>

# Advanced LIGO

Credit: LIGO Scientific Collaboration



# Gravitational-waves from precessing binaries

a) Cartoon of non-precessing gravitational waveform



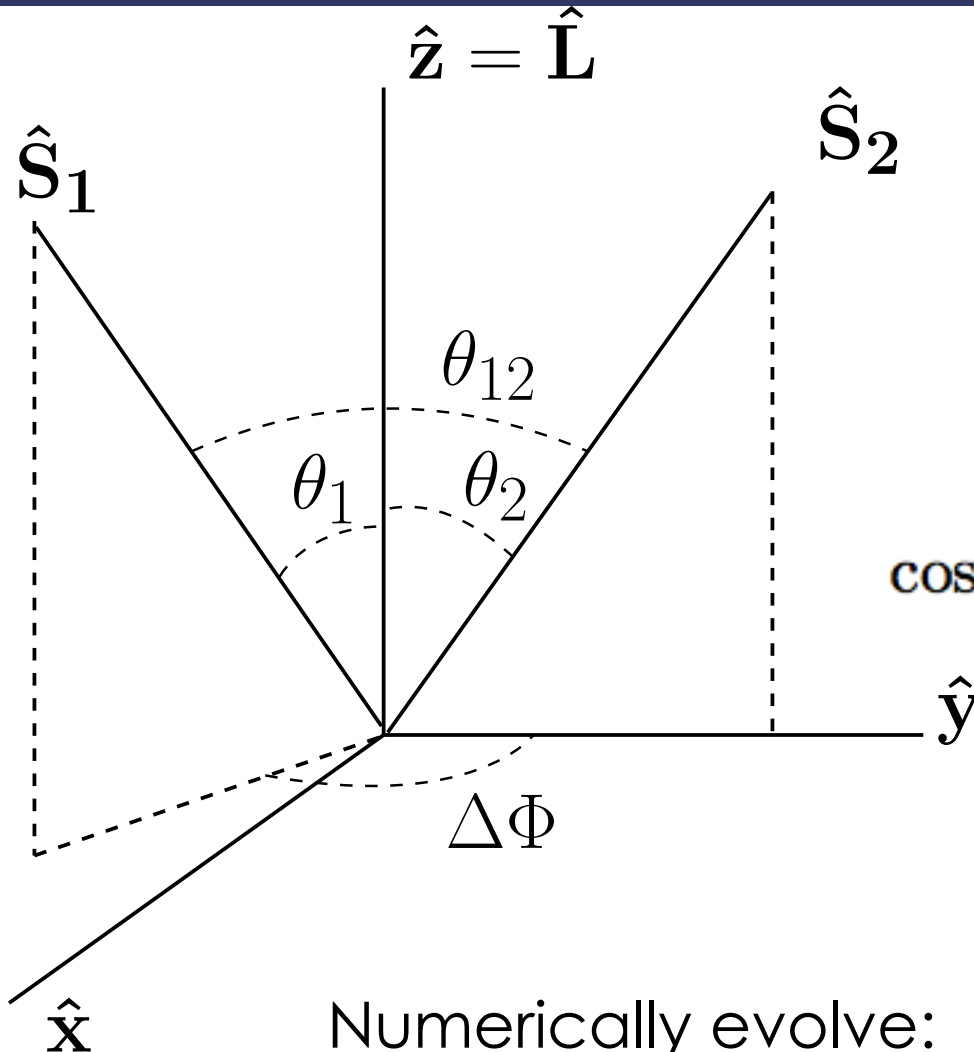
b) Cartoon of precession modulated gravitational waveform



# Population synthesis models for spin misalignments in binary black holes

1. Both aligned (e.g. small SN kicks) – no precession
2. Dynamically formed, isotropic distribution – remains isotropic (Schnittman 2004)
3. BH and secondary aligned prior to the second supernova – both BHs equally misaligned afterwards – freely precess (Kalogera 2000)
4. Secondary aligned prior to the second supernova via tides, primary misaligned (as in Gerosa et al 2013) – primary more misaligned by second supernova

# Coordinate system



$$\cos \theta_1 = \hat{S}_1 \cdot \hat{L},$$

$$\cos \theta_2 = \hat{S}_2 \cdot \hat{L},$$

$$\cos \theta_{12} = \hat{S}_1 \cdot \hat{S}_2.$$

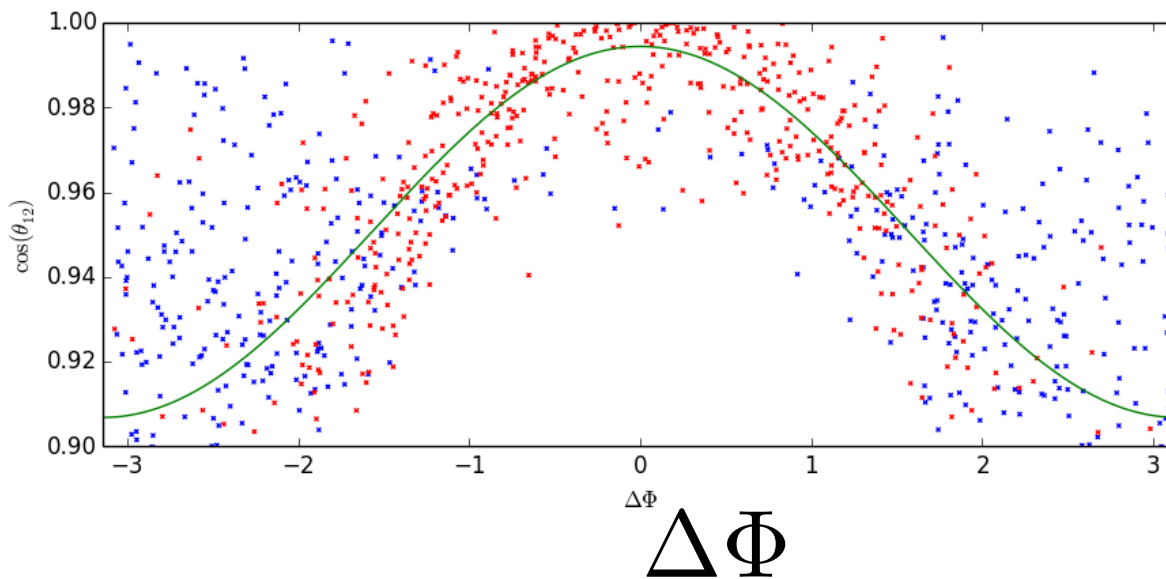
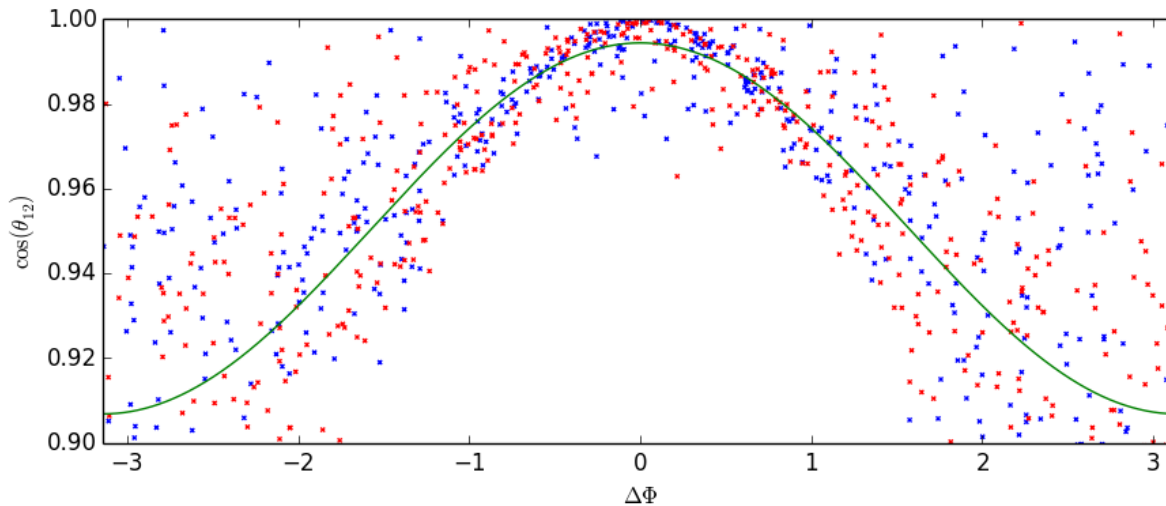
$$\cos \Delta\Phi = \frac{\mathbf{S}_1 \times \mathbf{L}}{|\hat{S}_1 \times \hat{L}|} \cdot \frac{\mathbf{S}_2 \times \mathbf{L}}{|\hat{S}_2 \times \hat{L}|}.$$

Numerically evolve:  $\frac{d\mathbf{S}_1}{dt}$   $\frac{d\mathbf{S}_2}{dt}$   $\frac{d\nu}{dt}$   $\frac{d\hat{L}}{dt}$



# Spin-orbit resonances

$\cos \theta_{12}$



post second  
supernova

Initially:

$$\theta_1 > \theta_2$$

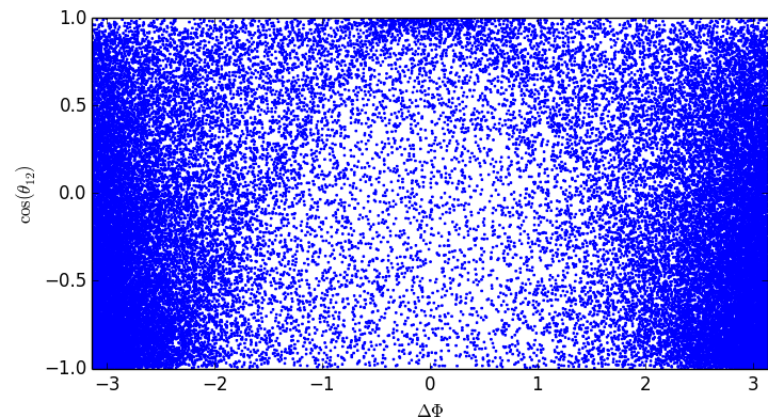
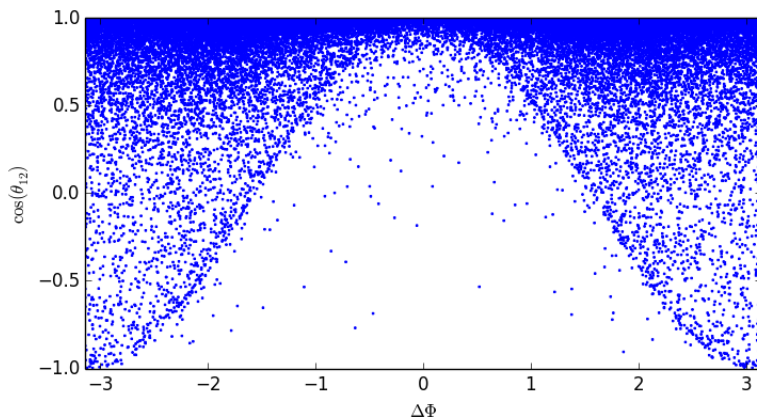
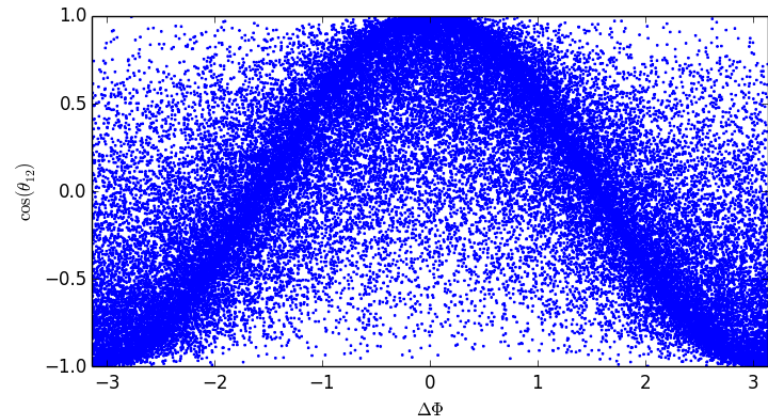
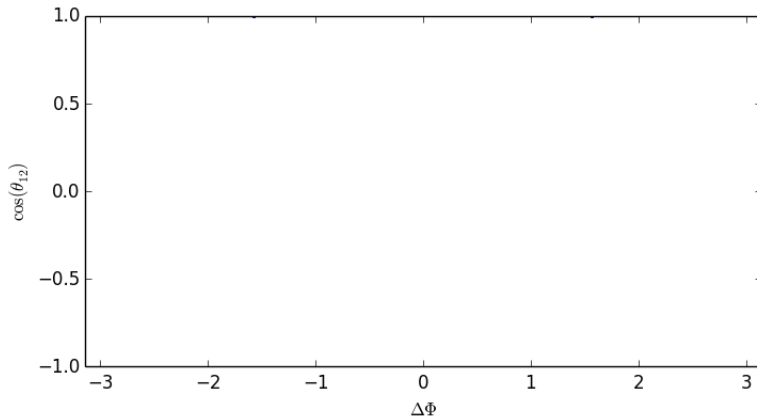
$$\theta_1 < \theta_2$$

$$f_{\text{GW}} = 10\text{Hz}$$

$\Delta\Phi$

# Results in terms of these weird angles

$\cos \theta_{12}$



$\Delta\Phi$

# Conclusions/Future work

- In general, spins in BBH may not be aligned with the orbital angular momentum following a second supernova, leading to precession of the spins
- Spin-orbit resonances are effective in BBH systems with unequal misalignment angles, which may be true for astrophysically formed compact binaries
- Resonances binaries are attracted to depends on the formation mechanism of the binary
- Looking for clustering in well measured angles therefore can tell you about the compact binary channels